Authors:

Guide to FEM simulations

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## Table of contents

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J

I. \	Intro	duction to Elmer	4
II.	Elr	mer GUI	
III.	Elr	mer commands	9
	l.1.	Header section	10
III	1.2.	Constants section	
III	1.3.	Simulation section	11
II	1.4.	Body section	
III	1.5.	Material section	13
	I.6.	Body Force section	
Ш	1.7.	Initial Condition section	13
III	I.8.	Boundary Condition section	13
II	I.9.	Equation section.	14
Ш	1.10.	Solver section.	14
Ш	1.11.	Examples	
i)	Flo	ow through a circular tube	15
IV.	Elr	merPost	
IV	.1.	Graphics window	
IV	.2.	Commands window	19
IV	7.3.	Commands line	24
V.	Ty	pes of simulations	27
V.	1. ]	Transient	27
V.	2. (	Coupled simulations	
v	3	Axisymmetric models-simulations	28





# I. Introduction to Elmer

Elmer [1] is a combination of different softwares aimed at the simulation of multiphysics problems using the Finite Element Method (FEM). Three of these softwares are: ElmerGUI, ElmerSolver, ElmerPost. Elmer is an open source software, released under the GNU General Public License (GPL).

Elmer can be used in two different ways:

- By using its Graphical User Interface (GUI). (A command text file can be generated after a GUI session).
  - By using a command text file.

Elmer has not good capabilities for geometry generation and meshing. Therefore, as a general procedure, the geometry and mesh should be imported into Elmer. It accepts different geometry and mesh formats. Among them, it accepts the GMSH mesh format.



# II. Elmer GUI

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Most of the things that can be done in Elmer can be accessed by its GUI. Nevertheless, there are some specific things that will have to be done by manipulating its input script (explained in later chapters).

This chapter is going to explained the most common options used to define the boundaries and loads, and the definition of the simulation parameters (type of simulation and its options).

We will assume that the geometry and the mesh of the problem has been generated by an external software. Indeed, it will be assumed that Gmsh was used for this purpose.

Before running ElmerGUI, the best thing is to create a directory, where we will create the Elmer project and put there the mesh file from Gmsh. We will import this mesh in Elmer, although once imported this file will never be used again by Elmer. Now, we can run ElmerGUI. It will appear the GUI, like shown in *Figure 1*.



Figure 1. Elmer GUI.

First, we will import the mesh file, with  $File \rightarrow Open$ . You should be able to view the mesh that was generated with Gmsh:







By using the mouse, we can change the view of the model: Left (rotation), center (pan), wheel (zoom). You can reset the view parameters in *View*  $\rightarrow$  *Model reset view*.

In order to define all the boundaries and loads of the model, we will have to go through the option of the *Model* section of the menu, as shown in *Figure 3*.

		_		_	
<u>1</u> odel	<u>V</u> iew	<u>S</u> if	<u>R</u> un	<u>H</u> elp	
Set	up				
Equ	uation			•	
Ma	•				
Bo	•				
Init	Initial condition				
Bo	Boundary condition				
Set	body p	orop	erties		
Set	proper	ties			
Su	nmary.				
Cle	ar all				

Figure 3. Model submenu.

First of all, we will go to  $Model \rightarrow Setup$ . There are several parameters that we will have to set, but most of them we will see them after at the end of this section. By now we will just change the names of the files: 'Solver input file' and 'Post file':

leader					
Check keywords	warn				
MeshDB .					
Include path					
Results directory					
Free text					
imulation					
Max. output level	5	•	Steady state m	nax. iter	1
Coordinate system	Cartesian	•	Timestepping	method	BDF •
Coordinate mapping	123		BDF order		1 •
Simulation type	Steady state	•	Timestep inter	vals	
Output intervals	1		Timestep sizes	;	
Solver input file	spiral_artery.sif	>	Post file		spiral_artery.ep
Free text					
Constants					
Gravity	0 -1 0 9.82		Boltzmann	1.3807	e-23
Stefan Boltzmann	5 67e-08		Unit charge	1.602e	-10

Maybe now it is a good moment to save the project, and we will repeat this action at the end of the process. For this, just go to  $File \rightarrow Save Project$  and select the directory we already created previously.







The next step consists in defining which equations we want to solve in every part (body) of our model. We have to go to Model  $\rightarrow$  Equation  $\rightarrow$  Add. It appears a window with different tabs corresponding each one to a specific equation of a specific field (fluidic, thermal, etc.). We have to activate each equation we want to solve, specifying to which body applies these activated equations. More than one equation can be solved in the same body.

