# Information Transfer and Dynamics of Nucleic Acids studied by Theoretical Approaches 

Alexandra Balaceanu


#### Abstract

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## ANNEX \| SUPPLEMENTARY INFORMATION

## 2 Parmbsc1: a refined force field for DNA simulations

## SUPPLEMENTARY DISCUSSION

## QM data fitting.

As shown in the Supplementary Table 12 refined parmbsc1 parameters fit very well high-level QM data. The syn-anti equilibrium, which was non-optimal in parmbsc0, is now well reproduced (Supplementary Fig. 26). The fitting to sugar puckering profile was improved by increasing the East barrier, and by displacing the North and South minima to more realistic regions (Supplementary Table 12 and Supplementary Fig. 27). Additionally, parmbsc1 provides $\varepsilon$ and $\zeta$ conformational map almost indistinguishable from the $\operatorname{CCSD}(\mathrm{T}) / \mathrm{CBS}$ results in solution (Supplementary Fig. 28), with errors in the estimates of relative $\mathrm{BI} / \mathrm{BII}$ stability and transition barrier equal to 0.2 and $0.0 \mathrm{kcal} \mathrm{mol}^{-1}$ respectively.

## Force-field benchmark simulations.

It is not our purpose here to perform a comprehensive comparison of parmbsc1 with previous force-fields. This would require the analysis of >100 structures with up to six other force-fields, clearly out of the scope of this work. We performed, however, a first critical evaluation of the most used force-fields using the well-known Drew Dickerson dodecamer as reference. We tested parmbsc0 ${ }^{1-3}$, parmbscO-OL1 ${ }^{4}(\varepsilon$ and $\zeta$ corrections from Šponer's group), parmbscO-OL4 ${ }^{5}$ ( $\chi$ corrections), parmbscO-OL1+OL4 ${ }^{4,5}$, CHARMM $36^{6}$, and a modified parmbscO developed by mixing corrected $\chi$ values and scaled-down van der Waals interactions (parmbscO-CG, Cheng-Garcia) ${ }^{7}$. In all cases simulations were extended for at least $1 \mu \mathrm{~s}$ under identical simulation conditions. The value of this benchmark must not be overestimated, since different behavior may be
found for other DNA sequences or conformations, but it can be useful to obtain an approximate idea of the range of error expected in parmbsc1 with respect to other modern force-fields. Results are summarized in Supplementary Table 2 and Supplementary Figs. 29-31. All the force-fields are able to maintain the general B-like conformation in the central part of the duplex. However, significant distortions are found in the terminal pairs for parmbsc0, parmbscO-OL1 ( $\varepsilon$ and $\zeta$ corrections), and CHARMM36, which show large openings (Supplementary Fig. 29) and very frequent fraying, with the formation of non-canonical interactions. The distortion induced by the opening of the terminal C-G pairs is especially dramatic in CHARMM36 simulations (Supplementary Fig. 29), but it is not negligible for parmbsc0 ${ }^{8}$ and parmbscO-OL1, where aberrant trans Watson-Crick contacts involving a cytosine in syn, are dominant (Supplementary Fig. 30). It is clear that duplexes are flexible and reversible opening and closing of terminal base pair should exist, as found for example in parmbsc1 simulations (Supplementary Fig. 30). However, detailed analysis of new NMR spectra (Supplementary Fig. 31) shows that there are just minor differences between terminal and interior base pairs, which mean that open states should be short-lived, and not prevalent as in CHARMM36 simulations. Furthermore, no NMR evidence exists (Supplementary Fig. 31) supporting the existence of stable unusual contacts involving terminal pairs, or the prevalence of non-anti conformations, which are observed in parmbsc0, parmbsc0-OL1 or CHARMM36 simulations.

The introduction of $\chi$ corrections removes the excessive fraying of terminal pairs, preserving better the integrity of the entire helix in parmbsc1, parmbscO-OL4 ${ }^{8}$, parmbsc0-CG (Cheng-Garcia, and parmbsc0-OL1+OL4 ( $\varepsilon, \zeta$, and $\chi$ corrections together) trajectories (Supplementary Figs. 29 and 30). The duplex sampled from parmbscO-CG calculations is however far from the experimental structures: RMSd around $4 \AA$ (compared to values clearly below $2.0 \AA$ for parmbsc1 simulations), strong undertwisting, poor groove geometry and incorrect description of the $\mathrm{BI} / \mathrm{BII}$ equilibrium
(Supplementary Table 2). The sequence dependence of the helical properties, which is clear for the rest of bsc0-based force-fields, is also lost here (Supplementary Fig. 29).

ParmbscO-OL4 and parmbscO-OL1+OL4 provide reasonable representations of the DDD geometry. However, the use of parmbsc1 leads to clear improvements in all structural descriptors. Thus, parmbsc1 balances better the sugar puckering (see Supplementary Fig. 29), leads to a better balance of $\mathrm{BI} / \mathrm{BII}$ states (Supplementary Table 2), improves very significantly the average roll which is now very close to the NMR estimates, avoiding the excess of roll found in other calculations (Supplementary Table 2 and Supplementary Fig. 29). Parmbsc1 improves very clearly the average twist and its sequence-dependence (RMSd difference between NMR and parmbsc1 twist profiles is 1.9 ㅇ, compared with 3.7 ○ for parmbsc1-OL1+OL4, or 5.6 ○ for CHARMM36. Not surprisingly, the improvement in twist, roll and puckering is reflected in much more realistic groove dimensions. For example the average difference in groove widths is only 0.3 Å between parmbsc1 and NMR values, while for the parmbsc0-OL1+OL4 force-field error is above 1 Å. In summary, at least for DDD, parmbsc1 provide results of better quality than those obtained with the most recent force-fields for DNA available.

## The effect of ionic strength and the nature of counterion.

To evaluate potential differences in simulations arising from the ionic strength we performed additionally $2 \mu \mathrm{~s}$ simulations of DDD with extra salt: $\mathrm{Na}^{+} \mathrm{Cl}^{-} 150 \mathrm{mM}$, and 500 mM . These additional calculations were performed using the same conditions outlined previously, showing results that are quite independent on the exact choice (in the 0-500 mM range) of the added extra salt (Supplementary Fig. 25).

## SUPPLEMENTARY REFERENCES

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## SUPPLEMENTARY TABLES

Supplementary Table 1. DNA sequences used for validation of the parmbsc1 force-field. The nature of the structure, the origin of the starting conformation and the length of the production trajectories are also reported. The validation set is divided in several blocks separated in the table by double lines (from top to bottom): i) Normal B-DNA structures (including mismatches, epigenetic modifications and polymeric sequences); ii) very large oligomers; iii) Complexes of DNA with proteins or drugs; iv) Unusual DNA structures; v) dynamic transitions.; parmbsc1 validation; and vi) parmbsc1 benchmarking.

| Sequence | Family | Origine / PDB id | Length (ns) |
| :---: | :---: | :---: | :---: |
|  |  |  | 1x 800 |
|  |  |  | $2 \times 1000$ |
| d(CGCGAATTCGCG) ${ }_{2}$ | B-DNA | 1BNA, 1NAJ | 1 x |
|  |  |  | 12001x |
|  |  |  | 10000 |
|  | B-DNA |  |  |
| $\mathrm{d}\left(\right.$ CCATACaATACGG) ${ }_{2}$ | mismatch AA | Fiber | 500 |
|  | B-DNA |  |  |
| d(CCATACgATACGG) ${ }_{2}$ | mismatch GG | Fiber | 500 |
|  | B-DNA |  |  |
| d(CGCGA5mCGTCGCG) ${ }_{2}$ | 5 methylC | Fiber | 250 |
|  | B-DNA |  |  |
| d(CGCGA5hmCGTCGCG) $2^{2}$ | 5hydroxy-methylC | Fiber | 250 |
| d(CGCGT5mCGACGCG) ${ }_{2}$ | B-DNA | Fiber | 500 |
| d(CGCGTsmCGACGCG) ${ }_{2}$ | 5 methylC | Fiber | 500 |
| d(CGCGACGTCGCG) ${ }_{2}$ | B-DNA | Fiber | 500 |
| d(CGCGTCGACGCG) $2^{2}$ | B-DNA, | Fiber | 500 |
| d(GCCTATAAACGCCTATAA) ${ }_{2}$ | B-DNA | Fiber | 1000 |
| d(CTAGGTGGATGACTCATT) ${ }_{2}$ | B-DNA | Fiber | 1000 |
| d(CACGGAACCGGTTCCGTG) ${ }_{2}$ | B-DNA | Fiber | 1000 |
| d(GGCGCGCACCACGCGCGG) ${ }_{2}$ | B-DNA | Fiber | 1000 |
| d(GCCGAGCGAGCGAGCGGC) ${ }_{2}$ | B-DNA | Fiber | 1000 |
| d(GCCTAGCTAGCTAGCTGC) ${ }_{2}$ | B-DNA | Fiber | 1000 |
| d(GCTGCGTGCGTGCGTGGC) ${ }_{2}$ | B-DNA | Fiber | 1000 |
| d(GCGATCGATCGATCGAGC) ${ }_{2}$ | B-DNA | Fiber | 1000 |
| d(GCGAGGGAGGGAGGGAGC) ${ }_{2}$ | B-DNA | Fiber | 1000 |
| $\mathrm{d}(\mathrm{GCGCGGGCGGGCGGGCGC})_{2}$ | B-DNA | Fiber | 1000 |
| d(GCGGGGGGGGGGGGGGGC) ${ }_{2}$ | B-DNA | Fiber | 1000 |
| d(GCGTGGGTGGGTGGGTGC) $2^{2}$ | B-DNA | Fiber | 1000 |
| d(CTCGGCGCCATC) ${ }_{2}$ | B-DNA | 2HKB | 590 |
| d(CCTCTGGTCTCC) $2_{2}$ | B-DNA | 2 KOV | 590 |



| DNA:TRP repressor | DNA-repressor | 1TRO | 1000 |
| :---: | :---: | :---: | :---: |
| DNA:leucine zipper | DNA-transc factor | 2DGC | 1000 |
| DNA:P22 c2 | DNA-represor | 3JXC | 1000 |
| d(CGCAAATTTGCG) ${ }_{2}$-distamycin | DNA-mG binder | 2DND | 700 |
| d(CTTTTCGAAAAG) ${ }_{2}$-Hoescht | Drug cooperativity | 1QSX | $10 \times 10$ |
| d(CGTACG) $2_{2}$-daunomycin | DNA-intercalator | 1D11 | 600 |
|  |  | 352D |  |
|  |  | (without |  |
| d(GGGG) ${ }_{4}$ | PS quadruplex | Thymine | 440 |
|  |  | loops) |  |
|  |  | 156D |  |
|  |  | (without |  |
| d(GGGG) ${ }_{4}$ | APS quadruplex | Thymine | 440 |
|  |  | loops) |  |
| $d(T \cdot A \bullet T)_{10}$ | PS triplex | Fiber | 440 |
| $\mathrm{d}(\mathrm{G} \bullet \mathrm{G} \bullet \mathrm{C})_{10}$ | PS triplex | Fiber | 440 |
| $\mathrm{d}(\mathrm{G} \bullet \mathrm{G} \bullet \mathrm{C})_{10}$ | APS triplex | Fiber | 440 |
| d(ATATATATATAT) ${ }_{2}$ | H-duplex | 1GQU | 720 |
| d(CGATATATATAT) ${ }_{2}$ | H-duplex | 2AF1 | 400 |
| d(AAGGGTGGGTGTAAGTGTGGGTGGGT) | G_quadruplex | 2LPW | 5000 |
| d(AGGGTTAGGGTTAGGGTTAGGG) | $\begin{gathered} \text { G-loop } \\ \text { quadruplex(HTQ) } \end{gathered}$ | 1KF1 | 1000 |
| d(GGGGTTTTGGGG) ${ }_{2}$ | G quadruplex (OxyQ) | 1 JRN | 1000 |
| d(CCGGTACCGG) ${ }_{4}$ | Holliday Junction | 1DCW | 1000 |
| d(CGCGCGCGCG) ${ }_{2}$ | Z-DNA, duplex | 110 T | $2 \times 385$ |
| d(GCGAAGC) | Hairpinfold (REXMD) | 1PQT | 1000 |
| d(CGCGAATTCGCG) $2^{2}$ | A-form in ethanol | 1BNA | 200 |
| d(CGCGAATTCGCG) ${ }_{2}$ | A to B transition $\left(\mathrm{H}_{2} \mathrm{O}\right)$ | 1BNA | $5 \times 40$ |
| $\mathrm{d}(\mathrm{GGCGCC})_{2}$ | DNA unfolding (Pyridine) | 1P25 | 400 |
| d(CGCGAATTCGCG) ${ }_{2}$ | DDD, 0.15 M NaCl | 1BNA | 2000 |
| d(CGCGAATTCGCG) $2^{2}$ | DDD, 0.5 M NaCl | 1BNA | 3000 |
| d(CGCGAATTCGCG) ${ }_{2}$ | parmBSCO | 1BNA | 1500 |
| d(CGCGAATTCGCG) ${ }_{2}$ | parmBSCO-OL1 | 1BNA | 1500 |
| d(CGCGAATTCGCG) $2^{2}$ | parmBSCO-OL4 | 1BNA | 1500 |
| d(CGCGAATTCGCG) ${ }_{2}$ | parmBSCO-OL1-OL4 | 1BNA | 1500 |
| $\mathrm{d}\left(\right.$ CGCGAATTCGCG) ${ }_{2}$ | parmBSCO-ChengGarcia | 1BNA | 1500 |
| d(CGCGAATTCGCG) ${ }_{2}$ | CHARMM36 | 1BNA | 1500 |
| d(CGCGAATTCGCG) $2_{2}$ | DDD, Amber GPU | 1BNA | 100 |
| d(CGCGAATTCGCG) ${ }_{2}$ | DDD, Amber CPU | 1BNA | 100 |
| d(CGCGAATTCGCG) ${ }_{2}$ | DDD, Gromacs GPU | 1BNA | 100 |
| d(CGCGAATTCGCG) ${ }_{2}$ | DDD, Gromacs CPU | 1BNA | 100 |

Supplementary Table 2. MD-averaged helical parameters (on $1.2 \mu$ s simulation time) of Drew-Dickerson dodecamer in parmbsc1 simulations (and, as a control, other modern force-fields) compared with the NMR and X-ray estimates. ${ }^{\text {a }}$

|  | Twist | Roll | Slide | Rise | Shift | Tilt | BI(\%) | Major groove width | Minor groove width |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Parmbsc1 | $34.3 \pm 5.4$ | $1.5 \pm 5.4$ | $-0.3 \pm 0.5$ | $3.3 \pm 0.3$ | 0.0 $\pm 0.8$ | $0.0 \pm 4.5$ | 77 | $11.9 \pm 1.7$ | $5.4 \pm 1.2$ |
| Parmbsc0 | $32.8 \pm 5.8$ | $2.7 \pm 5.8$ | $-0.4 \pm 0.6$ | $3.3 \pm 0.3$ | 0.0 $\pm 0.7$ | $0.0 \pm 4.3$ | 84 | $12.9 \pm 1.8$ | $3.9 \pm 1.2$ |
| OL1 | $33.3 \pm 5.7$ | $2.7 \pm 5.9$ | $-0.2 \pm 0.6$ | $3.3 \pm 0.3$ | $0.0 \pm 0.7$ | $0.0 \pm 4.4$ | 83 | $12.2 \pm 1.4$ | $6.1 \pm 1.3$ |
| OL4 | $33.3 \pm 6.4$ | $2.6 \pm 5.9$ | $-0.1 \pm 0.6$ | $3.3 \pm 0.3$ | $0.0 \pm 0.7$ | $0.0 \pm 4.5$ | 85 | $12.1 \pm 1.4$ | $6.5 \pm 1.3$ |
| OL1+OL4 | $33.0 \pm 6.1$ | $2.8 \pm 5.7$ | $-0.3 \pm 0.6$ | $3.3 \pm 0.3$ | $0.0 \pm 0.7$ | $0.0 \pm 4.3$ | 86 | $12.4 \pm 1.5$ | $6.0 \pm 1.2$ |
| C36 ${ }^{\text {d }}$ | $34.5 \pm 11$ | $5.1 \pm 8.8$ | $0.8 \pm 1.0$ | $3.6 \pm 0.8$ | $-0.1 \pm 1.1$ | $0.9 \pm 8.0$ | 66 | $10.5 \pm 1.5$ | $8.3 \pm 1.7$ |
| Cheng- <br> Garcia(CG) | $32.5 \pm 3.4$ | $1.5 \pm 5.2$ | $-1.7 \pm 0.5$ | $3.4 \pm 0.3$ | 0.0 $\pm 0.4$ | $0.0 \pm 4.3$ | 100 | $15.3 \pm 1.6$ | $5.5 \pm 0.9$ |
| X-ray ${ }^{\text {b }}$ NMR ${ }^{\text {c }}$ | $\begin{aligned} & 35.2 \pm 0.6 \\ & 35.6 \pm 0.8 \end{aligned}$ | $\begin{array}{r} -0.7 \pm 1.1 \\ 1.6 \pm 1.0 \\ \hline \end{array}$ | $\begin{array}{r} 0.1 \pm 0.1 \\ -0.3 \pm 0.1 \\ \hline \end{array}$ | $\begin{aligned} & 3.3 \pm 0.1 \\ & 3.2 \pm 0.1 \end{aligned}$ | $\begin{array}{r} -0.1 \pm 0.1 \\ 0.0 \pm 0.1 \end{array}$ | $\begin{array}{r} -0.4 \pm 0.9 \\ 0.0 \pm 0.7 \\ \hline \end{array}$ | $73^{\text {e }}$ | $\begin{aligned} & 11.2 \pm 0.1 \\ & 11.9 \pm 0.3 \end{aligned}$ | $\begin{aligned} & 4.6 \pm 0.3 \\ & 4.7 \pm 0.3 \end{aligned}$ |
| ${ }^{\text {a }}$ Translational parameters and groove widths are in $\AA$, while rotational parameters are in degrees. Note that for MD trajectories the standard deviations are computed from sequenceaverages and time-averages. ${ }^{b}$ X-ray mean values and standard deviations were obtained averaging the following structures (PDB id): 1BNA ${ }^{1}, 2 B N A^{2}, 7 B N A^{3}$ and $9 B N A^{4} .{ }^{c} N M R$ mean values and standard deviations were obtained by averaging over the ensemble of structures contained in the PDB id $1 N A J^{5}$. These average values are contaminated by the opening of terminal base pairs (note large standard deviations in roll and twist). ${ }^{\text {e }}$ Average value of BI population taken by averaging direct NMR estimates ${ }^{6,7}$. See also Supplementary Discussion and Supplementary Figs. 29-31 for a discussion on the relative performance of parmbsc1 with respect to other force-fields. |  |  |  |  |  |  |  |  |  |

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Supplementary Table 3. Ability of MD-ensembles obtained from parmbscO and parmbsc1 force fields to reproduce NMR observables for Drew-Dickerson dodecamer. The first block correspond to residual dipolar couplings Q-factor, $q=\sqrt{\sum\left(R D C_{\text {calc }}-R D C_{\text {exp }}\right)^{2}} / \sqrt{\sum R D C_{\text {exp }}^{2}}$, where RDC $C_{\text {exp }}$ has been determined using PALES ${ }^{1}$, and the second block to NOEs (146 restraints).

|  | NMR | X-ray | Fiber model B-DNA | Fiber model A-DNA | BSC1 | BSCO |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{gathered} \hline \text { Bicelles, 1NAJ }{ }^{\mathrm{a}}, 129 \\ \text { RDCs } \end{gathered}$ | 0.17 | 0.49 | 0.51 | 0.87 | 0.32 | 0.36 |
| $\begin{gathered} \text { Bicelles, 1DUF }{ }^{\text {b }}, 204 \\ \text { RDCs } \end{gathered}$ | 0.23 | 0.53 | 0.66 | 0.92 | 0.34 | 0.38 |
| Sum of violations (A) | 0.01 | 10.0 | 7.6 | 42.01 | 0.4 | 2.6 |
| Largest violation (A) | 0.01 | 1.0 | 0.4 | 1.3 | 0.2 | 1.3 |
| Num. of violated restraints | 1 | 35 | 36 | 84 | 2 | 5 |

${ }^{\text {a }}$ Data taken from ref. 2. ${ }^{\text {b }}$ Data taken from ref. 3.

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Supplementary Table 4. Different metrics showing the quality of parmbsc1 simulations for B-DNA duplexes. ${ }^{\text {a }}$

| DNA seq or PDB id | Ref | RMSd | RMSd/bp | \% H-bond | Avg. twist | Avg. roll |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1BNA (12mer) | C | $2.1 / 1.7$ | $0.18 / 0.17$ | $96 / 98$ | $35.6 / 34.3$ | $2.8 / 1.5$ |
| 1NAJ (12mer) | N | $1.7 / 1.4$ | $0.15 / 0.15$ | $96 / 98$ | $35.6 / 34.3$ | $2.8 / 1.5$ |
| CCATACgATACGG | N | $2.9 / 2.3$ | $0.22 / 0.21$ | $91 / 91$ | $33.5 / 34.2$ | $8.8 / 1.6$ |
| CCATACaATACGG | N | $3.3 / 3.1$ | $0.26 / 0.28$ | $93 / 94$ | $33.7 / 34.1$ | $2.7 / 2.5$ |
| CGCGACGTCGCG | F | $2.0 / 1.5$ | $0.17 / 0.15$ | $98 / 99$ | $34.8 / 34.6$ | $3.1 / 2.0$ |
| CGCGTCGACGCG | F | $2.6 / 1.5$ | $0.22 / 0.16$ | $97 / 99$ | $34.1 / 34.5$ | $3.4 / 2.3$ |
| GCGAGGGAGGGAGGGAGC | F | $2.7 / 2.3$ | $0.15 / 0.15$ | $97 / 99$ | $33.5 / 33.3$ | $2.5 / 2.9$ |
| GCGCGGGCGGGCGGGCGC | F | $2.3 / 2.0$ | $0.13 / 0.13$ | $97 / 99$ | $33.7 / 33.7$ | $2.8 / 3.3$ |
| GCGGGGGGGGGGGGGGGC | F | $3.0 / 2.7$ | $0.17 / 0.17$ | $98 / 99$ | $32.8 / 32.6$ | $3.0 / 3.5$ |
| GCGTGGGTGGGTGGGTGCC | F | $2.2 / 1.9$ | $0.12 / 0.12$ | $97 / 99$ | $33.1 / 33.0$ | $2.7 / 3.2$ |
| GCCGAGCGAGCGAGGGGC | F | $2.9 / 2.4$ | $0.17 / 0.15$ | $98 / 99$ | $34.7 / 34.5$ | $2.1 / 2.6$ |
| GCCTAGCTAGCTAGCTGC | F | $2.2 / 1.9$ | $0.13 / 0.12$ | $97 / 98$ | $34.3 / 34.2$ | $1.6 / 2.1$ |
| GCTGCGTGCGTGCGTGGC | F | $2.2 / 2.0$ | $0.13 / 0.13$ | $97 / 98$ | $32.6 / 34.5$ | $2.3 / 2.8$ |
| GCGATCGATCGATCGAGC | F | $2.0 / 1.8$ | $0.11 / 0.12$ | $97 / 98$ | $34.8 / 34.7$ | $1.9 / 2.3$ |
| GCCTATAAACGCCTATAA | F | $2.9 / 2.8$ | $0.17 / 0.18$ | $94 / 97$ | $34.7 / 34.4$ | $1.6 / 2.0$ |
| CTAGGTGGATGACTCATT | F | $3.3 / 2.9$ | $0.18 / 0.18$ | $94 / 97$ | $30.9 / 31.8$ | $1.2 / 4.6$ |
| CACGGAACCGGTTCCGTG | F | $3.0 / 2.9$ | $0.17 / 0.18$ | $95 / 97$ | $34.6 / 33.8$ | $2.7 / 2.0$ |
| GGCGCGCACCACGCGCGG | F | $3.4 / 2.7$ | $0.19 / 0.17$ | $96 / 98$ | $33.2 / 34.4$ | $3.5 / 2.4$ |
| 1D89 (12mer) | C | $2.3 / 1.9$ | $0.19 / 0.19$ | $93 / 98$ | $35.6 / 33.9$ | $3.0 / 1.7$ |
| 1FZX (12mer) | N | $1.8 / 1.7$ | $0.16 / 0.18$ | $95 / 96$ | $33.9 / 33.8$ | $2.4 / 2.3$ |
| 1RVH (12mer) | N | $1.9 / 1.7$ | $0.16 / 0.17$ | $98 / 98$ | $33.9 / 34.0$ | $2.2 / 2.6$ |
| 1SK5 (10mer) | C | $2.1 / 1.8$ | $0.21 / 0.23$ | $93 / 97$ | $34.2 / 34.3$ | $1.7 / 1.7$ |
| CGATATATATATCG | F | $1.9 / 1.6$ | $0.16 / 0.17$ | $96 / 97$ | $34.4 / 34.4$ | $2.9 / 1.7$ |
| 2HKB (12mer) | N | $1.8 / 1.7$ | $0.15 / 0.17$ | $96 / 97$ | $34.1 / 33.8$ | $2.3 / 2.6$ |
| 2K0V (12mer) | N | $2.4 / 2.1$ | $0.20 / 0.22$ | $95 / 96$ | $33.9 / 33.5$ | $2.2 / 1.9$ |
| 2L8Q (12mer) | N | $1.9 / 1.5$ | $0.16 / 0.16$ | $95 / 97$ | $34.4 / 34.1$ | $2.7 / 2.5$ |
| 2LWG (10mer) | N | $1.8 / 1.5$ | $0.18 / 0.19$ | $98 / 99$ | $34.5 / 34.6$ | $2.4 / 1.5$ |
| 2M2C (14mer) | N | $2.5 / 2.3$ | $0.18 / 0.20$ | $96 / 97$ | $34.4 / 34.0$ | $2.7 / 2.5$ |

${ }^{2}$ The reference structures used for comparison were taken from X-ray crystallography (C), NMR ( N ) or fiber ( F ) data, as available. Except otherwise mentioned, all the duplexes were selfcomplementary and only one strand is noted. For structures available in the Protein Data Bank we display only the PDB code. RMSd are in Å and average rotational parameters are in degrees. Note that the first value in each cell corresponds to a sequence average considering the complete oligomer, while the second value in each cell was computed excluding the terminal residues. ${ }^{\text {b }}$ Structure containing a G:G mismatch. The NMR structure used as reference was solved after parmbsc1 was derived ${ }^{1}$. ${ }^{\mathrm{C}}$ Same than ${ }^{\mathrm{b}}$ but containing an A:A mismatch.

1. Rossetti, G., Dans, P.D. et al. Nucleic Acids Res.43, 4309-4321 (2015).

Supplementary Table 5. Long oligomers RMSd, helical parameters, and bending (reported herein as \% of shortening) values, for all the residues or excluding the terminal ones, with respect to the ideal helix built using average dinucleotide X-ray helical parameters.

|  | Seq1 $^{\text {c }}$ | Seq2a | Seq2b | Seq3 | Seq4a | Seq4b |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: |
| RMSd | $4.4 \pm 1.3$ | $4.2 \pm 1.5$ | $4.3 \pm 1.3$ | $6.7 \pm 2.8$ | $7.2 \pm 2.7$ | $7.4 \pm 2.7$ |
| RMSd | $4.2 \pm 1.2$ | $4.0 \pm 1.4$ | $4.1 \pm 1.2$ | $6.4 \pm 2.6$ | $6.9 \pm 2.6$ | $7.0 \pm 2.5$ |
| (no ends) |  |  |  |  |  |  |
| RMSd / bp |  | 0.14 | 0.12 | 0.12 | 0.12 | 0.14 |
| RMSd / bp | 0.14 | 0.12 | 0.12 | 0.12 | 0.13 | 0.13 |
| (no ends) |  |  |  |  |  |  |
| Avg. twist (ㅇ) | $34.9 \pm 7.3$ | $35.0 \pm 5.3$ | $34.5 \pm 5.4$ | $34.2 \pm 5.6$ | $34.8 \pm 5.3$ | $34.3 \pm 5.8$ |
| Avg. roll (으) | $2.1 \pm 8.4$ | $1.5 \pm 5.8$ | $1.7 \pm 5.8$ | $2.2 \pm 5.7$ | $1.7 \pm 5.8$ | $2.0 \pm 6.0$ |
| Avg. slide (Å) | $-0.4 \pm 0.7$ | $-0.2 \pm 0.5$ | $-0.3 \pm 0.6$ | $-0.4 \pm 0.6$ | $-0.2 \pm 0.5$ | $-0.3 \pm 0.5$ |
| Shortening | $4 \pm 2(16)$ | $5 \pm 2(20)$ | $5 \pm 2(17)$ | $6 \pm 3(18)$ | $6 \pm 3(23)$ | $6 \pm 3(21)$ |

${ }^{a}$ Values per base pair are indicated to avoid size-inconsistency. ${ }^{\text {b }}$ Note that for helix shortening the maximum shortening percentages are reported in bracket. ${ }^{\text {c }}$ Seq1: ATGGATCCATAGACCAGAACATGATGTTCTCA in TIP3P water; Seq2a: CGCGATTGCCTAACGAGTACTCGTTAGGCAATCGCG in SPCE water;
Seq2b: idem Seq2a in TIP3P water;
Seq3: CGCCGGCAGTAGCCGAAAAAATAGGCGCGCGCTCAAAAAAATGCCCCATGCCGCGC in TIP3P water;
Seq4a: CGCGATTGCCTAACGGACAGGCATAGACGTCTATGCCTGTCCGTTAGGCAATCGCG in SPCE water;
Seq4b: idem Seq4a in TIP3P water.

Supplementary Table 6. Statistic of NOE restraints violations for different nucleic acids (include: normal duplexes, hairpins, quadruplexes, and A-tracks). ${ }^{\text {a }}$

| Structure <br> (PDB id) | Number <br> Restraints | Average <br> Violation | Largest <br> Violation | Number <br> violations |
| :---: | :---: | :---: | :---: | :---: |
| 1NAJ | 146 | 0.0001 | 0.01 | 1 |
| 2LPW | 938 | 0.003 | 2 | 1 |
|  |  | 0.0006 | 0.1 | 12 |
| 1PQT | 94 | $0.07^{\text {b }}$ | 7.0 | 45 |
|  |  | 0.01 | 0.1 | 3 |
| 1G14 | 218 | 0.01 | 0.1 | 2 |
|  |  | 0.05 | 0.2 | 33 |
| 1RVH | 446 | 0.02 | 0.9 | 44 |
|  |  | 0.03 | 0.3 | 50 |
| 2LWG | 415 | 0.01 | 0.8 | 56 |
|  |  | 0.03 | 0.5 | 28 |
| 2KOV | 634 | 0.05 | 1.4 | 38 |
|  |  | 0.12 | 1.9 | 83 |
| 2L8Q | 172 | 0.0005 | 2.5 | 129 |
|  |  | 0.001 | 0.09 | 1 |
| 2M2C | 296 | 0.15 | 3.3 | 1 |
|  |  | 0.13 | 3.1 | 54 |
| 2NQ1 | 870 | 0.02 | 1.3 | 50 |
|  |  | 0.09 | 3.9 | 111 |

[^0]Supplementary Table 7. Quality factor (Q-factor), $q=\sqrt{\sum\left(R D C_{\text {calc }}-R D C_{\text {exp }}\right)^{2}} / \sqrt{\sum R D C_{\text {exp }}^{2}}$, for the agreement between observed and predicted residual dipolar couplings (RDCs), using both experimental NMR structures and parmbsc1 MD simulations. ${ }^{\text {a }}$

| Structure | Alignment <br> Method | Number <br> RDCs | Q-factor <br> (NMR) | Q-factor <br> (MD) |
| :---: | :---: | :---: | :---: | :---: |
| 1NAJ | Bicelles | 204 | 0.23 | 0.34 |
| 2LPW | Bicelles | 57 | 0.25 | 0.54 |
| 1PQT | Pf1 | 29 | 0.11 | 0.41 |
| 1RVH | Pf1 | 72 | 0.13 | 0.27 |
| 2LWG | Pf1 | 46 | 0.18 | 0.29 |

${ }^{\text {a }}$ Note that lower Q-factor indicates better agreement. Typically data sets include both C-H and N-H dipolar couplings. The alignment media used to record NMR RDCs is indicated in all the cases. RDCs were back-calculated from the MD simulations using PALES.

Supplementary Table 8. Statistic of NOE violations for different nucleic acids, for oligomers solved after parmbsc1 development. NOE restraints here are determined using the full matrix relaxation and are more accurate than those typically found in the literature (rough data available upon request). ${ }^{\text {a }}$

| Duplex | Number <br> restraints | Average <br> violation | Largest <br> violation | Number <br> violations $^{\text {b }}$ | Rfactor $_{2 \alpha}{ }^{\text {c }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| GG mismatch | 246 | 0.004 | 0.090 | $73 / 15 / 0$ | 0.204 |
| AA mismatch | 230 | 0.012 | 0.302 | $64\|36\| 7$ | 0.172 |
|  |  | 0.003 | 0.160 | $64 / 6 / 1$ | 0.290 |
| ACGT control | 208 | 0.006 | 0.083 | $51\|27\| 0$ | 0.292 |
|  |  | 0.006 | 0.046 | $85 / 29 / 0$ | 0.261 |
| A5mCGT ${ }^{\text {d }}$ | 102 | 0.022 | 0.123 | $106\|79\| 12$ | 0.250 |
|  |  | 0.034 | 0.205 | $57 / 49 / 14$ | 0.197 |
| A5hmCGT $^{\text {e }}$ | 216 | 0.004 | 0.189 | $60\|45\| 18$ | 0.243 |
|  |  | 0.014 | 0.218 | $86\|57\| 2$ | 0.236 |

[^1]1. Gonzalez, C., Rullmann, J.A.C., Bonvin, A., Boelens, R. \& Kaptein, R. J. Magn. Reson.91, 659-664 (1991).
2. Gronwald, W. et al. J. Biomol. NMR17, 137-151 (2000).

Supplementary Table 9. Different metrics of DNA flexibility in the Cartesian space for the Drew-Dickerson dodecamer simulation using parmbsc0 and parmbsc1 force-fields.

| Metrics | Parmbsc1 | Parmbsc0 |
| :---: | :---: | :---: |
| Entropy all heavy ${ }^{\text {a }}$ | 2.14 | 2.14 |
|  | 2.00 | 2.00 |
| Entropy backbone | 1.16 | 1.15 |
|  | 1.11 | 1.10 |
| First three eigenvalues ${ }^{\text {b }}$ | 176,127,102 | 204,135,104 |
| Eigenvalues 10, 20 and 30 | 20,8,4 | 23,9,4 |
| Self-similarity (10 eigenvalues) ${ }^{\text {c }}$ | 0.89 | 0.94 |
| Similarity parmbsc1/parmbsc0 ${ }^{\text {d }}$ |  |  |
| Relative similarity ${ }^{\text {e }}$ |  |  |
| Energy weighted similarity |  |  |
| Relative weighted similarity |  |  |
| ${ }^{\text {a }}$ Entropies in kcal mol ${ }^{-1} \mathrm{~K}^{-1}$ are determined using Schlitter (roman) and Andrioacei-Karplus (italics) for the entire $1.2 \mu \mathrm{~s}$ simulations. ${ }^{\text {b }}$ Eigenvalues (in $\AA^{2}$ ) are computed by diagonalization of the covariance matrix and ordered according to their contribution to the total variance. ${ }^{\text {c }}$ Selfsimilarity is computed by comparing the first and second halves of the same trajectory. Similarity and weighted similarity indexes are computed using the Hess matrix ${ }^{1}$, or following reference ${ }^{2}$. ${ }^{e}$ Relative similarities are computed from absolute similarities and self-similarities as described elsewhere ${ }^{3}$. |  |  |

1. Hess, B. Phys. Rev. E62, 8438 (2000).
2. Pérez, A. et al. J. Chem. Theory Comput.1, 790-800 (2005).
3. Orozco, M., Pérez, A., Noy, A. \& Luque, F.J. Chem. Soc. Rev.32, 350-364 (2003).

Supplementary Table 10. Sequence-dependent dinucleotide force constants associated with the deformation of a single helical degree of freedom. ${ }^{\text {a }}$

| bps | Twist | Tilt | Roll | Shift | Slide | Rise |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| AA | 0.028 | 0.037 | 0.020 | 1.72 | 2.13 | 7.64 |
|  | 0.036 | 0.045 | 0.023 | 1.68 | 2.91 | 9.33 |
|  | 0.043 | 0.044 | 0.022 | 2.45 | 3.56 | 9.47 |
|  | (0.092) | (0.100) | (0.049) | (3.98) | (6.16) | (21.75) |
| AC | 0.036 | 0.038 | 0.023 | 1.28 | 2.98 | 8.83 |
|  | 0.047 | 0.045 | 0.027 | 1.54 | 3.67 | 10.44 |
|  | 0.034 | 0.034 | 0.025 | 1.55 | 3.33 | 8.31 |
|  | (0.073) | (0.111) | (0.080) | (2.94) | (6.37) | (23.86) |
| AG | 0.028 | 0.037 | 0.019 | 1.40 | 1.78 | 7.04 |
|  | 0.031 | 0.049 | 0.025 | 1.54 | 2.78 | 9.73 |
|  | 0.036 | 0.045 | 0.022 | 2.00 | 2.82 | 9.35 |
|  | (0.064) | (0.149) | (0.096) | (3.21) | (7.19) | (29.50) |
| AT | 0.031 | 0.035 | 0.022 | 1.05 | 3.77 | 9.34 |
|  | 0.031 | 0.033 | 0.024 | 1.24 | 4.10 | 9.23 |
|  | 0.032 | 0.032 | 0.023 | 1.21 | 3.49 | 7.32 |
|  | (0.070) | (0.166) | (0.055) | (3.17) | (10.69) | (25.55) |
| CA | 0.015 | 0.025 | 0.016 | 1.05 | 1.80 | 6.30 |
|  | 0.028 | 0.028 | 0.016 | 0.77 | 2.69 | 7.66 |
|  | 0.032 | 0.027 | 0.018 | 1.60 | 2.19 | 6.71 |
|  | (0.043) | (0.082) | (0.048) | (3.73) | (2.40) | (18.24) |
| CC | 0.026 | 0.042 | 0.020 | 1.43 | 1.57 | 7.86 |
|  | 0.032 | 0.049 | 0.021 | 1.50 | 1.78 | 9.59 |
|  | 0.030 | 0.043 | 0.021 | 1.53 | 1.74 | 8.96 |
|  | (0.041) | (0.119) | (0.064) | (2.43) | (3.54) | (30.31) |
| CG | 0.014 | 0.026 | 0.016 | 1.05 | 1.91 | 6.11 |
|  | 0.024 | 0.032 | 0.016 | 1.10 | 2.47 | 7.61 |
|  | $0.032$ | $0.024$ | $0.017$ | 1.82 | 2.48 | 6.64 |
|  | (0.047) | (0.068) | (0.050) | (1.59) | (3.30) | (14.16) |
| GA | 0.024 | 0.038 | 0.020 | 1.32 | 1.88 | 8.48 |
|  | 0.034 | 0.045 | 0.023 | 1.40 | 2.66 | 10.08 |
|  | $0.040$ | $0.041$ | 0.024 | 2.27 | 3.40 | 10.12 |
|  | (0.071) | (0.087) | (0.046) | (6.54) | (2.78) | (22.82) |
| GC | 0.022 | 0.036 | 0.026 | 1.18 | 2.59 | 9.47 |
|  | 0.031 | 0.043 | 0.025 | 1.32 | 3.19 | 11.16 |
|  | 0.027 | 0.031 | 0.028 | 1.70 | 4.79 | 9.43 |
|  | (0.055) | (0.082) | (0.082) | (3.35) | (6.24) | (25.86) |
| TA | 0.018 | 0.019 | 0.015 | 0.64 | 1.25 | 6.08 |
|  | 0.028 | 0.025 | 0.015 | 0.50 | 2.16 | 7.47 |
|  | 0.036 | 0.021 | 0.015 | 0.93 | 1.52 | 6.61 |
|  | (0.052) | (0.148) | (0.029) | (3.86) | (2.35) | (21.91) |

${ }^{\text {a Parmbsc0 (roman) }}{ }^{1}$, parmbsc1 (italics), and CHARMM27 (bold) force-fields are compared with stiffness values derived from inspection of the X-Ray structural variability of the different base pair steps (in brackets) ${ }^{2}$. Note that values for a particular base pair step are diagonal entries of its stiffness matrix. Values reported in the table are averages over all the equivalent steps. The rotational values are in kcal $\mathrm{mol}^{-1} \mathrm{deg}^{-2}$ and translational ones are in kcal mol ${ }^{-1} \AA^{-2}$.