E Equation		1.1		autor and		x
tate Navier-Stokes Nonl	near elasticity	Result Output	SaveLine	SaveScalars	Static Current Conduction	•
Activate for this equation	set					^
Active						
Give Execution priority	$\geq$					
Priority						
Options	$\sim$					=
Convect						
This and that						
Element Codes						
Free text input						
						-
Apply to bodies:						
Rody 2 Rody 4						
Douy 5 Douy 4						Ψ.
		Redit Solv	er Settings			
Name: fluidic_eq						
9 New	-	Add		🗸 ок	S Cancel	
	N/	11 -	-	1		1

Figure 5. Equations setup.

In this case, we have shown the application of the fluidic equation to Body 3 (the fluidic volume). We activate the solve for Body 3, set an appropriate name for this equation setup and change the solver parameters that apply in each case (for example, we have set the priority number to 1). We have to apply this also to the Body 4, but with another equations (like 'NonLinear elasticity', for example).

Now we can set the material properties of our bodies: blood and membrane. We have to go to  $Model \rightarrow Material \rightarrow Add$ . In general, we have to set the corresponding properties in the General tab and in those corresponding to the activated equations tabs.

E	Material	Contraction of the	distant in			X
1	Helmholtz Equation	K-Epsilon	Linear elasticity	Mesh Update	Navier-Stokes	••
ſ	Visocity Settings					^
	Viscosity	3e-3	>			
	Viscosity Model	None			-	
	Compressibility mo	<u>dels</u>				=
	Compressibility Model	None			•	
	Porous media settir	ngs				
	Porous Media					
	Porous Resistance					
	Free text input					
						-
[						
	Apply to bodies:					Â
Ç	🔽 Body 3 📃 B	lody 4				-
[			🛠 Material libr	arv		
-			1.1.000.000	,		
-	lame: Blood_mat					
	9 New	+	Add	< ОК	🙆 Cancel	

Figure 6. Materials setup.

Next two steps are the definition of body forces and initial conditions. In our case, we are not going to set them.





And now we set the boundary conditions. We have to go to  $Model \rightarrow Boundary \rightarrow Add$ . If we have some doubts on the number of the surfaces, we can double-click to show at the bottom of the window which surface number has been selected.

E BoundaryCondition		100		x
z Equation K-Epsilon	Linear elasticity	Mesh Update	Navier-Stokes	••
Noslip wall BC				
Velocity 1				
Velocity 2				≡
Velocity 3				
Velocity 1 Condition				
Velocity 2 Condition				
Velocity 3 Condition				
Traction boundary co	nditions	$\frown$		
External Pressure	(	-1.34e3		-
Dracouro 1				
Apply to boundaries:				^
Boundary 1	Boundary 2			Ŧ
Name: Pi				
• New	✔ Update	🖌 ОК	- Remove	e

Figure 7. Boundaries setup.

Here we have to apply the boundaries in all the appropriate tabs, depending on the ones that were selected for the equations for each body.

Once we have defined all these steps, we can generate the Sif file (Elmer script file) (states for <u>S</u>olver Input <u>F</u>ile) with Sif  $\rightarrow$  Generate and save again the project.

And finally, we could already start running the solution with  $Run \rightarrow Start$  solver.

If we have to modify the Sif file manually, we will have to avoid generating the SIF file again and even save the project (because it generates also the Sif file). When you open the project, try also to have de Sif file open with an editor to avoid overriding it.



## III. Elmer commands

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The Elmer commands file has a defined structure for defining the different aspects related to the simulation of a defined mesh. Therefore, these commands define aspects like:

Boundary conditions.
 Loads.
 Solvers.
 Simulation parameters.

This file can be generated from zero, modified from another already existing file or create it graphically with ElmerGUI after specifying all needed options. We will make an introduction to ElmerGUI in the next chapter. In this chapter we will show some of the commands that we will find in this file.

The command file has a default extension SIF (Solver Input File). This file is organized in sections. Each section starts with the name of the section (header), followed by the commands applied to this section and it is ended by and *End* command. The different headers can be:

- *Header*: Generally just used for indicating the location of the mesh files.
- *Constants*: For defining constants.
- Simulation: To provide parameters related to simulation, like the type of simulation, name of output file, etc.
- Body n: Provides the material, body forces, equation, solver, boundary conditions and initial conditions used for simulating the body number n. This n number identifies the body in the mesh file.
- Material n: For defining material properties.
- Body Force n: For defining body forces.
- Initial Condition n: For defining initial conditions.
- Boundary Condition n: For defining a boundary condition.
- Equation n: For defining an equation set to be solved.
- Solver n: For defining a solver to be used.

All headers containing 'n' can be found multiple times. For distinguishing each one, we have to provide a different integer number (n).

There are only a few things that can be put outside a section:

- Line Comments: They must start with a '!' symbol.
- *MATC expressions*: MATC allows to define mathematical expressions in Elmer. They are also used to define variables that will be used afterwards in sections. In general, MATC expressions start with a '\$' symbol.
- Check Keywords "Warn": This commands activates outputting warning messages.
- echo on and echo off.

Many commands in Elmer consist of assigning a value to an Elmer keyword, by using the equal sign ('='). For the assigned value, we can specify the type of variable (Real, Integer, Logical, String





or File) before the value is given. The value can also be a vector (example:  $temps(3) = 300\ 320\ 340$ ) or a 2D array (example:  $cond(2,3) = Real\ 3.0\ 2.0\ 1.0 \setminus 4.0\ 3.0\ 2.0$ ).

(The slash is not needed in last versions of Elmer)

In some occasions, parameters can depend on variables like time, position, temperature, or on a variable that we want to solve for. These dependencies can be defined by a table or by a MATC expression. An example using a table for defining a thermal conductivity as function of temperature is the following:

Conductivity = Variable Temperature Real 273 95.2 273 1000 300 1020 400 1000

End

We could do a similar thing by using a MATC expression:

Conductivity = Variable Temperature MATC "k0\*(1+alpha\*tx)"

'tx' is used for the independent variable (in this case the temperature). We could have more than one variable. In that case, we use the vector notation (example: tx(1) or tx(2))

Examples of variables that can be used are: *Time*, *Temperature*, *Pressure*, *Displacement 1*, *Coordinate 1*, *Electric Current 1*, *Magnetic Field 1*, etc.

Other language aspects:

'::': Two semicolons are used for separating two instructions in the same line.
 *RUN*: Instruction for executing the FEM solution.

The mesh is divided in parts called bodies. For GMSH, these bodies are related to the physical groups created during the mesh generation.

Let's see more specific commands for each section.

## III.1. Header section

In this section we will define the location and names of the different files related with Elmer. We can just put a command for declaring the location of the mesh files:

Header

Mesh DB "directory" "meshfilename"





End

Another example: *Header CHECK KEYWORDS Warn Mesh DB "." "." Include Path "" Results Directory "" End* 

We can define more things in this section, but we will not use it. Just for mentioning them, we can indicate how many of the other sections exist in this file, we can also indicate another directory for placing the results (*Results Directory "directory"*) and include other paths if needed (*Include Path "directory"*). We can also place here the command *CHECK KEYWORDS Warn*.

## III.2. Constants section

In this section we define constants if we need it. The specific model that we want to solve can require the definition of some constants. This is explained in the Models Manual of Elmer for each specific simulation field (fluidic, thermal, etc).

Constants

 $Gravity(4) = 0 - 1 \ 0 \ 9.82$  Stefan Boltzmann = 5.67e-08 Permittivity of Vacuum = 8.8542e-12 Boltzmann Constant = 1.3807e-23 Unit Charge = 1.602e-19End

## III.3. Simulation section

In this section we provide some parameters defining general aspects of the simulation procedure itself (independently of the specific field: thermal, mechanical, etc.) that we want to perform. For example, if the simulation is transient of stationary, coordinate system, time steps, etc. More specifically, we can define:

#### Simulation Type: With the keywords Transient or Steady State.

Coordinate Mapping: It is a vector of numbers providing the relation between the coordinates in the mesh file and the coordinates in the simulation. If they are the same, we will use 1, 2 and 3. for a 3-dimensional case.



- Coordinate System: With a text keyword for defining the type of coordinate system (Cartesian 1D, Cartesian 2D, Cartesian 3D, Polar 2D, Polar 3D, Cylindric, Cylindric Symmetric, Axi Symmetric).
- *Timestepping Method*: String with five possible options: *BDF*, *Newmark*, *Implicit Euler*, *Explicit Euler* and *Crank-Nicolson*.
- *Timestep Intervals*: Vector of integers defining the number of intervals (or substeps) inside every time step.
- *Timestep Sizes*: Vector providing the size in the time units of every time step.
- *Output File*: Name of the results output file (.dat).
- Output Intervals: Vector of integers providing the frequency of the obtained results that will be saved to the output file.
- Post File: Name of the results file that is understood by Elmer Post. (.ep)
- Steady State Max Iterations: Maximum number of iterations of every time calculation in order to get a converged solution.