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2. Olson, W.K., Gorin, A.A., Lu, X.-J., Hock, L.M. \& Zhurkin, V.B. Proc. Natl. Acad. Sci.95, 11163-11168 (1998).

Supplementary Table 11. Elastic properties derived from atomistic MD simulations of three sequences of DNA. ${ }^{\text {a }}$

| Persistence length |  |  |  |  |  |  | Other stiffness descriptors |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| DNA | Roll | Tilt | Isotropic | Dynamics | Static | Total | Torsion module | Stretch <br> Module |
| Seq $3^{\text {b }}$ | $41 \pm 10$ | $63 \pm 16$ | $49 \pm 11$ | $63 \pm 1$ | $566 \pm 150$ | $\begin{gathered} 57 \pm 2 \\ \frac{41 \pm 20}{49 \pm 20} \end{gathered}$ | $\begin{aligned} & 48 \pm 19 \\ & 101 \pm 9 \end{aligned}$ | $\begin{gathered} 1,373 \pm 195 \\ 1,857 \pm 22 \end{gathered}$ |
| Seq4a | $41 \pm 8$ | $64 \pm 14$ | $50 \pm 9$ | $71 \pm 1$ | $608 \pm 150$ | $\begin{gathered} 64 \pm 2 \\ \frac{42 \pm 23}{50 \pm 23} \end{gathered}$ | $\begin{gathered} 49 \pm 13 \\ 102 \pm 10 \end{gathered}$ | $\begin{gathered} 1,430 \pm 210 \\ 1,567 \pm 42 \end{gathered}$ |
| Seq4b | $41 \pm 7$ | $65 \pm 15$ | $50 \pm 9$ | $71 \pm 1$ | $310 \pm 44$ | $57 \pm 2$ <br> $39 \pm 20$ <br> $48 \pm 21$ | $\begin{gathered} 46 \pm 13 \\ 107 \pm 12 \end{gathered}$ | $\begin{gathered} 1,476 \pm 185 \\ 1,832 \pm 45 \end{gathered}$ |
| Avg. | $41 \pm 14$ | $64 \pm 26$ | $50 \pm 17$ | $68 \pm 2$ | $495 \pm 211$ | $\begin{gathered} 59 \pm 4 \\ \frac{41 \pm 30}{49 \pm 30} \end{gathered}$ | $\begin{gathered} 47 \pm 26 \\ 104 \pm 18 \end{gathered}$ | $\begin{gathered} 1,426 \pm 341 \\ 1,752 \pm 65 \end{gathered}$ |

${ }^{\text {a }}$ Persistence lengths and torsion modules are in nm , and stretch module are in pN . Values in roman correspond to 2 bp windows, while values in italic correspond approximately to one DNA turn windows ${ }^{1}$ : (i) persistence lengths are calculated by linearly fitting the directional decay from 2 bp until 11 bp subfragments, and the static contributions come from the distribution of sequence-dependent static bends obtained through the MD average structure; (ii) stretch modulus are obtained by linearly fitting end-toend variances of all central sub-fragments containing from 8 bp up to 16 bp to avoid the very long endeffect; (iii) torsional modulus is evaluated by averaging the 38 central sub-fragments containing 11 bp . Only the central 48 -mer of the 56 -mers was considered to minimize end-effects. Underlined values were obtained using a local implementation of Olson's Monte Carlo procedure ${ }^{2}$, without additional corrections, or including (underlined with a curved line) partial variance corrections as discussed in Noy and Golestanian $2012^{1 \text { b }}$. See Supplementary Table 5 for the definition of the sequences. As reference experimental estimates for persistence lengths are around $50 \mathrm{~nm}^{3}$, for static persistence lengths are in the range of $200-1,500 \mathrm{~nm}^{4,5}$, for stretch modulus are around $1,100-1,500 \mathrm{pN}^{6,7}$ and for torsion (twist) constants are in the range $80-120 \mathrm{~nm}^{8,9}$.

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4. Smith, S.B., Finzi, L. \& Bustamante, C. Science258, 1122-1126 (1992).
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Supplementary Table 12. Differences between QM and force-field estimates for the parameterized systems. Values refer to calculations performed in water.

| Torsion | Adenosine | Guanosine | Cytosine | Thymidine |
| :---: | :---: | :---: | :---: | :---: |
| Glycosidic torsion ( $\mathrm{\chi}$ ) |  |  |  |  |
| Geometries ( $)^{\text {a }}$ |  |  |  |  |
| Anti | 14 / 40 | 9 / 40 | 2.5 / 1 | 2.5 / 1 |
| Barrier | 1.5 / 11 | 2.5 / 15 | 13 / 10 | 11 / 11 |
| Syn | 7 / 32 | 2.5 / 30 | 12 / 30 | -12 / 30 |
| Energies ( $\left.\mathrm{kcal} \mathrm{mo}^{1}\right)^{\text {b }}$ |  |  |  |  |
| Anti/Syn | 0.0/-0.3 | -0.4 / -0.6 | -1.1/1.3 | -0.8 / 1.7 |
| Barrier ${ }^{\text {c }}$ | 0.3/-2.0 | 0.0 / -2.1 | -0.6/-0.7 | -0.9/-1.2 |
| Profile | 0.3 / 2.5 | 1.2 / 2.8 | 0.9 / 4.0 | 0.9 / 3.9 |
| Phase angle (P) |  |  |  |  |
| Geometries ( ${ }^{\circ}{ }^{\text {a }}$ |  |  |  |  |
| North | 10 / 30 | 10 / 10 | 10 / 40 | $0 / 10$ |
| East | 0 / 10 | $0 / 0$ | 10 / 10 | 0 / 10 |
| South | 0 / 0 | 10 / 10 | 0 / 0 | 0 / 0 |
| Energies ( $\left.\mathrm{kcal} \mathrm{mo}^{1}\right)^{\text {b }}$ |  |  |  |  |
| North/South | -0.1/-1.5 | 0.0 / -1.0 | -0.6 / -1.6 | 0.5 / -0.5 |
| East Barrier | -0.2 / 0.4 | -0.5/0.7 | -0.1/1.2 | -0.8/0.0 |
| Profile | 0.4 / 0.6 | 0.5 / 0.4 | 0.4/ 0.7 | 0.2 / 0.5 |

${ }^{\text {a }}$ Errors in the position of the minima and transition state when parmbsc1 (first number in the cell) or parmbsc0 (second number in the cell) values are compared with MP2 geometries. ${ }^{\text {b }}$ Errors in the estimates of the relative stability and transition barrier when parmbs1 (first number in the cell) or parmbsc0 (second number in the cell) values are compared with singlepoint $\operatorname{CCSD}(T) / C B S$ results. ${ }^{\text {C }}$ Energy values refer to barrier at $\chi$ around 120 degrees, note that the large barrier located at $\chi$ around 0 is very well reproduced at the parmbsc1 level, but very poorly at the parmbscO one (Supplementary Fig. 26).

## SUPPLEMENTARY FIGURES



Supplementary Figure 1| Helical parameters of DDD: Slide, Rise and grooves' width. Comparison of slide, rise, major and minor groove width average values per base-pair step coming from NMR structure pdb: 1NAJ (blue), X-ray structure pdb: 1BNA (green), 1 $\mu \mathrm{s}$ run using parmbsc0 force-field (black) and $1.2 \mu \mathrm{~s}$ run using parmbsc1 force-field.


Supplementary Figure 2| Helical parameters per base-pair of DDD. Comparison of propeller twist, base opening, $\chi$ (chi) and pseudo-rotational angle (pucker) average values per base-pair step coming from NMR structure pdb:1NAJ (blue), X-ray structure pdb:1BNA (green), $1 \mu \mathrm{~s}$ run using parmbscO force-field (black), and $1.2 \mu \mathrm{~s}$ run using parmbsc1 force-field.


Supplementary Figure $3 \mid \mathrm{BI} / \mathrm{BII}$ populations of DDD. Comparison of BI population percentage per base-pair step for DDD. Values coming from NMR/Tian et al. ${ }^{1}$ (blue), NMR/ Schwieters et al. ${ }^{2}$ (light blue), $1 \mu \mathrm{~s}$ run using parmbsc0 force-field (black) and 1.2 $\mu \mathrm{s}$ run using parmbsc1 force-field (red).

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Supplementary Figure 4| Helical parameters of A-tract sequences: AATT and AAAA. Comparison in structural characteristics such as propeller twist, slide, inclination, twist, roll and minor groove width of values obtained using parmbsc1 force-field (full line) and experimental values (dashed lines) for AATT (pdb code:1RVH) (green) and AAAA (pdb code: 1FZX) (blue) sequences. Experimental average is represented with a grey line, while parmbsc1 average is represented with a red line.


Supplementary Figure 5| Helical parameters of A-tract sequences: ATAT and TTAA. Comparison in structural characteristics such as propeller twist, slide, inclination, twist, roll and minor groove width of values obtained using parmbsc1 force-field (full line) and experimental values (dashed lines) for ATAT (green) and TTAA (blue) sequences. Experimental average is represented with a grey line, while parmbsc1 average is represented with a red line.
a

b



Supplementary Figure 6| Base-pair step helical parameters of A-tract sequences. Comparison in rise and shift of values obtained using parmbsc1 force-field (full line) and experimental values (dashed lines) for (a) AATT (pdb code:1RVH) (green) and AAAA (pdb code: 1FZX) (blue) and (b) ATAT (green) and TTAA (blue) sequences. Experimental average is represented with a grey line, while parmbsc1 average is represented with a red line.


Supplementary Figure 7| Sequence-dependent variability of twist and roll. Comparison of DNA-protein complexes (blue), naked DNA (green) and parmbsc1 (red) values for twist (top) and roll (bottom) values per base-pair step. Values of DNA-protein complex come from analysis of 636 structures from PDB, while values of naked DNA come from analysis of 103 structures from PDB ${ }^{1}$.

1. Dans, P.D., Pérez, A., Faustino, I., Lavery, R. \& Orozco, M. Nucleic Acids Res.40, 10668-10678 (2012).


Supplementary Figure 8| Holliday junction structural features are close to x-ray (1DCW) structure. (a) Structural comparison of the time-averaged structure (in colors) with the x-ray reference structure (grey). (b) All heavy atoms RMSD and (c) per-residue RMSD from $1 \mu \mathrm{~s}$ MD simulation. X-ray structure was also taken as reference in the perresidue RMSD calculation. Note the higher RMSD values correspond to end strand bases. Starred residues are placed in the junction between helices. (d) Selected time-averaged helical parameters for the symmetric helices I and II. For experimental reference structures see ref. 1.

1. McKinney, S.A., Déclais, A.-C., Lilley, D.M.J. \& Ha, T. Nat. Struct. Mol. Biol.10, 93-97 (2003).


Supplementary Figure 9| Holliday junction PCA results. Projection to the first two PCAeigenvectors based on the heavy atoms of junction bases (residues $16,17,36$, and 37 ). The major conformation (in red) is present over $\sim 95 \%$ of the simulation.



Supplementary Figure 11| Simulation of parallel H-DNA. (a) Comparison of experimental structure (grey) with a snapshot from a 400 ns run using parmbsc1 (light blue). (b) RMSd of the 400 ns run with several snapshots plotted along the trajectory (light blue) compared with the experimental structure (grey) with highlighted sever distortions in the duplex.


Supplementary Figure 12| Crystal packing of Human Talomeric Quadruplex (HTQ). Crystal packing of HTQ quadruplex (pdb code: 1KF1) showing interactions between loops' bases and other crystal units. Loop residues stacked to the neighboring units are highlighted in the circles.


Supplementary Figure 13| Correlation between the number of violations in NOE restraints found in MD-parmbsc1 trajectories and corresponding NMR models. See Supplementary Table 7 for details on structures.


Supplementary Figure 14| Representation of the crystal structure simulation of a BDNA duplex (PDB: 1D23). The simulation box used in the crystal simulations is shown on the left, while comparison between the best-fit average structure from parmbsc1 simulations (orange) and the crystal structure (green) are shown on the right. Note that the RMS deviation for all DNA heavy atoms of the simulation average structure (compared to the PDB structure) is $0.70 \AA$. This can be compared to $0.77 \AA$ for a crystal simulation using parmbsc0, and $1.83 \AA$ for a solution simulation also using parmbsc0 ${ }^{1}$.

1. Liu, C., Janowski, P.A. \& Case, D.A. Biochim. Biophys. Acta (BBA)-General Subj.1850, 1059-1071 (2014).


Supplementary Figure 15| Helicoidal analysis of a simulation of a B-DNA duplex (PDB: 1D23) within crystal environment. Helical parameters comparing results from simulation using parmbsc0 (blue) and parmbsc1 (red) force-fields, a simulation in solution (green) and the crystal structure (black).


## Supplementary Figure 16| Representative stability properties in drug-DNA complexes

 with parmbsc1. RMSD (a) and representative distance between the distamycin A and the closest residues. (b) RMSD plots relative to $x$-ray (PDB id: 2DND), and MD-average structures for DNA (black and grey respectively) and distamycin A (red and orange respectively). Original contacts with the DNA are rapidly replaced by neighboring atoms keeping distamycin A within the minor groove. RMSD (c) and representative distances between the first daunomycin (PDB id: 1D11) and the closest guanine. (d) Second daunomycin's RMSd values are similar. Stabilizing interactions (h-bonds) between the N3 of guanine (residues 2 and 8 respectively) and a hydroxyl group in the daunomycin were stable along time.

Supplementary Figure 17| Representative helical base pair step parameters in drugDNA complexes. Time-averaged values associated to the DNA in complex with daunomycin (a) and distamycin A (b) in black compared with the original values from the X-ray structures (red, PDB id: 1D11 and 2DND for daunomycin and distamycin respectively).
a

b


| Component | Volume <br> $\left(\mathrm{nm}^{3}\right)$ | Dielectric constant <br> parmbsc1 $\left(\varepsilon_{\mathrm{r}}\right)$ |  |
| :--- | ---: | ---: | ---: |
| DNA | $10.1 \pm 0.2$ | $8.0 \pm 0.3$ | $8.5 \pm 1.4$ |
| DFM $\left(\varepsilon_{\mathrm{r}}\right)$ |  |  |  |

Figure 18| DNA dielectric constant. (a) Total dipole moment over time for 5 different replicas (100 ns each) taken from the microsecond long DDD simulation. (b) Accumulative mean square deviation of the dipole moment for the five replicas showing fairly good convergence after 30-40 ns. Values of whole DNA, sugar and phosphate groups, and sugar and base contributions are shown in the table below. See ref. 1 for the detailed procedure followed herein.

1. Cuervo, A., Dans, P. D.et al. Proc. Natl. Acad. Sci.111, E3624-E3630 (2014).


Supplementary Figure 19| Sequence dependent helical deformability. Variability of Twist (top) and Shift (bottom) stiffness constants for 10 unique base-steps. Parmbsc0 and CHARMM27 values are taken from ref 1.

1. Perez, A., Lankas, F., Luque, F.J. \& Orozco, M. Nucleic Acids Res.36, 2379-2394 (2008).


Supplementary Figure 20| Analysis of DNA minicircles. Final frames of the minicircles MD simulations. The secondary structure of the relaxed loop with 106 bp and 10 helical turns (106t10) remains intact, while the 2 negatively supercoiled circles show significant denaturalization. The 100 bp circle with 9 turns (100t9) presents 2 adjacent pyrimidine base-flipping towards the major groove, and the 106 bp circle with 9 turns (106t9), denature over multiple consecutive base pairs.


Supplementary Figure 21| MD simulations of conformational changes. (a) $A$ to $B$ transition simulation of DDD, where A-DNA form is presented in black with B-DNA in red. (b) Simulation of DDD in mixture of water and ethanol (see refs. 1 y 2 for additional discussion). (c) Unfolding of $d(G G C G G C)_{2}$ in 4 M pyridine water solution ${ }^{3}$.

1. Soliva, R., Luque, F.J., Alhambra, C. \& Orozco, M. J. Biomol. Struct. Dyn.17, 89-99 (1999).
2. Ivanov, V.I., Minchenkova, L.E., Minyat, E.E., Frank-Kamenetskii, M.D. \& Schyolkina, A.K. J. Mol. Biol.87, 817-833 (1974).
3. Perez, A. \& Orozco, M. Angew. Chemie Int. Ed.49, 4805-4808 (2010).


Supplementary Figure 22| Hairpin folding. Replica exchange MD (REMD) simulations of the folding of the small hairpin d(GCGAAGC) in water using parmbsc1 force-field. (a) RMSD with the respect to the folded state. (b) Probabilities of RMSDs in whole (blue) and second part (red) of microsecond runs of REMD. Structures are clearly recognizing the folded conformation and keeping it. For technical details see reference 1.

1. Portella, G., Orozco, M. Angewandte chemie Int. Ed.49, 7673-7676 (2010).
a

b




Supplementary Figure 23| Model compounds used in QM optimization. (a) Compound used for $\varepsilon / \zeta$ parameterization. (b) Compounds used for $\chi$ and sugar puckering parameterizations, where R represents the base, shown on the right.


## Supplementary Figure 24 | Using DDD to compare different simulation engines.

 Normalized distributions of the helical parameters shift, slide, roll and tilt are shown for the four MD simulations (AMBER vs GROMACS, and GPU vs CPU codes). Due to the shortness of the simulation runs ( 100 ns ), slight differences in roll angle can be detected using different MD engines.

Supplementary Figure 25| Variation of helical parameters along the sequence for $\mathbf{2 \mu s}$ of MD simulation of DDD with added salt ( NaCl ) concentrations: minimum $\mathrm{Na}^{+}$for neutrality (green), 150 mM (red) and 500 mM (blue). PME was used in all the cases.


Supplementary Figure 26| Profiles of $\chi$ (chi) dihedral for 4 DNA bases in solution. Comparison of profiles obtained from QM using MP2/aug-cc-pVDZ (red) method with solvent corrections (Supplementary Notes), and PMF profiles using parmbsc0 (green) and parmbsc1 (blue) force-fields. Complete basis set (CBS) values for specific points are represented with a black dot.


Supplementary Figure 27| Profiles of pseudorotational angle for 4 DNA bases in solution. Comparison of profiles obtained from QM using MP2/aug-cc-pVDZ (red) method with solvent corrections (Supplementary Notes), and PMF profiles using parmbsc0 (green) and parmbsc1 (blue) force-fields. Complete basis set (CBS) values for specific points are represented with a black dot.
a


Supplementary Figure 28| $\varepsilon / \zeta$ (epsilon/zeta) profiles in solution. (a) Contour profiles of epsilon/zeta from QM calculations using MP2/aug-cc-pVDZ method (right), and PMF profiles using parmbsc0 (left) and parmbsc1 (middle) force-fields. Energies are given in $\mathrm{kcal} \mathrm{mol}^{-1}$ and the color bar goes from blue ( $0 \mathrm{kcal} \mathrm{mol}^{-1}$ ) to red ( $10 \mathrm{kcal} \mathrm{mol}^{-1}$ ). (b) Values at key points of the profile comparing parmbsc0 (green), parmbsc1 (blue) and complete basis set (CBS) (dark red) values.


Supplementary Figure 29| Structural characteristics of DDD in MD simulations with different force-fields. First row variation of key helical coordinates along sequence in parmbsc0, parmbsc1 and parmbscO-OL1+OL4 (those force-fields providing the best average parameters in Supplementary Table 2). Second raw correspond to force-fields providing less accurate average values in Supplementary Table 2 (CHARMM36 and parmbsc0-Cheng-Garcia). In these two rows only the 10 mer segment is shown (to avoid dramatic scale bias in case of fraying of terminal bases), and only NMR results are used as reference (to make more clear the plots; note that nearly identical profiles are obtained from X-Ray (see Fig. 1)). The third row corresponds to the distribution of sugar puckering (taking as experimental reference the average of NMR and X-Ray structures) and the average opening at the terminal basis. The superior behavior of parmbsc1 is evident in all plots, as well the prevalence of fraying artifacts for some of the force-field, and the presence of non-negligible distortions in CHARMM36 and parmbscO-CG trajectories, even for the central portion of the helix.


Supplementary Figure 30| Details of the evolution of the terminal base pairs. RMSd of the terminal base pairs (C1:G24 in pink and G12:C13 in cyan) along $1.5 \mu \mathrm{~s}$ of MD trajectories. Firs row: profiles for a force-field showing no fraying artifacts (but indeed frequent short-living openings) such a parmbsc1 (parmbscO-OL1+OL4 and parmbscO-OL4 provide similar profiles, while parmbsc0-CG (Cheng-Garcia) shows completely frozen terminal base pairs). Second row: profile for a force-field like parmbscO which suggest fraying and the formation of unusual contacts (parmbscO-OL1 provides identical profiles) with tWC pairing and syn nucleotides. Third row: profiles obtained for CHARMM36, where despite the center of the duplex is well conserved terminal Watson-Crick pairings are mostly lost and substituted by a myriad of alternative contacts. In all cases structures sampled along specific time frames are shown.


Supplementary Figure 31| NOE data on the terminal base steps of DDD. A) H1'-aromatic region of the NOESY spectra of DDD (mixing time 200 ms , buffer conditions $125 \mathrm{mM} \mathrm{NaCl}, 25$ mM sodium phosphate, $\mathrm{pH} 7, \mathrm{~T}=25 \mathrm{o}$ C). Some relevant cross-peaks involving terminal residues are labelled in red colour. B) Aromatic-aromatic region of the NOESY spectra (same experimental conditions). Note that NOE intensities involving terminal residues (i.e. C1H6-G2H8, C11H6-G12H8 in red) are not significantly lower than those involving central residues, indicating that the terminal bases remain stacked on top of their neighbours. C) Some experimental distances obtained from a full relaxation matrix analysis of the NOE data vs sequence. Sequential $\mathrm{H}^{\prime}-\mathrm{H} 6 / 8$ and $\mathrm{H} 2^{\prime \prime}-\mathrm{H} 6 / 8$ do not exhibit dramatic changes for the terminal base steps, indicating that the fraying effect in these residues is not significant under these experimental conditions. All intra-residual $\mathrm{H} 1^{\prime}-\mathrm{H} 6 / 8$ distances, including the terminal base residues, are around 3-4 Å, characteristic of glycosidic angle conformation in anti.

## 2 The Role of Unconventional Hydrogen Bonds in Determining BII Propensities in B-DNA

## Supporting Data

## The role of unconventional hydrogen bonds in determining BII propensities in B-DNA

Alexandra Balaceanu ${ }^{1,2, \&}$, Marco Pasi ${ }^{3}, 4, \&$, Pablo D. Dans ${ }^{1,2, \&,}$ Adam Hospital 1,2 , Richard Lavery $3^{3}$, Modesto Orozco ${ }^{1,2,5, *}$

[^2]
## SUPPORTING TABLES

Table S1. PDB codes of the experimental structures used to analyze the presence of the C6/C8‥03' interaction in RpY, RpR, YpR and YpY steps. ${ }^{\text {a }}$

## RpY steps

100D, 104D, 109D, 111D, 112D, 113D, 117D, 118D, 121D, 126D, 129D, 131D, 132D, 137D, 138D, 140D, 141D, 142D, 157D, 158D, 160D, 161D, 169D, 171D, 172D, 173D, 181D, 188D, 189D, 194D, 1AFZ, 1AHD, 1AL5, 1BDN, 1BDZ, 1BNA, 1BUT, 1BWT, 1CGC, 1CQ0, 1CS2, 1D02, 1D13, 1D18, 1D30, 1D32, 1D46, 1D48, 1D63, 1D65, 1D68, 1D77, 1D80, 1D88, 1D89, 1D96, 1D98, 1DA4, 1DA5, 1DC0, 1DCV, 1DI2, 1DN9, 1DNM, 1DNO, 1DNT, 1DNX, 1D0U, 1DUF, 1DXN, 1F69, 1F6C, 1FHY, 1FIX, 1FKY, 1FKZ, 1FMQ, 1FMS, 1FQ2, 1FTD, 1FZX, 1G00, 1G14, 1G7Z, 1G80, 1GIP, 1H0M, 1HQ7, 1HRZ, 1HX4, 1HZ0, 1I0T, 1IH1, 1K9H, 1K9L, 1LAI, 1LEY, 1LP7, 1M18, 1MDY, 1MTG, 1MXJ, 1MXK, 1N1K, 1NAJ, 1NEV, 10NM, 10UP, 1P24, 1P25, 1P26, 1P3I, 1PBM, 1PG9, 1PGC, 1PRP, 1PT3, 1PYI, 1QAI, 1QCH, 1QP5, 1QXB, 1RC7, 1RVH, 1S2R, 1S32, 1SFU, 1SNH, 1T4X, 1TQR, 1UBD, 1UQB, 1UQF, 1UQG, 1V9G, 1VAQ, 1VT6, 1VT8, 1VTC, 1VTD, 1VTU, 1VZK, 1WOE, 1X2X, 1X2Y, 1X2Z, 1X30, 1XAM, 1YTB, 1YYK, 1YYO, 1Z7F, 1ZEX, 1ZEY, 1ZF1, 1ZF2, 1ZF5, 1ZFE, 1ZFG, 1ZFM, 1ZPH, 1ZPI, 203D, 222D, 227D, 237D, 240D, 250D, 252D, 257D, 260D, 271D, 281D, 287D, 289D, 295D, 2ANA, 2A0Q, 2B0K, 2B1C, 2B1D, 2B2B, 2B3E, 2BNA, 2D47, 2D94, 2D95, 2DAU, 2DBE, 2DND, 2DP7, 2DPB, 2DYW, 2FKC, 2FL3, 2GIG, 2GIH, 2GII, 2GVR, 2GYX, 2HKB, 2HKC, 2I2I, 2I5A, 2JXQ, 2JYK, 2K8T, 2K8U, 2KAR, 2KAS, 2KNK, 2KNL, 2KUZ, 2KYD, 2L7D, 2L8C, 2L8Q, 2L8U, 2L8W, 2LEV, 2LG2, 2LG3, 2M2C, 2MKN, 2MNB, 2MND, 2MO7, 2NLM, 2NPW, 2NQ0, 2NQB, 2QK9, 2R22, 2RT8, 2RVE, 2STT, 2STW, 2WCC, 2YKG, 302D, 303D, 321D, 328D, 330D, 334D, 348D, 349D, 353D, 355D, 360D, 368D, 369D, 370D, 371D, 372D, 393D, 394D, 395D, 396D, 398D, 3ADL, 3C25, 3D0P, 3E3Y, 3E40, 3E41, 3E43, 3E44, 3EBC, 3EQT, 3F80, 3FL6, 3FQB, 3GCY, 3GDA, 3GNK, 3GOJ, 3IGM, 3IKT, 3KBD, 3KXB, 3L25, 3M9E, 3NJ7, 3ODA, 30G8, 3OIE, 3QMB, 3QMC, 3QMD, 3QMG, 3QMH, 3QMI, 3SLP, 3TED, 3U05, 3U08, 3U0U, 3U2N, 3VYX, 3VYY, 3W97, 3ZD6, 3ZD7, 3ZQL, 401D, 404D, 405D, 414D, 420D, 428D, 434D, 435D, 440D, 442D, 443D, 445D, 453D, 455D, 466D, 4AGZ, 4AH0, 4AH1, 4ATK, 4BPB, 4BZT, 4BZU, 4BZV, 4C64, 4DY8, 4E60, 4EVV, 4F2X, 4GHL, 4HIV, 4HLY, 4HP3, 4IBU, 4IZQ, 4KBD, 4KWX, 4L24, 4MSB, 4MSR, 4NFO, 4NW3, 4PZI, 4RKG, 4U37, 4U8A, 4U8B, 4U8C, 5BNA, 7BNA, 8DRH, 9BNA, 9DNA, 116D, 119D, 124D, 197D, 1A84, 1AL9, 1AU5, 1B0S, 1BC7, 1BJD, 1BN9, 1BP8, 1D19, 1D28, 1D29, 1D42, 1D70, 1D78, 1D79, 1D82, 1DCW, 1DK9, 1EVP, 1FYM, 1ILC, 1JE8, 1K2J, 1K2K, 1L4J, 1LU5, 1LWA, 1M6G, 1NT8, 1NVN, 1NVY, 1QPH, 1RMX, 1RN9, 1RVI, 1SAA, 1SS7, 1SSV, 1SXQ, 1UQC, 1UQE, 1VFC, 1VJ4, 1VT9, 1VTA, 1VTB, 1X20, 1X2S, 1X2U, 1X2V, 1ZEZ, 1ZF0, 1ZF7, 1ZG1, 1ZYF, 1ZYG, 1ZYH, 206D, 243D, 258D, 2ADY, 2AHI, 2BZF, 2DES, 2E1C, 2F8W, 2GB9, 2K0V, 2KTT, 2KY7, 2MF8, 2MNE, 2MNF, 2OG0, 2P7C, 2PKV, 2PL4, 2PLO, 2R2R, 2R2T, 2Z90, 308D, 378D, 3AAF, 3DVO, 3DW9, 3G00, 3HS1, 3I1D, 3IXN, 3JXB, 3JXD, 3LPV, 3MKW, 3MKY, 3MKZ, 3R86, 3ZVN, 407D, 408D, 423D, 424D, 425D, 4D8J, 4IRI, 4LEY, 4LEZ, 4LLL, 4M95, 4NDH, 40KL, 4R49, 4R4A, 4R4D, 1AGH, 1C4L, 1D20, 1DHH, 1DRN, 1K8J, 1KBD, 1N1N, 1R4I, 1ZBL, 2C5R, 2KBD, 2KDZ, 2ORH, 2QKK, 367D, 377D, 3ZQC, 4EZ2, 4GHA, 4I6Z, 4LG2, 167D, 182D, 198D, 1BUF, 1CVX, 1CVY, 1D23, 1D56, 1D57, 1D62, 1DN6, 1E00, 10SL, 1RSB, 1SY8, 1UQA, 1UQD, 1VRR, 1WQY, 1WQZ, 1Z3F, 1ZF6, 1ZFC, 1ZFF, 1ZFH, 1ZNS, 1ZTW, 224D, 245D, 2FJW, 2FJX, 2G1Z, 2IVH, 2LWG, 2LWH, 2R1J, 2WIW, 3ANA, 3EY0, 3FBD, 3FSI, 3FT6, 3JXC, 3MLN, 3MLO, 3MLP, 3UXW, 3ZPL, 4HW1, 4J2I, 4JBK, 4LNQ, 40CD, 4RVE

## RpR steps

100D, 111D, 116D, 126D, 132D, 137D, 138D, 158D, 160D, 161D, 167D, 169D, 187D, 188D, 189D, 1A84, 1AFZ, 1AGH, 1AU5, 1B0S, 1BC7, 1BCE, 1BN9, 1BP8, 1BUT, 1C4L, 1CGC, 1CVX, 1CVY, 1D02, 1D13, 1D80, 1DC0, 1DCV, 1DCW, 1DHH, 1DI2, 1DN6, 1DNM, 1DRN, 1EVP, 1F69, 1F6C, 1FHY, 1FIX, 1FYM, 1FZX, 1G00, 1G14, 1IH1, 1IKK, 1ILC, 1JE8, 1K8J, 1KBD, 1L4J, 1LAI, 1LU5, 1LWA, 1M18, 1M6G, $1 \mathrm{MXJ}, 1 \mathrm{MXK}, 1 \mathrm{~N} 1 \mathrm{~K}, 1 \mathrm{NEV}, 1 \mathrm{NT} 8,1 \mathrm{NVN}, 1 \mathrm{NVY}, 1 \mathrm{P} 24,1 \mathrm{P} 25,1 \mathrm{P} 26,1 \mathrm{P} 3 \mathrm{I}, 1 \mathrm{PG} 9,1 \mathrm{PGC}, 1 \mathrm{PYI}, 1 \mathrm{QCU}$, 1QP5, 1QPH, 1RC7, 1RXB, 1S32, 1SDR, 1SS7, 1SSV, 1TQR, 1UBD, 1UQF, 1VAQ, 1VFC, 1VJ4, 1VT5, 1VT6, 1VT8, 1VT9, 1VTA, 1VTC, 1VTD, 1WQY, 1WQZ, 1YTB, 1ZEX, 1ZEY, 1ZEZ, 1ZF0, 1ZF1, 1ZF2, 1ZF5, 1ZF6, 1ZF7, 1ZF9, 1ZFC, 1ZFE, 1ZFF, 1ZFG, 1ZFH, 1ZFM, 1ZG1, 1ZNS, 1ZYF, 1ZYG, 1ZYH, 206D, 240D, 257D, 259D, 281D, 282D, 2A7E, 2ADY, 2AHI, 2ANA, 2B1C, 2B2B, 2BZF, 2C5R, 2D47, 2D94, 2D95, 2FKC, 2FL3, 2GIG, 2GIH, 2GII, 2HKB, 2HKC, 2IVH, 2K0V, 2KBD, 2KNK, 2KNL, 2L8C, 2L8U, 2L8W, 2LEV, 2LWG, 2LWH, 2MKN, 2NPW, 2NQ0, 2NQB, 2ORH, 2PKV, 2PL4, 2PLO, 2QHB, 2STT, 2STW, 2WIW, 2Z3X, 317D, 321D, 330D, 334D, 348D, 349D, 368D, 369D, 370D, 371D, 372D, 393D, 394D, 396D, 398D, 3AAF, 3ANA, 3C25, 3DV0, 3DW9, 3E3Y, 3E40, 3E41, 3E43, 3E44, 3EBC, 3FBD, 3GNK, 3GOJ, 3HS1, 3IXN, 3KBD, 3KXB, 3LPV, 3M9E, 3MKW, 3MKY, 3MKZ, 3MLN, 3MLO, 3MLP, 3NJ7, 30DA, 30G8, 3QMB, 3QMC, 3QMD, 3QMG, 3QMH, 3QMI, 3R86, 3SSF, 3W97, 401D, 407D, 408D, 414D, 423D, 424D, 425D, 440D, 4EVV, 4EZ2, 4HIV, 4HP3, 4IBU, 4IRI, 4IZQ, 4JBK, 4KBD, 4KWX, 4LNQ, 4MSB, 4MSR, 4NW3, 40KL, 4PZI, 4R49, 4R4A, 4R4D, 4RVE, 8DRH, 9DNA, 109D, 112D, 113D, 119D, 129D, 140D, 141D, 142D, 157D, 171D, 172D, 173D, 179D, 182D, 196D, 198D, 1AHD, 1BCB, 1BJD, 1BNA, 1BWT, 1D23, 1D28, 1D29, 1D30, 1D46, 1D56, 1D57, 1D82, 1D89, 1D93, 1DK9, 1D0U, 1DUF, 1E00, 1 FMQ, 1FMS, 1FQ2, 1FTD, 1GIP, 1H0M, 1K9H, 1K9L, 1LEY, 1MDY, 1MTG, 1N1N, 1NAJ, 1OSL, 10UP, 1PRP, 1PT3, 1QXB, 1R4I, 1RMX, 1RN9, 1SAA, 1SY8, 1UQD, 1VRR, 1VZK, 1X20, 1X2S, 1X2U, 1X2V, 1X2X, 1X2Y, 1X2Z, 1X30, 1YYK, 1YYO, 1Z3F, 1Z7F, 1ZBL, 1ZPH, 1ZPI, 224D, 227D, 245D, 251D, 271D, 287D, 289D, 2A0Q, 2B0K, 2B1D, 2B3E, 2BNA, 2DAU, 2DBE, 2DP7, 2DPB, 2DYW, 2E1C, 2FJW, 2FJX, 2GVR, 2GYX, 2I2I, 2I5A, 2JXQ, 2JYK, 2K8T, 2K8U, 2KAR, 2KAS, 2KDZ, 2L7D, 2LG2, 2LG3, 2MF8, 2MNB, 2MND, 2MNE, 2MNF, 2NLM, 2QK9, 2QKK, 2R1J, 2R22, 2RVE, 2Z90, 302D, 303D, 307D, 328D, 355D, 360D, 3D0P, 3FT6, 3IKT, 3JXB, 3JXC, 3JXD, 3OIE, 3SLP, 3U05, 3U08, 3U0U, 3U2N, 3UXW, 3ZPL, 3ZQC, 3ZQL, 404D, 405D, 420D, 428D, 442D, 443D, 445D, 453D, 455D, 4AGZ, 4C64, 4D8J, 4GHA, 4GHL, 4HLY, 4I6Z, 4L24, 4LEY, 4LEZ, 4LG2, 4LLL, 4NDH, 4NFO, 4U8A, 4U8B, 4U8C, 5BNA, 7BNA, 9BNA, 1BDZ, 1CS2, 1D98, 1DA4, 1DA5, 1FKY, 1FKZ, 1G7Z, 10NM, 1SK5, 1SXQ, 1UQB, 250D, 2KYD, 2OG0, 2P7C, 2R2R, 2R2T, 2WCC, 434D, 435D, 466D, 4ATK, 4U37, 121D, 194D, 1AL5, 1BDN, 1BUF, 1CQ0, 1D62, 1D63, 1D65, 1D70, 1D77, 1DXN, 1HQ7, 1HRZ, 1PLY, 1RNA, 1RVH, 1RVI, 1S2R, 1YYW, 1ZTW, 237D, 252D, 2DND, 2G1Z, 2KTT, 2KUZ, 2KY7, 2MO7, 3FSI, 4AH0, 4AH1, 4HW1, 4J2I, 4OCD