#### Simulation

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> Max Output Level = 5 Coordinate System = Cartesian Coordinate Mapping(3) = 1 2 3 Simulation Type = Steady state Steady State Max Iterations = 1 Output Intervals = 1 Timestepping Method = BDF BDF Order = 1 Solver Input File = tube.sif Post File = tube.ep End

## III.4. Body section

It is used to define, for each body of the mesh file (or created with Elmer), which other sections apply for it. We have to specify which *Equation*, *Material*, *Body Force* and *Initial Condition* sections applies.

#### Body 1

Target Bodies(1) = 1Name = "Body 1" Equation = 1 Material = 1





End

## III.5. Material section

Here we define the properties of the material. The properties that we have to define depends on the kind of simulation that we want to perform, like for example thermal or fluidic. These properties have to be checked on the Elmer Models Manual.

Material 1 Name = "Fluido" Viscosity = 1.0 Density = 1e3 End

## III.6. Body Force section

In this section we specified the loads applied. The loads that we have to specify depends on the kind of simulation. We have to obtain this information from the Elmer Models Manual.

## III.7. Initial Condition section

Similary to body forces, we have to check the Elmer Models Manual to obtain the initial conditions that can be applied to our specific simulation.

## III.8. Boundary Condition section

In this section, we define first the boundary where it will be applied (assigning their number to the vector *Target Boundaries*). And afterwards, we define the boundaries conditions that apply to them. The possible options have to be found in the Elmer Models Manual.

Boundary Condition 1 Target Boundaries(1) = 2 Name = "Output P"





Pressure 1 = 0 Pressure 3 = 0 Pressure 2 = 0 End

## III.9. Equation section

Each equation is related to a specific physical model (thermal, fluidic, etc). In this section we have to indicate which equation(s) will apply to a body. It can be one, or more than one. We refer to each equation by using the number(s) of the respective solver sections. We associate these numbers to the *Active Solvers* vector.

Equation 1 Name = "Fluidic equation" NS Convect = False Active Solvers(1) = 1 End

## III.10. Solver section

Here we specify one physical model to be solved and some options related to this physical model and which method will be used to solve it (solver). The name of each equation and the different options can be obtained in the Elmer Models Manual. The options for solvers and their options can be found in the Solvers Manual.

General options in this section are:

 $Variable = Variable_name$ : For defining a variable with name Variable\_name. A vector can also be defined with names of subcomponents. Example: Variable = vp[Vel:3, P:1] (defines a variable called vp with four components, the first three are called Vel and the fourth component is called P).

If we only need to specify a variable with three components:  $Variable = -dofs \ 3 \ vp$ .

We can define when to execute a solver. By default, if we have more than one solver, they are executed in the order that they are defined. With the command *Exec Solver order* we can change this. *order* is a string that can have values of: *never*, *always*, *before timestep*, *after timestep*, *before all*, *after all*, *before saving* and *after saving*.

Solver 1 Equation = Navier-Stokes Procedure = "FlowSolve" "FlowSolver"



Variable = Flow Solution[Velocity:3 Pressure:1] Exec Solver = AlwaysStabilize = True Bubbles = False Lumped Mass Matrix = False *Optimize Bandwidth = True* Steady State Convergence Tolerance = 1.0e-5 *Nonlinear System Convergence Tolerance = 1.0e-7* Nonlinear System Max Iterations = 20 Nonlinear System Newton After Iterations = 3 *Nonlinear System Newton After Tolerance = 1.0e-3* Nonlinear System Relaxation Factor = 1 *Linear System Solver = Iterative Linear System Iterative Method = BiCGStab Linear System Max Iterations = 500 Linear System Convergence Tolerance = 1.0e-10* Linear System Preconditioning = ILU0 *Linear System ILUT Tolerance = 1.0e-3 Linear System Abort Not Converged = False Linear System Residual Output = 1 Linear System Precondition Recompute = 1* End

## III.11. Examples

## i) Flow through a circular tube

#### Header

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> CHECK KEYWORDS Warn Mesh DB "." "." Include Path "" Results Directory "" End

#### Simulation

Max Output Level = 5 Coordinate System = Cartesian Coordinate Mapping(3) = 1 2 3 Simulation Type = Steady state Steady State Max Iterations = 1



Output Intervals = 1 Timestepping Method = BDF BDF Order = 1 Solver Input File = tube.sif Post File = tube.ep End