## YpR steps

100D, 104D, 109D, 111D, 112D, 113D, 116D, 117D, 118D, 119D, 121D, 129D, 131D, 132D, 137D, 138D, 157D, 160D, 161D, 169D, 171D, 179D, 181D, 187D, 188D, 189D, 194D, 196D, 197D, 198D, 1AGH, 1AL5, 1AL9, 1B0S, 1BDN, 1BJD, 1BNA, 1BP8, 1BWT, 1C4L, 1CGC, 1CQ0, 1D13, 1D19, 1D20, 1D23, 1D28, 1D29, 1D30, 1D32, 1D46, 1D48, 1D56, 1D57, 1D63, 1D65, 1D68, 1D77, 1D80, 1D88, 1D89, 1D96, 1D98, 1DCV, 1DCW, 1DI2, 1DN9, 1DNM, 1DNO, 1DNT, 1DNX, 1DOU, 1DUF, 1DXN, 1F69, 1F6C, 1FHY, 1FIX, 1FMQ, 1FMS, 1FQ2, 1FTD, 1FZX, 1G00, 1G14, 1G7Z, 1G80, 1GIP, 1HQ7, 1HX4, 1HZ0, 1I0T, 1IH1, 1ILC, 1JE8, 1K2J, 1K2K, 1K9H, 1K9L, 1L4J, 1LAI, 1LEY, 1LP7, 1M18, 1M6G, 1N1K, 1N1N, 1NAJ, 1NEV, 1NT8, 1NVN, 1NVY, 10NM, 10SL, 10UP, 1P24, 1P25, 1P26, 1P3I, 1PBM, 1PRP, 1PT3, 1PYI, 1QP5, 1QPH, 1QXB, 1RC7, 1RMX, 1RN9, 1RVI, 1RXB, 1S2R, 1S32, 1SAA, 1SFU, 1SNH, 1SS7, 1SSV, 1T4X, 1UBD, 1UQC, 1UQD, 1UQE, 1UQF, 1UQG, 1V9G, 1VT5, 1VT6, 1VT8, 1VTC, 1VTD, 1VTU, 1VZK, 1WOE, 1XAM, 1YTB, 1YYK, 1YYO, 1Z3F, 1ZEX, 1ZEY, 1ZEZ, 1ZF0, 1ZF1, 1ZF2, 1ZF5, 1ZF7, 1ZF9, 1ZFC, 1ZFE, 1ZFF, 1ZFG, 1ZFM, 1ZG1, 1ZNS, 1ZPH, 1ZPI, 1ZYG, 203D, 206D, 222D, 227D, 237D, 240D, 243D, 250D, 251D, 252D, 257D, 259D, 260D, 271D, 282D, 287D, 289D, 295D, 2ADY, 2AHI, 2B0K, 2B1C, 2B1D, 2B2B, 2B3E, 2BNA, 2C5R, 2D47, 2D94, 2D95, 2DAU, 2DBE, 2DES, 2DND, 2DP7, 2DPB, 2DYW, 2F8W, 2FKC, 2FL3, 2GB9, 2GIG, 2GIH, 2GII, 2GVR, 2GYX, 2HKB, 2HKC, 2I2I, 2I5A, 2IVH, 2JXQ, 2JYK, 2K8T, 2K8U, 2KAR, 2KAS, 2KDZ, 2KNK, 2KNL, 2KUZ, 2L7D, 2L8C, 2L8Q, 2L8U, 2L8W, 2LEV, 2LG2, 2LG3, 2M2C, 2MF8, 2MKN, 2MNB, 2MND, 2MNE, 2MNF, 2MO7, 2NLM, 2NQB 2ORH, 2QK9, 2QKK, 2R22, 2RT8, 2RVE, 2STT, 2STW, 2WIW, 2YKG, 302D, 303D, 308D, 321D, 328D, 330D, 348D, 349D, 353D, 355D, 360D, 367D, 368D, 369D, 370D, 371D, 372D, 377D, 393D, 394D, 395D, 396D, 3ADL, 3C25, 3D0P, 3DV0, 3DW9, 3E3Y, 3E40, 3E41, 3E43, 3E44, 3EBC, 3EQT, 3F80, 3FBD, 3FL6, 3FQB, 3FT6, 3G00, 3GCY, 3GDA, 3GNK, 3GOJ, 3HS1, 3I1D, 3IKT, 3IXN, 3JXB, 3JXD, 3KXB, 3L25, 30G8, 30IE, 3QMB, 3QMC, 3QMD, 3QMG, 3QMH, 3QMI, 3R86, 3SLP, 3U05, 3U08, 3U0U, 3U2N, 3UXW, 3VYX, 3VYY, 3ZD6, 3ZD7, 3ZQC, 3ZQL, 401D, 414D, 423D, 424D, 425D, 428D, 442D, 443D, 445D, 453D, 455D, 4AGZ, 4AH0, 4AH1, 4ATK, 4BPB, 4BZV, 4C64, 4D8J, 4DY8, 4E60, 4EVV, 4EZ2, 4F2X, 4GHA, 4HIV, 4HLY, 4HP3, 4IBU, 4IRI, 4KWX, 4L24, 4LG2, 4M95, 4MSB, 4MSR, 4NW3, 40KL, 4PZI, 4R49, 4R4A, 4R4D, 4RKG, 4U8A, 4U8B, 4U8C, 5BNA, 7BNA, 8DRH, 9BNA, 9DNA, 124D, 126D, 158D, 167D, 182D, 1AFZ, 1AHD, 1BC7, 1BDZ, 1BN9, 1BUF, 1BUT, 1CVX, 1CVY, 1D02, 1D18, 1D62, 1D78, 1D79, 1DA4, 1DA5, 1DC0, 1DK9, 1EVP, 1FKY, 1FKZ, 1H0M, 1HRZ, 1K8J, 1KBD, 1LWA, 1MDY, 1MXJ, 1PG9, 1PGC, 1QAI, 1QCH, 1R4I, 1RVH, 1SY8, 1TQR, 1UQA, 1UQB, 1VAQ, 1VTB, 1WQY, 1WQZ, 1X20, 1X2S, 1X2U, 1X2V, 1X2X, 1X2Y, 1X2Z, 1X30, 1Z7F, 1ZBL, 1ZF6, 1ZYF, 1ZYH, 224D, 245D, 258D, 281D, 2AOQ, 2E1C, 2KBD, 2KTT, 2KY7, 2NPW, 2NQ0, 2P7C, 2R1J, 2WCC, 2Z90, 307D, 334D, 398D, 3IGM, 3JXC, 3KBD, 3M9E, 3MKW, 3MKY, 3MKZ, 3MLN, 3MLO, 3MLP, 3NJ7, 30DA, 3TED, 3W97, 3ZPL, 3ZVN, 405D, 407D, 408D, 420D, 4BZT, 4BZU, 4GHL, 4I6Z, 4IZQ, 4KBD, 4LEY, 4LEZ, 4LNQ, 4NFO, 140D, 141D, 142D, 1A84, 1AU5, 1CS2, 1D70, 1DN6, 1LU5, 2BZF, 2FJW, 2FJX, 2K0V, 20G0, 3LPV, 1D42, 1D82, 1D93, 1E00, 1FYM, 1IKK, 1RSB, 1SK5, 1VFC, 1VJ4, 1VRR, 1VT9, 1VTA, 1ZFH, 1ZTW, 2A7E, 2LWG, 2LWH, 2PKV, 2PL4, 2PLO, 2QHB, 2R2R, 2R2T, 317D, 378D, 3AAF, 3EY0, 3FSI, 4HW1, 4J2I, 4JBK, 4LLL, 4NDH, 4RVE

## YpY steps

100D, 116D, 126D, 132D, 137D, 138D, 140D, 141D, 142D, 158D, 160D, 161D, 167D, 187D, 188D, 189D, 1A84, 1AHD, 1AU5, 1B0S, 1BP8, 1BUT, 1CGC, 1CVX, 1CVY, 1D02, 1D13, 1D20, 1D62, 1DC0, 1DCV, 1DCW, 1DI2, 1EVP, 1F69, 1F6C, 1FHY, 1FIX, 1FKY, 1FKZ, 1FYM, 1G00, 1HX4, 1HZ0, 1IH1, 1IKK, 1ILC, 1JE8, 1K8J, 1KBD, 1L4J, 1LAI, 1LU5, 1M18, 1M6G, 1MXK, 1N1K, 1NT8, 1NVN, 1NVY, 1P24, 1P25, 1P26, 1P3I, 1PG9, 1PGC, 1PYI, 1QP5, 1QPH, 1R4I, 1RC7, 1RXB, 1S32, 1SS7, 1SSV, 1UBD, 1UQF, 1VAQ, 1VJ4, 1VT5, 1VT6, 1VT8, 1VT9, 1VTA, 1VTC, 1VTD, 1WQY, 1WQZ, 1ZBL, 1ZEX, 1ZEY, 1ZEZ, 1ZF0, 1ZF1, 1ZF2, 1ZF5, 1ZF6, 1ZF7, 1ZF9, 1ZFC, 1ZFE, 1ZFF, 1ZFG, 1ZFH, 1ZFM, 1ZG1, 1ZNS, 1ZYF, 1ZYG, 1ZYH, 240D, 257D, 259D, 281D, 282D, 2A7E, 2ADY, 2AHI, 2ANA, 2B1C, 2B2B, 2C5R, 2D47, 2D94, 2D95, 2FKC, 2FL3, 2GIG, 2GIH, 2GII, 2HKB, 2HKC, 2IVH, 2K0V, 2K8T, 2K8U, 2KAR, 2KAS, 2KBD, 2KNK, 2KNL, 2L8C, 2L8U, 2L8W, 2LG2, 2LG3, 2LWG, 2LWH, 2MF8, 2MKN, 2NPW, 2NQ0, 2NQB, 2ORH, 2PKV, 2PL4, 2PLO, 2QK9, 2QKK, 2RT8, 2STT, 2STW, 2WIW, 317D, 321D, 330D, 334D, 348D, 349D, 353D, 368D, 369D, 370D, 371D, 372D, 393D, 394D, 396D, 3AAF, 3ANA, 3C25, 3DVO, 3DW9, 3E3Y, 3E40, 3E41, 3E43, 3E44, 3EBC, 3FBD, 3GNK, 3GOJ, 3HS1, 3IXN, 3KBD, 3KXB, 3LPV, 3M9E, 3MKW, 3MKY, 3MKZ, 3MLN, 3MLO, 3MLP, 3NJ7, 3ODA, 30G8, 3QMB, 3QMC, 3QMD, 3QMG, 3QMH, 3QMI, 3R86, 3TED, 3W97, 3ZQL, 401D, 407D, 408D, 414D, 423D, 424D, 425D, 434D, 435D, 440D, 466D, 4EZ2, 4HP3, 4IBU, 4IRI, 4IZQ, 4JBK, 4KBD, 4KWX, 4LNQ, 4M95, 4MSB, 4MSR, 4NW3, 40KL, 4PZI, 4R49, 4R4A, 4R4D, 4RVE, 4U37, 9DNA, 119D, 172D, 173D, 196D, 1BDZ, 1CS2, 1D82, 1D93, 1DA4, 1DA5, 1DNM, 1E00, 1G7Z, 1H0M, 1K9H, 1K9L, 1LP7, 1MDY, 1MTG, 1N1N, 10NM, 10SL, 1RMX, 1RN9, 1SK5, 1TQR, 1UQB, 1VRR, 1X20, 1X2S, 1X2U, 1X2V, 1X2X, 1X2Y, 1X2Z, 1X30, 1ZTW, 250D, 251D, 2B1D, 2FJW, 2FJX, 2JYK, 2KUZ, 2L8Q, 2M2C, 2MNE, 2MNF, 20G0, 2R1J, 2RVE, 2Z90, 3FSI, 3IKT, 3JXB, 3JXC, 3JXD, 3SLP, 3ZPL, 479D, 4ATK, 4I6Z, 4LEY, 4LEZ, 4LLL, 4NDH, 109D, 124D, 129D, 171D, 179D, 182D, 198D, 1BN9, 1BNA, 1BWT, 1D23, 1D28, 1D29, 1D30, 1D46, 1D56, 1D57, 1D77, 1D0U, 1DUF, 1FMQ, 1FMS, 1FQ2, 1FTD, 1GIP, 1LEY, 1LWA, 1NAJ, 10UP, 1PRP, 1PT3, 1SAA, 1SY8, 1UQD, 1VZK, 1Z3F, 1ZPH, 1ZPI, 224D, 227D, 245D, 287D, 289D, 2AOQ, 2B0K, 2B3E, 2BNA, 2DAU, 2DBE, 2DYW, 2E1C, 2GVR, 2GYX, 2I2I, 2I5A, 2L7D, 2MNB, 2MND, 2MO7, 2NLM, 2WCC, 302D, 303D, 328D, 355D, 360D, 3D0P, 3FT6, 30IE, 3U05, 3U08, 3U0U, 3U2N, 3UXW, 3ZVN, 428D, 442D, 443D, 445D, 453D, 455D, 4AGZ, 4C64, 4D8J, 4EVV, 4HLY, 4L24, 4U8A, 4U8B, 4U8C, 5BNA, 7BNA, 8DRH, 9BNA, 111D, 112D, 113D, 121D, 194D, 1BJD, 1BUF, 1CQ0, 1D63, 1D65, 1D80, 1DXN, 1HQ7, 1QXB, 1RVH, 1RVI, 1S2R, 1SNH, 1SXQ, 1VFC, 1YTB, 237D, 252D, 2DND, 2G1Z, 2KDZ, 2KTT, 2KY7, 2LEV, 2P7C, 2QHB, 2R2R, 2R2T, 3G00, 3ZQC, 4AH0, 4AH1, 4HW1, 4J2I, 4OCD
a For RpY steps we analyzed 554 experimental structures containing information about 3,991 dinucleotides ( $37 \%$ GpC, $18 \%$ GpT, $19 \%$ ApC, and $26 \%$ ApT). Similarly, for RpR steps the total number of nucleotide analyzed was 3,649 ( $26 \% \mathrm{GpG}, 21 \% \mathrm{ApG}, 21 \% \mathrm{GpA}$, and $32 \% \mathrm{ApA}$ ) coming from 484 structures of the PDB, for YpR steps we analyzed 560 structures and 4,161 dinuleotides ( $15 \% \mathrm{TpG}, 44 \% \mathrm{CpG}, 19 \% \mathrm{TpA}$, and $22 \% \mathrm{CpA}$ ) and for YpY steps results are obtained from 465 structures and 3,162 dinucloetides (30\% TpT, 16\% CpT, 27\% TpC, and 27\% CpC).

Table S2. BI/BII percentages and the C6/C8‥03' average distance for all the bps calculated from crystal structures. ${ }^{\text {a }}$

| bps | state | \% | $\begin{gathered} \hline \text { mean C6/C8 } \cdots 03^{\prime} \\ \text { distance }(\AA \AA) \\ \hline \end{gathered}$ | $\begin{gathered} \text { s.d. C6/C8 } \cdots 03^{\prime} \\ \text { distance }(\AA) \\ \hline \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: |
| RpR steps |  |  |  |  |
| GG | BI | 91.6 | 5.24 | 0.48 |
|  | BII | 8.4 | 3.63 | 0.39 |
| GA | BI | 91.1 | 5.11 | 0.40 |
|  | BII | 8.9 | 3.64 | 0.40 |
| AG | BI | 96.3 | 5.29 | 0.44 |
|  | BII | 3.7 | 4.03 | 0.58 |
| AA | BI | 97.5 | 5.15 | 0.37 |
|  | BII | 2.5 | 3.91 | 0.45 |
| RpY steps |  |  |  |  |
| GC | BI | 90.0 | 5.03 | 0.39 |
|  | BII | 10.0 | 3.48 | 0.38 |
| GT | BI | 97.6 | 5.32 | 0.37 |
|  | BII | 2.4 | 4.15 | 0.31 |
| AC | BI | 97.1 | 5.15 | 0.40 |
|  | BII | 2.9 | 3.80 | 0.35 |
| AT | BI | 99.2 | 5.30 | 0.38 |
|  | BII | 0.8 | 3.95 | 0.40 |
| YpR steps |  |  |  |  |
| CG | BI | 93.3 | 5.28 | 0.57 |
|  | BII | 6.7 | 3.73 | 0.45 |
| CA | BI | 88.9 | 5.19 | 0.55 |
|  | BII | 11.1 | 3.48 | 0.34 |
| TG |  | 88.5 | 5.21 | 0.56 |
|  | BII | 11.5 | 3.50 | 0.39 |
| TA | BI | 91.7 | 5.20 | 0.46 |
|  | BII | 8.3 | 3.59 | 0.43 |
| YpY steps |  |  |  |  |
| CC |  |  | 5.10 | 0.39 |
|  | BII | 4.6 | 3.72 | 0.41 |
| CT | BI | 95.7 | 5.25 | 0.35 |
|  | BII | 4.3 | 3.83 | 0.37 |
| TC | BI | 97.8 | 5.10 | 0.35 |
|  | BII | 2.2 | 3.88 | 0.36 |
| TT | BI | 99.4 | 5.20 | 0.29 |
|  | BII | 0.6 | 3.64 | 0.58 |

## SUPPORTING FIGURES



Figure S1. Distribution of C6-H6…03' H-bond angles in RpY interactions for systems simulated with the new parmBSC1 force field for nucleic acids. Structures with H6 $\cdots 3^{\prime}$ bond distances $<2.5 \AA$ and C6-H6 $\cdots$ 03' angles $>120^{\circ}$ were selected and a histogram was built. The mean distance of the corresponding set is given above each bin bar.


Figure S2. Left: Time evolution of C6‥03' distance in two RpY steps (GpC and ApC) from simulations performed with the new parmBSC1 force field, colored by the backbone conformation at the step junction and the corresponding distribution. Right: Venn Diagrams of occurrences of the BII state and C6-H6 $\cdots$ O3' H-bond at the same RpY dinucleotide steps.


Figure S3. Left: Distribution of C6‥03' H-bond distance in the GpC step either from the conventional simulation (CAAG) or from trajectories with the modified pyrimidine base where the H6 atom was removed (CAAG(H6-)). Right: Venn Diagrams of occurrences of the BII state and C6-H6 $\cdots$ 03' hydrogen bonds at two such modified (H6-) RpY steps (GpC and ApC).


Figure S4. Distribution of distances between donor (C8 or C6) and acceptor 03' atoms of the H-bond as determined from an analysis of isolated B-DNA structures (resolution <2.5 Å) in the PDB database. Global distribution of all RpR, RpY, YpR and YpY steps (first row) and the most represented steps GpA, GpC, TpG and CpC respectively (second row). Bars are colored by the backbone state at the junction between the two bases.

## SUPPLEMENTARY MATERIAL

## THE PHYSICAL PROPERTIES OF B-DNA BEYOND CALLADINE'S RULES

 Daiva Petkevičiūtèe,f,2, Jürgen Walthera,b,2,2, Adam Hospitala,b, Richard Laveryd, John H. Maddockss,1, and Modesto Orozco ${ }^{\text {a,b,g,1 }}$

${ }^{\text {a }}$ Institute for Research in Biomedicine (IRB Barcelona). The Barcelona Institute of Science and Technology. Baldiri Reixac 10-12, 08028 Barcelona, Spain.
${ }^{\text {b }}$ Joint BSC-IRB Research Program in Computational Biology. Baldiri Reixac 10-12, 08028 Barcelona, Spain.
cLBPA, École normale supérieure Paris-Saclay, 61 Av. du Pdt Wilson, Cachan 94235, France.
dBases Moléculaires et Structurales des Systèmes Infectieux, Univ. Lyon I/CNRS UMR 5086, IBCP, 7 Passage du Vercors, Lyon 69367, France.
${ }^{e}$ Institute of Mathematics, Swiss Federal Institute of Technology (EPFL), CH-1015 Lausanne, Switzerland.
${ }^{\text {ffFaculty of Mathematics and Natural Sciences, Kaunas University of Technology, Studentų g. 50, }}$ 51368 Kaunas, Lithuania.
gDepartment of Biochemistry and Molecular Biology. University of Barcelona, 08028 Barcelona, Spain.
${ }^{1}$ To whom correspondence should be addressed:
Dr. Pablo D. Dans, Tel: +34 934039073, Email: pablo.dans@irbbarcelona.org; or
Prof. John H. Maddocks, Tel: +41 216932762, Email: john.maddocks@epfl.ch; or
Prof. Modesto Orozco, Tel: +34 934037155, Email: modesto.orozco@irbbarcelona.org.
${ }^{2}$ These co-authors equally contributed to this work and were alphabetically sorted.

## SUPPLEMENTARY METHODS

Simulation details. Canonical duplexes were generated using Arnott B-DNA fiber parameters(1), and solvated by a truncated octahedral box of SPC/E(2) water molecules with a minimum distance of $10 \AA$ between DNA and the closest face of the box. Systems were neutralized with $\mathrm{K}^{+}$or $\mathrm{Na}^{+}$ions adding additional 150 mM of $\mathrm{K}^{+} \mathrm{Cl}^{-}$
(or $\mathrm{Na}^{+} \mathrm{Cl}^{-}$). PARMBSCO(3) and PARMBSC1(4) force fields were used to describe DNA, while Dang's parameters were used for ions(5). Systems were optimized and equilibrated as described elsewhere(6), and simulated for $1 \mu$ s in the NPT ensemble, using Particle-Mesh Ewald corrections(7) and periodic boundary conditions. SHAKE was used to constrain bonds involving hydrogen(8), allowing 2 fs integration step. Typically, analyses presented here correspond to the second part of the trajectory (last 500 ns ).

Bayesian Information Criterion (BIC), Bayes Factors, and the Helguerro's theorem. We used the BIC methodology to determine the optimal number of Gaussian functions needed to fit a given distribution. This is done by finding the set of parameters that minimizes the BIC values (the model with the lower BIC is chosen) according to(9):

$$
-2 \ln p(x \mid k) \approx B I C=-2 \ln (L)+k \ln (n)
$$

Where $x$ are the observed data, $k$ is the number of free parameters to be estimated, and $p(x / k)$ is the probability of the observed data given the number of parameters, or, in other words, the likelihood of the parameters given the dataset. $L$ is the maximized value of the likelihood function for the estimated model, and $n$ is the number of data points in $x$ (the number of observations). In this work we limit the BIC to considering a maximum of two Gaussians, leading to the classification of each distribution as uninormal (fitted with one Gaussian) or binormal (fitted with a combination of two Gaussians).

The Bayes Factors that can be extracted from the BIC analysis were used to determine the strength of the evidence in favour of the model chosen by BIC(10, 11). This leaded to a third classification labelled as "insufficient evidence", when either of the two models determined with BIC (uninormal or binormal) couldn't be statistically supported.

Finally, when there was sufficient evidence to favour a binormal fitting, we used an extension of the Helguerro's theorem $(12,13)$ to define the modality of the distribution and distinguish the cases where the two peaks of the fitted Gaussians are close together from those where they are significantly separated. This is the most important distinction in terms of understanding DNA dynamics. In the first case, for practical purposes, the use of a single Gaussian distribution may often be justified to represent the data (the overall distribution may be interpreted as binormalunimodal), while it cannot be ued to estimate higher moments in the second multipeaked case (binormal-bimodal distributions). For a given parameter, we defined a base, base pair, or base-pair step as polymorphic from the structural point of view,
when a given distribution was classified using these three approaches as binormalbimodal.

Correlations between sub-states. For each tetranucleotide we calculated the correlation between the backbone state at the central step (base-pair step i) and the helical parameters shift, slide and twist at three consecutive levels around the central dinucleotide ( $\mathrm{i}-1, \mathrm{i}$, and $\mathrm{i}+1$ ). The substates of the torsion angles of the backbone were categorized following the standard definition: gauche positive $(\mathrm{g}+)=60 \pm 40$ degrees; trans $(\mathrm{t})=180 \pm 40$ degrees; and gauche negative ( $\mathrm{g}-$ ) $=300 \pm 40$ degrees. For the correlations with BI/BII, we assigned to the backbone one of two possible discrete values, either BI or BII, according to the sub-state of the $\zeta$ torsion ( g or $t$ respectively) at the central bps junction. All frames where the $\zeta$ torsion didn't fall inside the ranges defined by g-and t were not considered in the analysis. This leads to a strong reduction of the noise that comes from specific tetranucleotides, when trying to find patterns by grouping them (e.g. the "noise" arising from the individual behavior of the GAGA, GGGG, and AAGA tetranucleotides when considering the RRRR family). The point-biserial(14) correlation coefficient, mathematically equivalent to the Pearson correlation(15), was used as a measure of the correlation between these discrete sub-states of the backbone and the continuous values of the helical base-pair step parameters. The obtained correlation values were divided in five categories: i) $\geq$ 0.6 , strong negative correlation; ii) $<-0.6$ and $\geq-0.4$, mild negative correlation; iii) $>-$ 0.4 and $<0.4$, no correlation; iv) $\geq 0.4$ and $<0.6$, mild positive correlation; and finally $v) \geq 0.6$, strong positive correlation. We then group each of these categorized correlation matrices according to the 10 non-redundant tetranucleotide combinations of $Y / R$ bases, and for each entry selected the dominant mode to describe the subset (i.e. the most common situation shared by the individual tetranucleotides within a family). In the same way, correlations between sum and differences of helical parameters have been computed, as previously done in Calladine's works(16, 17).

Kullback-Leibler (KL) divergence between configuration distributions. For each MD simulation we fit a Gaussian or multi-variate normal distribution on the helical coordinates by estimating a mean shape vector $\hat{\mathrm{w}}$ and a stiffness, or inverse covariance matrix K, from the MD time series. (This Gaussian is in dimension $12 \mathrm{~N}-6$ for a fragment with N base pairs, so dimension 210 for the case $\mathrm{N}=18$ considered here.) The KL divergence(18) is a convenient way to quantify the difference between two probability distributions. When both distributions are Gaussian with mean vectors $\hat{\mathrm{w}}_{1}, \hat{\mathrm{w}}_{2}$ and inverse covariance matrices $\mathrm{K}_{1}$ and $\mathrm{K}_{2}$, then the divergence can be explicitly evaluated as:

$$
\mathrm{D}_{12}=\frac{1}{2}\left[\mathrm{~K}_{1}^{-1}: \mathrm{K}_{2}-\ln \left(\frac{\operatorname{detK}_{2}}{\operatorname{det}_{1}}\right)-I: I\right]+\frac{1}{2}\left(\hat{w}_{1}-\hat{w}_{2}\right) \cdot \mathrm{K}_{2}\left(\hat{w}_{1}-\hat{w}_{2}\right),
$$

Where a colon denotes the standard Euclidean inner product for square matrices and $I$ denotes the identity matrix of the same dimension as $K_{1}$ and $K_{2}$. The second term of this expression is interesting to look at separately: it quantifies the difference in expected shapes, weighted by one of the inverse covariance, and is equal to the square of the Mahalanobis distance:

$$
\mathrm{M}_{12}=\frac{1}{2}\left(\hat{w}_{1}-\hat{w}_{2}\right) \cdot \mathrm{K}_{2}\left(\hat{w}_{1}-\hat{w}_{2}\right),
$$

Both KL divergence and Mahalanobis distance are non-symmetric, but here we chose to report the symmetrized values: $D=\frac{1}{2}\left(D_{12}+D_{21}\right)$ and $M=\frac{1}{2}\left(M_{12}+M_{21}\right)$. To give a meaning to values of the KL divergence, the KL values were scaled by $12 \mathrm{~N}-6$ (being N the number of base-pairs in each oligomer), obtaining in this way a divergence per degree of freedom.
cgDNA calculation of DNA Persistence Length. The cgDNAmc code(19) allows efficient generation of ensembles of configurations over ensembles of sequences, so that the possible range of values of various expectations can be examined as the sequence of the DNA duplex varies. One standard set of expectations to compute is tangenttangent correlations along the duplex in order to determine the associated decay rate or persistence length $\ell_{\mathrm{p}}$ along a given fragment. The persistence length $\ell_{\mathrm{p}}$ is often taken as an overall proxy for the stiffness of the duplex, with longer persistence length indicating greater stiffness. However it is known (see e.g. the discussion in ref 19) that the value of $\ell_{\mathrm{p}}$ depends on both the stiffness of the duplex and on its intrinsic curvature, with bent sequences having lower persistence lengths. For this reason $\ell_{\mathrm{p}}$ is sometimes called apparent persistence length. A sequence-dependent dynamic persistence length $\ell_{\mathrm{d}}$ was introduced(19), which largely eliminates dependence on intrinsic curvature. Thus $\ell_{\mathrm{d}}$ is a better proxy for an overall stiffness, while the difference ( $\ell_{\mathrm{d}}-\ell_{\mathrm{p}}$ ) is an overall measure of how intrinsically bent the duplex is. Fig S2A provides spectra (or histograms) of possible values of both $\ell_{\mathrm{p}}$ and $\ell_{\mathrm{d}}$ for 10 K sequences according to a cgDNA model parameter set fit to MD simulations of the miniABC library using the PARMBSC0 MD potentials. The range of variation in $\ell_{\mathrm{d}}$ is small compared to that of $\ell_{\mathrm{p}}$, and it can be verified that all exceptionally low values of $\ell_{\mathrm{p}}$ correspond to highly bent sequences. The same data for the same 10 K sequences, but for a cgDNA model parameter set fit to MD simulations of the miniABC library using the PARMBSC1 MD potentials is shown in Fig S2B. The fact that the spectra of dynamic persistence lengths $\ell_{\mathrm{d}}$ shifts to the right indicates that the PARMBSC1 potentials lead to duplexes that are slightly stiffer than for PARMBSC0, while the fact
that the spectra of apparent persistence lengths has a smaller tail on the left indicates that PARMBSC1 leads to duplexes that have smaller intrinsic bends than for PARMBSC0. Figure S2 also provide the values of apparent and dynamic persistence lengths for the six independent dinucleotide tandem repeats poly(XZ). As such sequences are very straight, their apparent and dynamic persistence lengths are all very close. And for both the PARMBSC0 and PARMBSC1 parameter sets the sequence poly(AA) is the high outlier among all sequences, with poly(AT) being by far the low outlier for $\ell_{\mathrm{d}}$ among all sequences.

Statistics, graphics and molecular plots. The statistical analysis, including the Bayesian Information Criterion (BIC), Bayes Factor analysis, Helguerro's theorem, KullbackLieber divergence, and correlations, as well as associated graphics, were obtained with $R$ 3.0.1 statistical package(20), the MatLab R2016b package, numpy(21) and matplotlib(22). The molecular plots were generated using VMD 1.9(23).

## SUPPLEMENTARY TABLES

Table S1. DNA sequences in the miniABC library.

| Seq. number | Watson strand (5'-3' direction) |
| :---: | :---: |
| 1 | GCAACGTGCTATGGAAGC |
| 2 | GCAATAAGTACCAGGAGC |
| 3 | GCAGAAACAGCTCTGCGC |
| 4 | GCAGGCGCAAGACTGAGC |
| 5 | GCATTGGGGACACTACGC |
| 6 | GCGAACTCAAAGGTTGGC |
| 7 | GCGACCGAATGTAATTGC |
| 8 | GCGGAGGGCCGGGTGGGC |
| 9 | GCGTTAGATTAAAATTGC |
| 10 | GCTACGCGGATCGAGAGC |
| 11 | GCTGATATACGATGCAGC |
| 12 | GCTGGCATGAAGCGACGC |
| 13 | GCTTGTGACGGCTAGGGC |

Table S2. Sequence-averaged conformational parameters obtained from the different miniABC simulations. ${ }^{\text {a }}$

| Parameter | miniABC ${ }_{\text {BSC0 }}-\mathrm{K}$ |  | miniABC ${ }_{\text {BSC1 }}-\mathrm{K}$ |  | miniABC BSC 1 - Na |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Average | SD | Average | SD | Average | SD |
| Shear ( $\AA$ ) | 0.02 | 0.30 | 0.02 | 0.30 | 0.02 | 0.30 |
| Stretch ( $\AA$ ) | 0.03 | 0.12 | 0.03 | 0.12 | 0.03 | 0.11 |
| Stagger ( $\AA$ ) | 0.06 | 0.40 | 0.10 | 0.38 | 0.10 | 0.38 |
| Buckle ( ${ }^{\circ}$ ) | 0.8 | 10.8 | 1.5 | 9.9 | 1.6 | 9.7 |
| Propeller ( ${ }^{\circ}$ ) | -12.0 | 8.2 | -9.0 | 8.1 | -9.3 | 8.2 |
| Opening ( ${ }^{\circ}$ ) | 2.2 | 4.5 | 1.8 | 4.3 | 1.8 | 4.2 |
| Xdisp ( $\AA$ ) | -1.77 | 1.52 | -0.88 | 1.36 | -0.64 | 1.43 |
| Ydisp (Å) | 0.03 | 1.27 | 0.00 | 1.13 | -0.01 | 1.17 |
| Inclination ( ${ }^{\circ}$ ) | 8.2 | 7.1 | 4.0 | 6.6 | 2.8 | 7.0 |
| Tip ( ${ }^{\circ}$ ) | 0.2 | 6.7 | 0.3 | 6.3 | 0.3 | 6.4 |
| Shift (Å) | -0.03 | 0.69 | -0.03 | 0.80 | -0.04 | 0.83 |
| Slide (Å) | -0.51 | 0.62 | -0.29 | 0.55 | -0.22 | 0.55 |
| Rise ( $\AA$ ) | 3.32 | 0.32 | 3.32 | 0.30 | 3.32 | 0.29 |
| Tilt ( ${ }^{\circ}$ ) | -0.3 | 4.3 | -0.3 | 4.4 | -0.3 | 4.5 |
| Roll ( ${ }^{\circ}$ ) | 4.5 | 5.8 | 2.4 | 5.7 | 1.7 | 5.8 |
| Twist ( ${ }^{\circ}$ ) | 32.1 | 5.6 | 34.4 | 5.5 | 34.7 | 5.3 |
| $\alpha\left({ }^{\circ}\right)$ | -71.1 | 13.9 | -72.1 | 15.4 | -72.3 | 15.4 |
| $\beta\left({ }^{\circ}\right)$ | 170.3 | 13.8 | 167.8 | 21.0 | 166.9 | 21.2 |
| $\gamma\left({ }^{\circ}\right)$ | 56.3 | 12.3 | 55.0 | 18.9 | 55.0 | 19.1 |
| $\delta\left({ }^{\circ}\right)$ | 119.4 | 21.3 | 135.3 | 15.5 | 136.2 | 14.7 |
| $\varepsilon\left({ }^{\circ}\right)$ | -167.4 | 25.4 | -160.4 | 25.8 | -158.6 | 27.1 |
| $\zeta\left({ }^{\circ}\right)$ | -94.1 | 33.5 | -111.4 | 41.6 | -113.8 | 43.8 |
| $\chi\left({ }^{\circ}\right)$ | -120.5 | 20.2 | -112.1 | 17.0 | -111.2 | 16.9 |
| Phase ( ${ }^{\circ}$ ) | 128.3 | 37.6 | 151.4 | 26.5 | 152.3 | 25.0 |
| Amplitude ( ${ }^{\circ}$ ) | 38.4 | 7.0 | 41.6 | 6.6 | 41.8 | 6.6 |

${ }^{\text {a Capping base pairs were removed from the analysis. For the dihedral angles only the Watson strand }}$ was considered.

Table S3. DNA breathing and fraying. Base opening statistics based on the analysis of the WC hydrogen bonds.

|  | Loss of one Hbond ${ }^{a}$ |  | Loss of two Hbonds |  | Loss of three Hbonds |  | Solvent exchangeb ${ }^{\text {b }}$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Occ. ${ }^{\text {c }}$ <br> (\%) | $\begin{gathered} <\mathrm{t}_{1 / 2}>\mathrm{d} \\ (\mathrm{~ns}) \end{gathered}$ | Occ. <br> (\%) | $\begin{aligned} & \left\langle\mathrm{t}_{1 / 2}>\right. \\ & (\mathrm{ns}) \end{aligned}$ | Occ. <br> (\%) | $\begin{aligned} & <\mathrm{t}_{1 / 2}> \\ & \text { (ns) } \end{aligned}$ | Occ. <br> (\%) | $\begin{aligned} & <\mathrm{t}_{1 / 2}> \\ & \text { (ns) } \end{aligned}$ |
|  | $\mathrm{K}+\mathrm{Cl}-$ |  |  |  |  |  |  |  |
| C:G bp terminal | 3.73 | 0.099 | 2.55 | 0.754 | 1.73 | 1.332 | 2.14 | 3.436 |
| $\begin{aligned} & \text { C:G bp } \\ & \text { terminal(-1) } \end{aligned}$ | 0.33 | 0.327 | 0.01 | 15.53 | <0.01 | --- | <0.01 | --- |
| C:G bp central | 0.45 | 0.251 | 0.03 | 10.47 | 0.01 | 315.2 | 0.01 | 149.5 |
| A:T bp central | 1.67 | 0.089 | 0.06 | 7.700 | --- | --- | 0.03 | 41.54 |
|  | $\mathrm{Na}+\mathrm{Cl}-$ |  |  |  |  |  |  |  |
| C:G bp terminal | 2.81 | 0.095 | 1.57 | 0.761 | 0.87 | 2.209 | 1.20 | 3.552 |
| $\begin{aligned} & \text { C:G bp } \\ & \text { terminal(-1) } \end{aligned}$ | 0.38 | 0.288 | 0.01 | 14.39 | <0.01 | --- | <0.01 | .--- |
| C:G bp central | 0.52 | 0.222 | 0.03 | 8.651 | <0.01 | --- | <0.01 | --- |
| A:T bp central | 1.59 | 0.094 | 0.04 | 8.963 | --- | --- | 0.01 | 62.49 |

a We consider a hydrogen bond broken when the distance between the heavy atoms involved in the Watson-Crick interactions was greater than $3.5 \AA \AA^{\text {. b Solvent exchange refers to base openings where at }}$ least one donor-acceptor distance of WC hbonds is larger than $6 \AA$. These large separations allow water molecules to interact directly with the base, and eventually exchange protons with imino groups of the bases. ${ }^{\text {c }}$ Occ. stands for occurrence in \%. ${ }^{\text {d }}$ Average open base lifetime. e Refers to the C:G base-pair prior to last (residue numbers 2:35 and 17:20), see Table S1.

Table S4. BII percentages for all the 256 tetranucleotides obtained from miniABC BSC1 $^{-}$ K.

| T..T | 52 | 74 | 64 | 74 | 65 | 44 | 11 | 57 | 49 | 49 | 19 | 47 | 24 | 9 | 14 | 1 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| T..C | 66 | 86 | 40 | 81 | 45 | 39 | 6 | 40 | 58 | 41 | 22 | 39 | 37 | 11 | 15 | 2 |
| C.. $T$ | 56 | 62 | 56 | 70 | 45 | 6 | 2 | 13 | 42 | 30 | 24 | 45 | 23 | 2 | 10 | 3 |
| C..C | 72 | 86 | 37 | 53 | 64 | 23 | 5 | 40 | 36 | 41 | 22 | 24 | 9 | 5 | 24 | 1 |
| C..G | 62 | 71 | 36 | 64 | 23 | 19 | 4 | 13 | 24 | 26 | 27 | 18 | 8 | 2 | 11 | 1 |
| T..G | 65 | 75 | 47 | 50 | 53 | 33 | 11 | 24 | 30 | 49 | 15 | 26 | 14 | 8 | 7 | 2 |
| T..A | 45 | 66 | 31 | 43 | 35 | 35 | 6 | 13 | 32 | 14 | 14 | 28 | 15 | 6 | 7 | 1 |
| C..A | 40 | 59 | 25 | 50 | 49 | 26 | 5 | 11 | 18 | 9 | 12 | 20 | 14 | 5 | 5 | 0 |
| A..C | 19 | 51 | 24 | 29 | 16 | 5 | 1 | 15 | 53 | 30 | 13 | 46 | 13 | 1 | 11 | 1 |
| A..T | 12 | 46 | 8 | 23 | 15 | 5 | 1 | 17 | 61 | 28 | 9 | 24 | 8 | 1 | 10 | 1 |
| G..T | 13 | 38 | 13 | 23 | 8 | 2 | 0 | 5 | 31 | 36 | 12 | 15 | 3 | 1 | 9 | 1 |
| G..C | 34 | 56 | 11 | 19 | 13 | 4 | 1 | 3 | 39 | 28 | 14 | 21 | 9 | 1 | 6 | 1 |
| A..A | 23 | 46 | 8 | 23 | 9 | 2 | 1 | 6 | 36 | 12 | 18 | 22 | 10 | 1 | 8 | 0 |
| A..G | 33 | 59 | 21 | 26 | 9 | 2 | 1 | 5 | 30 | 41 | 30 | 27 | 8 | 1 | 7 | 1 |
| G..A | 14 | 37 | 8 | 13 | 6 | 2 | 0 | 4 | 10 | 9 | 4 | 7 | 4 | 0 | 3 | 0 |
| G..G | 22 | 38 | 15 | 18 | 6 | 4 | 1 | 1 | 27 | 11 | 7 | 31 | 6 | 1 | 3 | 1 |
|  | ৩ু | ¢ | $\underset{4}{0}$ | $\stackrel{4}{4}$ | U | $\bigcirc$ | $\stackrel{\downarrow}{ }$ | U | U | 『 | $\bigcirc$ | ソ | U |  | , | $F$ |

Table S5. BII percentages for all the 256 tetranucleotides obtained from miniABC SC $^{-}$ Na .