#### Constants

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> Gravity(4) = 0 - 1 0 9.82 Stefan Boltzmann = 5.67e-08 Permittivity of Vacuum = 8.8542e-12 Boltzmann Constant = 1.3807e-23 Unit Charge = 1.602e-19End

#### Body 1

Target Bodies(1) = 1 Name = "Body 1" Equation = 1 Material = 1 End

#### Solver 1

Equation = Navier-Stokes Procedure = "FlowSolve" "FlowSolver" Variable = Flow Solution[Velocity:3 Pressure:1] Exec Solver = Always Stabilize = TrueBubbles = FalseLumped Mass Matrix = False *Optimize Bandwidth = True* Steady State Convergence Tolerance = 1.0e-5 Nonlinear System Convergence Tolerance = 1.0e-7 Nonlinear System Max Iterations = 20 Nonlinear System Newton After Iterations = 3 *Nonlinear System Newton After Tolerance = 1.0e-3* Nonlinear System Relaxation Factor = 1 Linear System Solver = Iterative Linear System Iterative Method = BiCGStab *Linear System Max Iterations = 500 Linear System Convergence Tolerance = 1.0e-10 Linear System Preconditioning = ILU0 Linear System ILUT Tolerance = 1.0e-3* Linear System Abort Not Converged = False *Linear System Residual Output = 1* 



Linear System Precondition Recompute = 1 End

Equation 1 Name = "Fluidic equation" NS Convect = False Active Solvers(1) = 1 End

Material 1 Name = "Fluido" Viscosity = 1.0 Density = 1e3 End

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> Boundary Condition 1 Target Boundaries(1) = 2 Name = "Output P" External Pressure = 0 End

> Boundary Condition 2 Target Boundaries(1) = 3 Name = "wall" Noslip wall BC = True End

> Boundary Condition 3 Target Boundaries(1) = 1 Name = "Input vz." Velocity 3 = 1.0e-3 End



# IV. ElmerPost

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Although Elmer comes with two post-processors (ElmerPost and VTK), we will just keep viewing results with ElmerPost. We can run ElmerPost through the ElmerGUI ( $Run \rightarrow Start postprocessor$ ) or directly through its icon. In the first case, the current results file will be read directly, while in the second case we will have to read the results file (.ep). After running the postprocessor, we will get two windows: the graphics window and the commands window (*Figure 8*). Here we are just going to explain some key aspects about using ElmerPost. Additionally, we can see results in other postprocessing softwares, like ParaView [2].



Figure 8. Post-processor windows.

## IV.1. Graphics window

In this window, we can do the typical mouse actions that can be expected: rotation (right), zoom (left & right), Pan (left).

In the commands window, we have some buttons controlling the view (Graphics commands), shown in *Figure 9*.









By default, when something is plotted in the graphics window, the view is rescaled in order to fit it in the window (this is referred as 'Update Normals'). With the 'Freeze Scaling' option, we can avoid changing the scale, keeping the last used scaling factor.

## IV.2. Commands window

We have several regions on this commands window, as shown in .

74 ELMER POST PROCESSIN	IG					
<u>F</u> ile Edit <u>D</u> isplay <u>H</u> elp	Bar menu <u>M</u> odu	iles				
Read Model File	socontours socialitées vectors Particles Color Scale	ľ.				
Plot commands						
Commands history						
Welcome to Elmer Post Processing Message console Have Fun!						
Elmer-Post:	Commands line					

Figure 10. Commands window.

In the bar menu, we can access most of the ElmerPost functionalities and configuration parameters. The different submenus are shown in *Figure 11*.

<u>F</u> ile	<u>D</u> isplay	Edit	Modules
<u>O</u> pen Ctrl+O <u>Save Image</u> Load Sicopolis Quit Ctrl+Q	<u>M</u> esh Lines <u>C</u> olor Mesh Ctrl+M Contour <u>L</u> ines Contour <u>S</u> urfaces <u>V</u> ectors <u>P</u> articles Spheres ColorScale Mode Display	<u>C</u> olorMap <u>G</u> rouping <u>M</u> aterial <u>B</u> ackground <u>T</u> imestep Control Math Module Window <u>S</u> top Processing <u>C</u> amera Settings <u>O</u> bject Clip Planes	<u>s</u> avejpg <u>s</u> avempg <u>s</u> avepng <u>s</u> avetiff

Figure 11. Bar submenus.





In the plot commands buttons, we have mainly different ways to visualize the obtained results from simulation. Nevertheless, the first button corresponds to the reading of the results file (generally with extension ep, although other formats are also accepted). The options for reading the file is shown in *Figure 12*.

1	76 Read Model File
ſ	Status: Not Done
	Options:
	Generate Surface Element Sides
	🔲 Generate Volume Element Sides
	Generate Volume Element Edges
	File Information:
	Nodes: 341
	Elements: 380
	Timestps: 1
	DOFS: 4
	Vector: Velocity Scalar: Pressure
	Select timesteps:
	First: 1 Last: 1 Increment 1 All
	Select file:
	Model file: C:/Elmer6.0/tests/periodic_rot/case.ep Browse
l	Read header Read file OK Close

The first way to visualize results is called 'Color Mesh'. Basically, it paints the mesh with colors depending on the values of the results obtained from a variable. In *Figure 13*, it is shown the different options. In 'Color Variable', we can choose which variable to use for painting.





An example is shown in Figure 14.



Figure 14. Color mesh example (pressure distribution).

With isocontours, we can observe lines having the same value of a certain variable. With isosurfaces, we can obtain surfaces having the same variable value. Isosurfaces can be used for obtained cross-sections of the model, defining the contour variable as position and another variable for 'Color Variable'.

ĺ	7% contour	
1		0.1666666666
		0.3333333333
	Number Of Contours: 5	0.5
		0.6666666666
		0.8333333333
	Min: 0.0 Max: 1.	0 🗌 Keep
	Line Style: 🔎 Lin	ie 🔿 Solid
	Line Quality:	1
	Width Scale:	1
	Color Variable:	none
	Apply Cla	ose
5	Figure 15. Iso	contours.
	74 isosurface	contours.
	74 isosurface Number Of Isosurfaces: 1	
	Figure 15. Isoc       7% isosurface       Number Of Isosurfaces:       1       Min:     0.0       Max:     1.	0.5 0 Contours.
	Number Of Isosurfaces:     1       Min:     0.0     Max:     1.       Surface Style: <ul> <li>Line Style:</li> <li>Line C</li> </ul>	0.5 Contours.
	Figure 15. Isoc         7% isosurface         Number Of Isosurfaces:         Min:       0.0         Max:       1.         Surface Style:       ©         Line Style:       ©         Line Quality:	0.5 0 Keep Surface O Both ne O Solid
	Figure 15. Isoc         74 isosurface         Number Of Isosurfaces:         Min:       0.0         Max:       1.         Surface Style: <ul> <li>Line Style:</li> <li>Line Quality:</li> <li>Width Scale:</li> </ul>	0.5 0 Keep Surface C Both a C Solid
	Figure 15. Isoc         7% isosurface         Number Of Isosurfaces:         Min:       0.0         Max:       1.         Surface Style:       • Line C         Line Style:       • Line         Line Style:       • Line         Width Scale:       Contour Variable	0.5 0 Keep Surface Both ne Solid
	Figure 15. Isoc         74 isosurface         Number Of Isosurfaces:         Min:       0.0         Min:       0.0         Min:       0.0         Min:       0.0         Max:       1.         Surface Style:           Line Style:           Line Style:           Line Quality:           Width Scale:           Contour Variable:	0.5 0.5 0 Keep Surface C Both ne C Solid
	Figure 15. Isoc         74 isosurface         Number Of Isosurfaces:         Min:       0.0         Max:       1.         Surface Style: <ul> <li>Line Style:</li> <li>Line Quality:</li> <li>Width Scale:</li> <li>Contour Variable:</li> <li>Color Variable:</li> <li>Min:</li> <li>0.0</li> <li>Max:</li> <li>1.</li> </ul>	0.5 0 Keep Surface Both a Solid
	Figure 15. Isoc         7% isosurface         Number Of Isosurfaces:         Min:       0.0         Max:       1.         Surface Style:       • Line         Line Style:       • Line         Line Style:       • Line         Vidth Scale:       Contour Variable:         Color Variable:       Min:         Min:       0.0         Max:       1.         Surface Normal Variable:       1.	0.5 0 Keep Surface Both ne Solid 1 1 e: none 0 Keep iable: none
	Figure 15. Isoc         7% isosurface         Number Of Isosurfaces:         Min:         0.0         Max:         Surface Style:         Line Style:         Line Style:         Width Scale:         Contour Variable:         Color Variable:         Min:       0.0         Max:       1.         Surface Normal Var         Apply       Classical	0.5 0 Keep Surface C Both C Solid 1 1 1 e: none 0 Keep iable: none

Figure 16. Isosurface.

An example for isosurfaces can be seen in Figure 17.