Table S6. Pearson correlation coefficients between BII\% and the formation of the CH…O H-bond.

|  | BII\% vs C8-H8 $\cdots$ O3' $^{\prime}$ |  | BII\% vs C6-H6 $\cdots$ O3' |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Set | RR | YR | RY | YY | Total |
| miniABC | BSC1-K | 1.000 | 0.999 | 0.994 | 0.996 |
| miniABC ${ }_{\text {BSC1 } 1-}-\mathrm{Na}$ | 1.000 | 0.999 | 0.995 | 0.997 | 0.998 |

Table S7. Percentages of $\alpha / \gamma$ torsions in the canonical sub-state (characterized by $\alpha$ in g - and $\gamma$ in g+) for all the 256 tetranucleotides obtained from miniABC ${ }_{\text {BSC1 }}-\mathrm{K}$.


Table S8. Percentages of $\alpha / \gamma$ torsions in the canonical sub-state (characterized by $\alpha$ in g - and $\gamma$ in g+) for all the 256 tetranucleotides obtained from miniABC $\mathrm{BSC1}^{-1} \mathrm{Na}$.


## SUPPLEMENTARY FIGURES



Figure S1. Shift distribution of the AGCA tetranucleotide obtained from $\mu \mathrm{ABC}_{\mathrm{BSC}}-\mathrm{K}$ and miniABC ${ }_{B S C 0}-\mathrm{K}$. Both are bell-shaped Gaussian distributions, with a similar standard deviation, but different mean. All 1,631 pairs of other analogous marginal distributions were more similar one to the other.


Figure S2. Spectra of $\ell_{\mathrm{p}}$ (dark blue) and $\ell_{\mathrm{d}}$ (dark red) persistence lengths computed over an ensemble of 10 K sequences for A) PARMBSC0, and B) PARMBSC1 parameter sets, with mean for $\ell_{\mathrm{p}}$ (black solid line) and mean for $\ell_{\mathrm{d}}$ (black dashed line). The $\ell_{\mathrm{p}}$ (coloured solid line) and $\ell_{\mathrm{d}}$ (dashed solid line) values for the 6 distinct dinucleotide tandem repeats are also indicated in each case.


Figure S3. Time evolution of rise and roll for the TAAA tetranucleotide. The trajectory performed in $\mathrm{K}^{+}$(blue) shows the formation of a reversible kink near 550 ns , not present using $\mathrm{Na}^{+}$(pink). During the formation of the kink, up to two consecutive adenines lose their Watson-Crick H-bonds and are partially un-stacked. Note that this local distortion does not affect the main double helical structure of the oligomer.


Figure S4. Structural polymorphisms (normality and modality) in base pair helical conformations for all distinct trinucleotides. Results obtained from miniABC ${ }_{B S C 1}-\mathrm{K}$ and miniABC ${ }_{\text {BSC1 }}-\mathrm{Na}$.


Figure S5. Structural polymorphisms (normality and modality) in base-pair step helical conformations for all the 136 distinct tetranucleotides. Results obtained from miniABC ${ }_{\text {BSC1 }}-\mathrm{K}$ (top) and miniABC ${ }_{B S C 1}-\mathrm{Na}$ (bottom). Tetranucleotides classified as binormal/bimodal (red) are considered as polymorphic (exist in two clear conformational sub-states).


Figure S6. Normalized shift distributions for all the bimodal cases found in the miniABC ${ }_{\text {BSC1 }}-\mathrm{K}$ dataset, overlapped with their counterpart computed using $\mathrm{Na}+$. X -axes represent the shift helical parameter in $\AA$.


Figure S7. Normalized slide distributions for all the bimodal cases found in the miniABC ${ }_{\text {BSC1 }}-\mathrm{K}$ dataset, overlapped with their counterpart computed using $\mathrm{Na}+$. X -axes represent the slide helical parameter in $\AA$.


Figure S8. Normalized twist distributions for all the bimodal cases found in the mini $A_{B C}$ BSC1 -K dataset, overlapped with their counterpart computed using $\mathrm{Na}+$. X -axes represent the twist helical parameter in degrees.


Figure S9. Sequence dependence of BII backbone conformations. The percentage occurrence of BII backbone states for the phosphodiester junction at the central base step of each of the 256 possible tetranucleotide sequences is shown (BII\%), using the color code defined on the right ( $0 \%$ is dark blue; $80 \%$ is dark red). The sequences are arranged so that each column represents one of 16 dinucleotide steps, and each row corresponds to one of the 16 possible flanking sequences; columns and rows are further grouped on the basis of base type ( $\mathrm{R}=$ purine and $\mathrm{Y}=$ pyrimidine). A) $\mu \mathrm{ABC}_{\mathrm{BSCo}}-\mathrm{K}$ BII percentages(24); B) miniABC BSC1 -K BII percentages.


Figure S10. Normalized distribution of the P angle for A, C, G and T bases (in degrees), obtained from miniABC $\mathrm{BSC}-\mathrm{K}$ dataset.


Figure S11. Normalized distribution of the $\chi$ angle for A, C, G and T bases (in degrees), obtained from miniABC ${ }_{\text {BSC1 }}-\mathrm{K}$ dataset.


Figure S12. Normalized distribution of the $\beta$ angle for A, C, G and T bases (in degrees), obtained from miniABC ${ }_{B S C 1}-\mathrm{K}$ dataset.


Figure S13. Phase vs $\chi$ distribution plot (in degrees) obtained from miniABC ${ }_{B S C 1}-K$ dataset for A, C, G and T bases.


Figure S14. Phase vs $\chi$ distribution plot (in degrees) obtained from miniABC BSC1 -K dataset and filtered according to BI/BII for $\mathrm{A}, \mathrm{C}, \mathrm{G}$ and T bases.


Figure S15. Correlation coefficients between intra-helical parameters (shear, stretch, stagger, propeller, buckle and opening) belonging to the same base-pair in the Watson strand. Results obtained from miniABC $\mathrm{BSC1}-\mathrm{K}$ dataset for all bps.


Figure S16. Correlation coefficients between inter-helical parameters (shift, slide, rise, tilt, roll, and twist) belonging to the same step in the Watson strand. Results obtained from miniABC $\mathrm{BSC}^{1}-\mathrm{K}$ dataset for all RR, RY and YR bps.


Figure S17. Correlation coefficients between differences ( $\Delta$ ) and sums ( $\Sigma$ ) of basepair steps parameters and the BII state in the central junction. Results obtained from miniABC ${ }_{\text {BSC1 }}-\mathrm{K}$ dataset for all bps grouped by RR, RY and YR according to the central bps.


Figure S18. Correlation coefficients between shift, slide, or twist at the positions i-1 ( 5 '-side), i, and i+1 (3'-side), and the backbone sub-state at the junction of base-pair step i in the Watson strand. Results obtained from miniABC ${ }_{B S C 1}-K$ dataset. The numbers inside each cell represent the $\%$ of specific tetranucleotides within a given family that give rise to the correlation.


Figure S19. Correlation coefficients between shift, slide, or twist at the positions i-1 ( 5 '-side), i , and $\mathrm{i}+1$ ( 3 '-side), and the backbone sub-state at the junction of base-pair step i in the Crick strand. Note that we refer everything to the Watson strands (see Methods), so in this plot, RRRR means YYYY since we are analyzing the correlation with the Crick strand. Results obtained from miniABC $\mathrm{BSC}-\mathrm{K}$ dataset.

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## 4 Long-Range Effects Modulate Helical Properties of some DNA Dinucleotide Pairs

## SUPPORTING INFORMATION

# LONG RANGE EFFECTS MODULATE HELICAL PROPERTIES OF SOME DNA DINUCLEOTIDE PAIRS 

Alexandra Balaceanu ${ }^{1}$, Diana Buitrago¹, Jürgen Walther ${ }^{1}$, Adam Hospital ${ }^{1}$, Pablo D. Dans ${ }^{1}$ and Modesto Orozco ${ }^{1,2, *}$

${ }^{1}$ Institute for Research in Biomedicine (IRB Barcelona), The Barcelona Institute of Science and Technology (BIST), 08028 Barcelona, Spain.
${ }^{2}$ Department of Biochemistry and Biomedicine, University of Barcelona, Barcelona, Spain.

* To whom correspondence should be addressed: Prof. Modesto Orozco, Tel: +34 93403 7155, Fax:
+34 93403 7157, Email: modesto.orozco@irbbarcelona.org.


## SUPPORTING METHODS

The choice of sequences. We built a library of 40 different 16 bp oligomer sequences with a middle $\mathrm{d}(\mathrm{CpTpApG})_{2}$ that cover the entire hexanucleotide space featuring a XpCpTpApGpX sequence pattern ( X stands for any nucleotide) as well as all possible pyrimidine $(\mathrm{Y}) /$ purine $(\mathrm{R})$ combinations at the octamer level in several (>3) repeats.

System preparation and MD simulations. All the sequences were prepared with the leap program of AMBERTOOLS 16 [1] and simulated using pmemd.cuda code [2]. Following the ABC protocol [3], canonical duplexes were generated using Arnott B-DNA fiber parameters [4], and solvated by a truncated octahedral box with a minimum distance of $10 \AA$ between DNA and the closest face of the box.

Simulations were run using parmbsc1 force filed, SPC/E water model [5] and 150 mM concentration of $\mathrm{K}^{+} \mathrm{Cl}^{-}$salt using Smith/Dang parameters [6-8]. Systems were optimized and equilibrated as described in our previous works, and simulated for at least 500 ns and up to $10 \mu$ s in the NPT ensemble, using Particle-Mesh Ewald corrections [2,9] and periodic boundary conditions. SHAKE was used to constrain bonds involving hydrogen [10], allowing 2 fs integration step. All the trajectories and the associated analysis are accessible in the MuG BigNAsim portal: http://www.multiscalegenomics.eu/MuGVRE/modules/BigNASimMuG/.

Analysis of Molecular Dynamics trajectories. All the trajectories were processed with the cpptraj module of the AMBERTOOLS 16 package [1], and the NAFlex server [11] for standard analysis. DNA helical parameters and backbone torsion angles were measured and analyzed with the CURVES+ and CANAL programs [12], following the standard ABC conventions [3]. Duplexes were named following the Watson strand (e.g. CTAG stands for (CTAG)•(CTAG)). The letters R, Y and X stand for a purine a pyrimidine or any base respectively, while X•X and XX represent a base pair and base-pair step respectively. Base pairs flanking the CTAG were denoted using two dots to represent the central tetrad (e.g. R••Y).

The Essential Modes of generic TpA in helical space. We performed Principal Component Analysis (PCA) of the 18 intra- and inter- base-pair parameters that define all degrees of freedom of the central TpA step in a rigid-base model. Before calculating the covariance matrix in helical space, its entries had to be made dimensionally uniform, so all rotational degrees of freedom were scaled by a factor of 10.6 [13]. The covariance was calculated from the joint equilibrated trajectories of all 40 sequences taken at every 100 ps. The first 3 Principal Components, which explain $\sim 60 \%$ of the total variance, have their largest projections on a subset of 8 of the original 18 helical parameters. These 3 PCs were used to perform multidimensional clustering in the essential helical space using the mclust package of $R$. The clustering is performed using the optimal model according to Bayesian Information Criterion (BIC) for an expectation-minimization (EM) algorithm initialized by hierarchical clustering for parameterized Gaussian mixture models.

## Distributions of helical parameters that guide specific sequence dependence.

 The helical parameters that showed the highest variability across trajectories of different sequences were identified using Principal Component Analysis (PCA) of the 18 intra- and inter base pair parameters that define all degrees of freedom of the central TpA step in a rigid-base model. The first 3 Principal Components, which explain $\sim 60 \%$ of the total variance have their largest projections on a subset of 8 of the original 18 helical parameters. The Bayesian Information Criterion (BIC) [14,15] was used, limiting the analysis to either two or three components to determine the number of normal functions needed to meaningfully represent the appearance of possible substates in the shift, slide, roll and twist 1D distributions ofthe joint trajectory of all sequences. The normal distributions obtained from the BIC decomposition were compared to the distributions of the same parameters obtained after the multivariate clustering (into 3 clusters) of the first 3 PCs.

From the 8 parameters identified from the PCA as accounting for the most variance, 6 have positive coefficients in the essential helical space, namely the shift, slide and twist of TpA bps, the buckle and propeller twist of dT and the buckle of dA . The distributions of the subset of these 6 parameters were used to evaluate the similarity between the different oligos at the TpA step using the Kullback-Leibler (KL) divergence theorem. For each pair of oligomers we calculated the symmetrized values of the KL divergence and then applied hierarchical cluster analysis using Ward's clustering criterion [16], where the dissimilarities are squared before cluster updating [17] in order to identify specific sequence effects on TpA helical space flexibility.

The 4-state model of TpA dynamics. The 3D and 2D distributions of these three parameters and their paired combinations, respectively, in the meta-trajectory have also been calculated and they show a clear preference of the TpA to occupy one of four states in the Shift-Slide-Twist space. In fact, the states of the 3 helical parameters that display polymorphisms are highly inter-dependent, as shown in the 2 - and 3-dimensional distribution plots. The 3 most populated states in the twist-slide-shift space, when considering the entire meta-trajectory of all oligos, are: High Twist/Positive Slide/Negative Shift (HPN), High Twist/Positive Slide/Positive Shift (HPP), and Low Twist/Negative Slide/Zero Shift (LNZ). In order to capture and better understand these effects, we filtered the metatrajectory into 3 sub-trajectories corresponding to the 3 states, removing all frames that did not belong to any of these. We compared the distribution of helical parameters up to the octamer level in both directions ("-" sign for moving towards the 5' direction on the Watson strand and " + " sign for the 3' direction) between the 3 substate-trajectories and found significant effects in the neighboring shift, slide and twist. We also compared octamer-level backbone torsion (zeta), sugar pucker and glycosidic torsion.

Breaking down the twist, slide and shift contributions to the distal sequence effects, we calculate the Pearson's correlations of these parameters at TpA to the helical parameters at one and two levels away from TpA in each direction and the point biserial correlations to the backbone torsion (zeta - categorized in trans and gauche-), sugar pucker (categorized into South and North) and glycosidic torsion (categorized into Anti and High Anti).

Equilibrium distributions of inter base pair helical parameters at the TpA step vary with higher-than-tetramer sequence. BIC (Bayesian Information Criterion) was used to distinguish between the normal (one Gaussian) or multi-
normal (a mixture of two or more Gaussians) nature of the distributions of TpA helical parameters [14,15].

Since for each individual trajectory, the BIC decomposition assign the same number of Gaussians (1, 2 and 3) in the respective helical parameters (roll, twist/slide and shift, respectively) and the peaks of the distributions are consistent thought the set of oligomers, we compare the propensities of each Gaussian of the individual trajectories with the total average propensity per peak, assigning them to one of three ranges: mean - sd, mean + sd and within this interval, in order to identify large deviations in population imposed by sequence.

Correlation between twist and zeta states. As previously analyzed in depth for the CpG case, we found strong correlations between the twist state and the BI/BII backbone state at the 3 ' side of the TpA step on both Watson and Crick strands. The backbone state was defined by discretizing the zeta torsion sub-states into trans ( $180 \pm 40$ degrees - associated with a backbone in BII), gauche positive ( $60 \pm$ 40 degrees - extremely infrequent) and gauche negative ( $300 \pm 40$ degrees associated with a backbone in BI). Just like in the CpG case, a low twist state was found to usually be coupled with BII transitions at both 3 ' junctions.

Correlation between twist and 03'..C-H hydrogen bond. Relying on strong evidence from previous studies $[18,19]$ of almost perfect correlation between backbone state and the formation of base to backbone hydrogen bonds, we looked at the correlation between twist state at the TpA step and hydrogen bond formation up to the octamer level. We found, as expected, a dependency of 3' side adjacent bond formation to twist state that perfectly mirrors that of the backbone state. But we also discovered an insightful sequential anti-correlation of bond formation from one step to the next that is also highly dependent on sequence, which favors the formation of one or the other.

Analysis of the dynamics of transitions in the Shift-Slide-Twist space. The propensity of each individual state in the 3D distribution in Shift-Slide-Twist varies heavily with sequence. When analyzing transitions between the 3 states defined above for the meta-trajectory, we found that often they use one or both of two extra intermediary states, defined by High Twist/Positive Slide/Zero Shift and High Twist/Negative Slide/Zero Shift. The populations of these states are significantly lower than the main states, but they play an instrumental role in the transitions between them. We analyzed for each sequence trajectory the transition patterns when considering these 5 states in the Twist/Slide/Shift space. The width of the arrows is proportional to the number of transitions and the area of the circles is proportional to the maximum residence time in that particular state.

Classical molecular interaction potentials. Our classical molecular interaction potential (cMIP [20]) was used to analyze the ability of DNA to recognize sodium. The electrostatic interaction term was determined by solving the linear PoissonBoltzmann equation [21], while the van der Waals contribution was determined using standard AMBER Lennard-Jones parameters [22]. The ionic strength and the reaction-field dielectric constant were set to 0.15 and 78.4 M , respectively, while the dielectric constant for DNA was set to 8 [23]. The calculations were performed using the average structure of each sequence over the last 200 ns of the trajectory.

Stacking and Base-pairing strength. In order to estimate the strength of stacking at the TpA step we used two separate methods. First, we calculated a Stacking Factor based on the distance between the centers of mass of T and A, and the angle between the two planes of the bases. With the stacking coordinate defined as [24]:

$$
\begin{gathered}
\xi=\frac{r_{M}}{S(\alpha)} \\
S(\alpha)=e^{-\alpha}+e^{-(\alpha-\pi)^{4}}+0.1 e^{-(\alpha-0.5 \pi)^{4}}
\end{gathered}
$$

We also show that the Stacking Factor is highly correlated with shift and slightly less correlated with slide.

Secondly, we calculate the Stacking energy as the sum of electrostatic and Van der Waals terms between the bases when removing the negative charge on the phosphate group. Here we have separately contributions from stacked bases on the same strand, from cross terms and the base-pairing hydrogen bonds energies. We calculated the stacking energies separately for the 5 states defined in the transition analysis above to determine the stabilizing factors of the highly preferred states. The TpA or CTAG stacking and hydrogen bond energies don't vary significantly depending on the sequence, but they do depend on the substate in helical space.

Database Analysis of structural features. We retrieved high resolution ( $<3 \AA$ ) Xray and NMR structures of double stranded DNA containing the CTAG tetrad and distinguished between the protein-bound and free DNA structures. We found 106 instances of CTAG in 29 DNA structures without protein and 160 instances of CTAG in 76 protein-DNA complex structures. We compared helical parameter distributions between the database structures and out results.