Many times, we will want to draw vector magnitudes as vectors. This can be done with the 'Vectors' button.

Vector Length Scale: 1.00 Line Style:  C Line C Solid Line Quality: 1 Width Scale: 1 Threshold Variable: none	J
Line Style:  C Line C Solid Line Quality:  Width Scale:  Threshold Variable: none	
Line Quality: 1 Width Scale: 1 Threshold Variable: none	
Width Scale: 1 Threshold Variable: none	
Threshold Variable: none	
Min: 0.0	
Max: 1.0	
Color Variable: none	
Length Variable: none	
Arrow Variable: none	
Apply Close	

Figure 18. Vectors.

An example is shown in Figure 19, showing the velocity vectors.



Figure 19. Vectors example (velocity).





The particles button allows us to obtain the trajectories of particles within a fluid. For this purpose we have to set a variable (*Particle Variable*') containing the initial positions of the particles to be considered. This variable is a matrix, where the second index is referred to the particle number (starting from 0). The first index is for the different parameters that have to be provided for each particle. This parameters are: x, y, z, initial color guess (for example, 0), guess of the initial element number containing the particle (for example 0).

# % particle Particle Style: Display Style: Display Style: Sick Arrow Style: Display Style: Sick Arrow Style: Display Quality: 10 Display Scale: 0.5 Color Variable: Velocity Variable: Velocity Particle Variable: particle Variable:

Advance Apply Close

#### Figure 20. Particles.

As an example, we have used a simple 2D axisymmetric fluidic problem. We have defined the '*Particle Variable*' named as *part* in the following way:

```
math nps=5;
math rad=5e-4;
do i 0 (nps-1) {
    math posx=$i*rad/nps;
    math part(0,$i)=posx;
    math part(1,$i)=0;
    math part(2,$i)=0;
    math part(3,$i)=0;
    math part(4,$i)=0;
    }
```

Click '*Apply*' and then '*Advance*' repeatedly in order to obtain the particle positions as time goes on. One intermediate result is shown in *Figure 21*.

Figure 21. Particles position after some time, starting all at the input.



The color scale, provided with the colored bar in the graphics window, can be setup with the 'Color Scale' button.



Figure 22. Color scale.

The graphics commands are used to change orientation, pan, zoom, etc. We can also fix the scale of the plotted results (with the 'Freeze Scaling' button).

We have a commands line. We can introduce commands in the TCL/TK language and also in the MATC language. MATC is used for managing mathematical calculations using matrices (generally filled with the results data). In this last case (MATC) we have to start the command with '*math*'. We are just going to use it for creating some plots. A more detailed explanation is given in a next section.

Additionally, we have a console where the commands history is plotted and another console for messages.

## IV.3. Commands line

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As mentioned previously, we have a commands line where we can add instructions in TCL/TK language and also in MATC language. These commands can be entered manually, or included in a file, executing it with the command '*source file*'. The first language (TCL/TK) is an "external" language, quite used in some other softwares. Detailed information can be found in books and through internet. The second language (MATC) is a quite specific language for Elmer, that is used for performing calculations with matrices. Elmer documentation comes with a MATC tutorial. We are just going to comment some of the most important aspects of these two languages and apply it to some examples.

Before starting looking at these two languages, we have to know that, when results are read by ElmerPost, the results are saved in matrices. The names of the variables can be seen in the "Read Model" window. As an example, for a fluidic simulation we will have the variables *Velocity* and *Pressure*. Obviously, these matrices contains the velocity and pressure results. They have as many





rows as components (*Velocity* has three rows, each corresponding to the velocities in directions x, y and z respectively, while *Pressure* only have one row). And they have as many columns as nodes we have in the model. Depending on the type of simulation (for example, for transient simulations) there can be more indexes. The relationship between the nodes and the column index is given by another matrix called *nodes*. This matrix contains the position of the nodes of our model. It has three rows corresponding to the x, y and z positions. And it has as many columns as nodes in our model. If we modify the nodes matrix, we will change the position of the nodes, and so it will be shown in the graphics windows. This can be useful sometimes for a more convenient visualization of the model/results, as we will see later.

Let's see some basics of the TCL/TK programming language:

Omments: #

Command syntax: command arg1 arg2 arg3 ....

- Variables:
  - Not declared.
  - Assign a value: set var val.
  - In order to obtain the value of a variable, we have to use \$var.
  - Command *info* to obtain information about variables (among other things).
  - Text strings can be grouped with quotes ("") or rounded brackets ({}).
  - All variables are strings. If not, they have to be indicated explicitly with the command *expr*.
- Expressions can be grouped with square brackets ([]).
- Mathematical functions: abs(x), acos(x), asn(x), atan(x), atan2(y,x), ceil(x), cos(x), cosh(x), double(x), exp(x), floor(x), fmod(x,y), hypot(x,y), int(x), log(x), log10(x), pow(x,y), rand(), round(x), sin(x), sinh(x), sqrt(x), srand(arg), tan(x), tanh(x).
- Conditional: if condition then action.
- For loop: for {inicialization} {condition} {increment} instruction.
- Foreach loop: *foreach variable list instruction*.
- While loop: *while condition instruction*.

MATC is a library used for evaluating mathematical expressions with matrices. These expressions can be used in the SIF file, also can be evaluated during simulation, and it can also be used in ElmerPost. Some basic aspects of MATC are:

- Two types of variables: matrices and strings.
- Ranges can be specified: Examples: 0:5, 5:0.
- Conditional if: *if* (*expr*) *expr*; *else expr*;.
- For loop: for (i=vector) expr;.
- While loop: while(expr) expr;.
  - Function:

function name(arg1,arg2,...)

 ! Optional function description (seen with help("name"))

 import var1
 #import global variable

 export var2
 #convert a local variable to global

expr;





#### \_name = value #Returned value

Operators: ', @, ~, ^, \*, #, /, +, -, ==, <>, <, >, <=, >=, :, &, |, ?, %, =.

Functions: funcdel(name), funclist(name), sprintf(fmt[,vec]), sscanf(str,fmt), matcvt(matrix, type), cvtmat(special,type), eval(str), **source(name**), help or help("symbol"), fread(fp,n), fscanf(fp,fmt), fgets(fp), fwrite(fp,buf,n), fprintf(fp,fmt[,vec]), fputs(fp,str), fopen(name, mode), freopen(fp,name,mode), fclose(fp), save(name,a[,ascii\_flag]), load(name), min(matrix), max(matrix), sum(matrix), trace(matrix), det(matrix), inv(matrix), tril(x), triu(x), eig(matrix), jacob(a,b,eps), lud(matrix), hesse(matrix), eye(n), zeros(n,m), ones(n, m), rand(n,m), diag(matrix) or diag(vector), **vector(start,end,inc)**, **size(matrix)**, resize(matrix,n,m), where(a), exists(name), **who**, format(precision).

Mathematical functions: abs(x), acos(x), asin(x), atan(x), ceil(x), cos(x), cosh(x), exp(x), floor(x), ln(x), log(x), pow(x,y), sin(x), sinh(x), sqrt(x), tan(x), tanh(x).



# V. Types of simulations

## V.1. Transient

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We can divide a transient analysis in diferent timesteps, each one with a total time size. For defining the total time size of every timestep we use the '*Timestep Sizes*' command. Each timestep will have a number of substeps. The number of substeps is defined with the '*Timestep Intervals*' command. Both commands are vectors. We have to take into account that timesteps refers to increase of time. As an example, if we want to make a transient simulation that is lasting 1s in total but with two timesteps, the first one lasting 1s second (solved every 0.1s) and the second timestep arriving up to 10s (solved every 1s) we could set:

Timestep Sizes(2) = 0.1 1Timestep Intervals(2) = 10 9

We can set a non-uniform time step by using the command '*Timestep Size*' with *TimeStep* as variable (this variable takes the values from 1 up to the number of intervals). Example:

Timestep Size = Variable TimeStep Real MATC "t0\*1.05^(tx-1)"

For setting parameters depending on time, we have to create tables, with the variable *Time*.

```
Body Force 1

Stress Bodyforce 2 = Variable Time

Real

0.0 -1.0

4.0 -1.0

4.01 0.0

5.0 0.0

End

End
```

Initial conditions are generally needed for transient simulation. Nevertheless, usually these conditions are taken zero.







## v.2. Coupled simulations

Coupled simulations refer to the problems where more than one field interacting each other has to be solved in a common domain or in the boundary between two domains. They are specified in solvers and boundary conditions.

## V.3. Axisymmetric models-simulations

In Elmer, the axis of rotation is always the y axis. We have to take it into account for building the model. Also, we have to add the boundary conditions associated with the rotation axis.





#### Acronyms:

2D: Two-dimensional3D: Three-dimensionalCAD: Computer Aided DesignFEM: Finite Element Method

GPL: General Public License

http://www.csc.fi/english/pages/elmer.
 http://www.paraview.org.