Database Analysis of genomic properties. Prevalence of CTAG in the genomes of H. sapiens (hg19), E. coli (NC_000913.3) and S. cerevisiae (sacCer3) was computed, finding low occurrence compared to other tetramers (less than $0.5 \%$ in the three species). Occurrences of this tetramer were then mapped, using Homer software
[25], to the annotated regions of each organism obtained from UCSC and compared to the overall frequency of each annotation type. CTAG is enriched at intergenic regions in H. sapiens and E. coli, but not in S. cerevisiae probably due to the low number of intergenic regions in this organism (less than $2.5 \%$ compared to more than $20 \%$ in the other two). To evaluate resilience to mutation, the frequency of mutations for each tetramer along the genome in 30 different cancer types [26] was computed.

## SUPPORTING TABLES

Table S1. Sequence library used to study CTAG polymorphisms, number of replicas and simulation time.

| Num. | Sequence | Simulation <br> time | Num. | Sequence | Simulation <br> time |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | CGTCGGCTAGCCGAGC | 500 ns | 21 | CGGAGACTAGACTCGC | 500 ns |
| 2 | CGTCTCCTAGGAGAGC | 500 ns | 22 | CGGAGACTAGCCTCGC | 500 ns |
| 3 | CGAAAACTAGAAAAGC | 500 ns | 23 | CGGAGACTAGGCTCGC | 500 ns |
| 4 | CGAAAACTAGTTTTGC | 500 ns | 24 | CGGAGACTAGTCTCGC | $2 \mu \mathrm{~s}$ |
| 5 | CGATATCTAGATATGC | 500 ns | 25 | CGGAGCCTAGACTCGC | 500 ns |
| 6 | CGTATACTAGTATAGC | $2 \times 500 \mathrm{~ns}$ | 26 | CGGAGCCTAGCCTCGC | $2 \times 500 \mathrm{~ns}$ |
| 7 | CGGGGGCTAGGGGGGC | 500 ns | 27 | CGGAGCCTAGGCTCGC | 500 ns |
| 8 | CGGGGGCTAGCCCGGC | 500 ns | 28 | CGGAGGCTAGACTCGC | 500 ns |
| 9 | CGGCGCCTAGGCGCGC | 500 ns | 29 | CGGAGGCTAGCCTCGC | 500 ns |
| 10 | CGCGCGCTAGCGCGGC | 500 ns | 30 | CGGAGTCTAGACTCGC | $2 \times 500 \mathrm{~ns}$ |
| 11 | CGTCTACTAGAGAGGC | 500 ns | 31 | CGCTAGCTAGCTAGGC | $4 \times 500 \mathrm{~ns}$ |
| 12 | CGTCTACTAGCGAGGC | $2 \times 500 \mathrm{~ns}$ | 32 | CGATATCTAGAAATGC | $2 \mu \mathrm{~s}$ |
| 13 | CGTCTACTAGGGAGGC | $2 \times 500 \mathrm{~ns}$ | 33 | CGGAGCCTAGAATCGC | $2 \mu \mathrm{~s}$ |
| 14 | CGTCTACTAGTGAGGC | $2 \times 500 \mathrm{~ns}$ | 34 | CGGCGCCTAGGGGCGC | $2 \mu \mathrm{~s}$ |
| 15 | CGTCTCCTAGAGAGGC | $2 \times 500 \mathrm{~ns}$ | 35 | CGGAGGCTAGCATCGC | $2 \mu \mathrm{~s}$ |
| 16 | CGTCTCCTAGCGAGGC | 500 ns | 36 | CGAAAACTAGTATAGC | $2 \mu \mathrm{~s}$ |
| 17 | CGTCTCCTAGGGAGGC | 500 ns | 37 | CGCTAGCTAGCGAGGC | $2 \mu \mathrm{~s}$ |
| 18 | CGTCTGCTAGAGAGGC | $2 \mu \mathrm{~s}$ | 38 | CGTCTGCTAGACAGGC | $2 \mu \mathrm{~s}$ |
| 19 | CGTCTGCTAGCGAGGC | $6 \times 500 \mathrm{~ns}$ | 39 | CGAATCCTAGATAAGC | $2 \mu \mathrm{~s}$ |
| 20 | CGTCTTCTAGAGAGGG | 500 ns | 40 | CGGACACTAGCGTCGC | $2 \mu \mathrm{~s}$ |

Table S2. Pearsons correlation coefficient of Shift, Slide and Twist at TpA with flanking bps parameters and selected backbone torsions up to hexamer.

|  |  | Shift <br> at TA | Slide <br> at TA | Twist <br> at TA |  | Shift <br> at TA | Slide <br> at TA | Twist <br> at TA |
| :--- | :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| $\mathbf{- 2}$ | Shift | 0.06 | 0.002 | 0.025 | zetaW | -0.067 | -0.063 | -0.123 |
|  | Slide | 0.157 | 0.149 | 0.206 | zetaC | -0.471 | -0.286 | -0.421 |
|  | Rise | -0.052 | -0.022 | -0.086 | phaseW | -0.130 | -0.023 | -0.073 |
|  | Tilt | 0.086 | 0.031 | 0.051 | phaseC | -0.061 | -0.079 | -0.110 |
|  | Roll | 0.001 | 0.043 | 0.038 | chiW | 0.018 | 0.002 | 0.025 |
|  | Twist | 0.089 | 0.051 | 0.021 | chiC | -0.074 | -0.042 | -0.057 |
|  | Shift | -0.607 | -0.149 | -0.257 | zetaW | -0.454 | -0.098 | -0.217 |
|  | Slide | -0.298 | 0.089 | -0.094 | zetaC | 0.753 | 0.295 | 0.536 |
|  | Rise | 0.028 | -0.089 | -0.109 | phaseW | -0.425 | 0.006 | -0.105 |
|  | Tilt | -0.12 | 0.057 | -0.11 | phaseC | 0.111 | 0.102 | 0.090 |
|  | Roll | 0.002 | 0.178 | 0.157 | chiW | -0.140 | -0.027 | -0.058 |
|  | Twist | -0.223 | -0.263 | -0.453 | chiC | 0.107 | 0.173 | 0.153 |
|  | Shift | -0.607 | 0.192 | 0.306 | zetaW | -0.736 | 0.340 | 0.589 |
|  | Slide | 0.201 | 0.098 | -0.078 | zetaC | 0.456 | -0.166 | -0.260 |
| $\mathbf{4}$ | Rise | 0.017 | -0.08 | -0.114 | phaseW | -0.157 | 0.130 | 0.103 |
|  | Tilt | -0.104 | -0.047 | 0.12 | phaseC | 0.431 | -0.045 | -0.144 |
|  | Roll | -0.045 | 0.176 | 0.173 | chiW | -0.206 | 0.186 | 0.170 |
|  | Twist | 0.232 | -0.25 | -0.455 | chiC | 0.166 | -0.022 | -0.053 |
|  | Shift | 0.185 | -0.084 | -0.148 | zetaW | 0.547 | -0.332 | -0.487 |
|  | Slide | -0.251 | 0.195 | 0.271 | zetaC | 0.023 | -0.023 | -0.061 |
|  | Rise | 0.09 | -0.04 | -0.103 | phaseW | 0.020 | -0.072 | -0.076 |
|  | Tilt | 0.156 | -0.091 | -0.125 | PhaseC | 0.085 | -0.004 | -0.054 |
|  | Roll | 0.012 | 0.044 | 0.039 | chiW | 0.019 | -0.012 | -0.018 |
|  | twist | -0.095 | 0.079 | 0.067 | chiC | -0.067 | 0.006 | 0.024 |
| $\mathbf{+ 2}$ |  |  |  |  |  |  |  |  |

## SUPPORTING FIGURES



Figure S1. Normalized frequencies of the shift, slide, roll and twist helical parameters for 3 selected sequences, whose trajectories were extended to $2 \mu$ s to check for convergence. Four distributions were computed for each helical parameter using segments of 500 ns .


Figure S2. Normalized frequencies of the shift, slide, and twist helical parameters for 2 selected sequences showing clear hexamer effects, which could be appreciated from the change in the relative populations of the bi- and tri-normal distributions.


Figure S3. Time evolution ( 500 ns ) of shift, slide and twist for two selected sequences, showing the fast and reversible inter-conversion between high and low substates.
5.


Figure S4. Normalized frequencies for shift, slide and twist (black line), and the BIC decomposition in Gaussians (red, green, and blue lines), showing the behavior of the clusters obtained in the dendogram of Figure 5.


Figure S5. Occurrence of each possible tetranucleotide in 3 different genomes. CTAG is marked in red.


Figure S6. Occurrence of SNPs mapped to each unique tetranucleotide in Human genome. CTAG is marked in red.


Figure S7. Frequency of mutations for each tetramer along the genome for several cancer types. CTAG is marked in red.

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## SUPPLEMENTARY DATA

## Allosterism and Signal Transfer in DNA

Alexandra Balaceanu ${ }^{1}$, Alberto Pérez², Pablo D. Dans ${ }^{1}$ and Modesto Orozco ${ }^{1,3,{ }^{*}}$<br>${ }^{1}$ Joint IRB-BSC Program on Computational Biology, Institute for Research in Biomedicine (IRB Barcelona), The Barcelona Institute of Science and Technology (BIST), 08028 Barcelona, Spain.<br>${ }^{2}$ Laufer Center for Physical and Quantitative Biology, Stony Brook University, Stony Brook, New York 11794, United States.<br>${ }^{3}$ Department of Biochemistry and Biomedicine, University of Barcelona, Barcelona, Spain.

## SUPPLEMENTARY METHODS

Correlations between geometrical variables were evaluated taking into account the nature of the coordinates involved, either linear or circular. Correlation between two directional variables was assessed with the use of Jammalamadaka formula (4). Suppose a sample of $n$ pairs of angles $\left(\mathrm{a}_{11}, \mathrm{a}_{21}\right),\left(\mathrm{a}_{12}, \mathrm{a}_{22}\right), \ldots,\left(\mathrm{a}_{1 \mathrm{n}}, \mathrm{a}_{2 \mathrm{n}}\right)$ is available. The circular correlation coefficient is calculated as:

$$
r_{c}=\frac{\sum_{k=1}^{n} \sin \left(a_{1 k}-T_{1,1}\right) \sin \left(a_{2 k}-T_{2,1}\right)}{\sqrt{\sum_{k=1}^{n} \sin ^{2}\left(a_{1 k}-T_{1,1}\right)} \sum_{k=1}^{n} \sin ^{2}\left(a_{2 k}-T_{2,1}\right)}
$$

where $T_{1,1}$ is the mean direction of the first circular variable and $T_{2,1}$ is the mean direction of second. The correlation between a directional variable and a linear variable was assessed
from the correlation of the linear variable with the cosine and sine of the circular variable individually. Thus, the circular-linear correlation coefficient was calculated as:

$$
\rho_{c l}=\sqrt{\frac{r_{c x}^{2}+r_{s x}^{2}-2 r_{c x} r_{s x} r_{c s}}{1-r_{c s}^{2}}}
$$

Where $\mathrm{r}_{\mathrm{sx}}=\mathrm{c}(\sin \alpha, \mathrm{x}), \mathrm{r}_{\mathrm{cx}}=\mathrm{c}(\cos \alpha, \mathrm{x})$ and $\mathrm{r}_{\mathrm{cs}}=\mathrm{c}(\sin \alpha, \cos \alpha)$, with $\mathrm{c}(\mathrm{x}, \mathrm{y})$ being the Pearson correlation coefficient.

Delayed Correlations can be described for two time series $r_{i}$ and $r_{j}$ considering that $\Delta r_{j}(t+$ $\tau$ ) may be affected by the earlier fluctuations of $\Delta r_{i}(t)$. The extent of this effect may be quantified by the time delayed correlation function

$$
C_{i j}(\tau)=\frac{\sum \Delta r_{i}(t) \Delta r_{j}(t+\tau) / N}{\sqrt{\left\langle\Delta r_{i}^{2}\right\rangle\left\langle\Delta r_{j}^{2}\right\rangle}}
$$

This leads to directionality in the structure, and because of the asymmetry $\mathrm{C}_{\mathrm{ij}} \neq \mathrm{C}_{\mathrm{ij}}$, the delayed correlations can capture causality between the evolutions of two time series. It is however difficult to assess how fast the signal travels along the DNA and therefore which time delay to use at each distance. Using simply the maximum value of the correlation over a certain allowed interval does not yield an incremental sequence of time values because of large noise interference at far away distances. For this reason, we relied on the assumption of a constant speed traveling wave and determined the values of the specific time delays at each position along the DNA from the first 3 strongest signals. We took as example the base pair 5 as the source of perturbation because of its strong contact with protein residues. We fitted the cross-correlation between the major groove width at bp 5 and that at the next three positions as a function of time displacement(allowing for up to 4 ns delay)to a logistic decay and calculated for each the half-live. From these 3 values we calculated the slope and considered it to be the speed of the traveling wave to determine the most likely specific time delay at each position.


Correlations network analysis of backbone torsions was performed by computing all circular-circular correlation between backbone angles with absolute values above a threshold of 0.4. Circular-circular correlations as described above were used to build interaction networks of coupled backbone motions in the double helix. A trajectory was build where each base pair was represented by a set of Watson and Crick dihedral angles (alpha, beta, epsilon, gamma and zeta - a set of 10 nodes per base pair) and edges were defined from pairwise circular-circular correlations above the selected threshold. The backbone torsions of both strands were taken into consideration excluding 4 base pairs at each end. Only non-redundant correlations were retained, by removing dependencies between torsions belonging to the same base pair and those between the same dihedral at adjacent bases on the same strand. The data collected was structured and represented as a descriptive network graph using the R package igraph (5). The structure of the network was fixed so that it followed the unraveled DNA helix from 5' to $3^{\prime}$. This method is extremely useful for the visualization of the new communication pathways that appear upon protein binding.

Classical molecular interaction potentials were computed (represented at the -4 $\mathrm{kcal} / \mathrm{mol}$ contour level) to determine the changes in recognition properties induced by BAMHI binding on the region of DNA that binds GRDBD. Calculations were performed using MD-averaged structures obtained using the last 100 ns of production simulations. Following the defaults in our CMIP code (6), the electrostatic interaction term was determined by solving the linear Poisson-Boltzmann equation, while the van der Waals contribution was determined using standard AMBER Lennard-Jones parameters. The ionic strength and the reaction-field dielectric constant were set to 0.15 and 78.4 M , respectively, while the dielectric constant for DNA was set to 8 following our previous experimental and theoretical
estimates of the dielectric response of DNA (7). A protonated methylamine was used as probe particle moving in a $0.5 \AA$ spaced grid. CMIP was also used to calculate the proteinprotein interaction in the BAMHI-DNA-GRDBD trimer from the last $10^{4}$ frames of the trajectory.

Cation analysis was performed by determining the cation distribution in curvilinear cylindrical coordinates. The distribution of sodium cations around the DNA was determined from the last 200 ns of each MD trajectory, and analyzed using the latest version of Curves+ (2) that has the ability to calculate the position of ions along a trajectory using a curvilinear cylindrical (CHC) system with respect to the instantaneous helical axis of each snapshot. This data was then analyzed with the Canion utility program (8) and accumulated ion positions in terms of its longitudinal coordinates which describe the position of the ion along the DNA molecule were obtained, accounting for the coupling between ion motions and the global deformations of the DNA molecule. The ion distributions are given in units of molarity. The limits of the grooves are defined according to the default values used in Canion $(8,9)$ and we report on the ion distribution within the internal region of the minor groove as defined there.

Protein contact analysis "Protein sensing" contacts are defined as pairs of aminoacid/nucleotide that when coming in close proximity to each other (distances between centers of mass below $7 \AA$ and at least one atom pair distance below $3 \AA$ ) produce the most significant perturbations in the DNA consistently for complexes of all linker sizes. Selecting for the presence of the combination of these contacts yielded meta-trajectories consisting of at least 10,000 disperse collected frames. These are not always the native contacts, but follow a touch\&release pattern all throughout the well equilibrated trajectories (beyond 200 ns ).

Entropy calculations were performed using both the Schlitter and Andricioaei/Karplus methods, which give entropy estimates from the diagonalization of the mass-weighted Cartesian covariance matrix (taken from the unbiased simulations) and the application of a modified quantum statistical harmonic oscillator model to the associated quasiharmonic frequencies $(10,11)$. We calculated absolute entropies of the DNA heavy atoms in the secondary binding region, following the two different transformations from Cartesian space atomic oscillations. Since the calculated total entropies are sensitive to the length of the simulation and, to a degree, to the fitting method as well, we checked the robustness of our
results by using 2 different methods to align the duplexes (rms-fitting the entire DNA and only the GRDBD binding region) and extending the analyzed time windows of the trajectory. In any case, individual estimates of entropy differences remain very similar after 500 ns as can be seen in Supp. Fig. 7, suggesting the lack of severe convergence problems in results shown in Figure 5 of the main text where the reported values are obtained using Harris' extrapolation scheme (12) to infinite simulation time taking individual estimates in the $50 \mathrm{~ns}-1 \mu$ s range.

We additionally assess the dihedral entropy at the interface between linker and secondary binding regions with a Kullback-Leibler divergence (13) entropy measure. We follow the method described by Cukier (14) to quantify how far from independent the dihedral states are across the analyzed region. If X is the set of all interface ( 10 base pairs - last 5 bp of each linker region plus the first 5 bp of the GRDBD binding site) backbone conformations as combinations of states for the interface dihedrals, we calculate the Kullback-Leibler divergence for both naked and bound DNA for each linker size as:

$$
D\left(p \| p^{\text {ind }}\right)=\sum_{x \in X} p(x) \log \frac{p(x)}{p^{\text {ind }}(x)}
$$

Then we compute the difference $\Delta S_{\text {dihedral }}=\mathrm{k}_{\mathrm{B}} \mathrm{T}[\mathrm{D}(1)-\mathrm{D}(0)]$ where 1 stands for the bound complex and 0 is the unbound DNA as a measure of dihedral entropy change upon effector protein binding. We acknowledge that the KLD does provide a quantitative measure of the difference between two probability distributions, in this case the observed probability versus the assumed independent probability, but it is not entirely obvious how to interpret the magnitude of this measure. Because $D\left(p \| p_{\text {ind }}\right)=-\Delta H$ and $\Delta S=R \Delta H$ (where $R$ is the gas constant), we feel the need to attempt at providing a rough reference numerical values of the dihedral entropies calculated with this method in a simplified model that is still similar to our complicated multidimensional calculation. We therefore calculate the associated difference to the independent entropy of pairs of zeta backbone dihedrals along one strand of DNA with increasing distance. The difference in entropy between pairs of dihedrals that show one highly populated state and those for which all states are close to the independent population is of about $1.4 \mathrm{cal} / \mathrm{molK}$ in systems with 4 possible states ( 2 per dihedral). The figure below shows these results: top - population of highest populated state for each dihedral pair and bottom, the entropy change of the corresponding pair (considering all state populations).


Entropy Transfer as described in Schreiber's work (15), we considered the transfer entropy (TE) $T_{i>j}(\tau)$ from time series $i$ to $j$ at time $\tau$ as:

$$
T_{i \rightarrow j}(\tau)=S\left(\Delta r_{j}(t+\tau) \mid \Delta r_{j}(t)\right)-S\left(\Delta r_{j}(t+\tau) \mid \Delta r_{i}(t), \Delta r_{j}(t)\right)
$$

where the conditional entropy of two events separated in time by $\tau$ is defined by:

$$
S\left(\Delta r_{j}(t+\tau) \mid \Delta r_{i}(t)\right)=-\sum p\left(\Delta r_{i}(t) \mid \Delta r_{j}(t+\tau)\right) \ln p\left(\Delta r_{j}(t+\tau) \mid \Delta r_{i}(t)\right)
$$

To estimate the quantities in the equation above, we express conditional probabilities $\mathrm{p}(\mathrm{j} \mid \mathrm{i})$ by the Kolmogorov definition, as the quotient of the probability of the joint of events $i$ and $j$, and the probability of i. In this sense, the TE estimation can be treated as a problem of density estimation from data. One of the most straightforward approaches to density estimation is based on histogram models, which is the method we employ here. One-, twoand three-dimensional histogram functions were used to cluster data into bins with varying widths and partitioning of data is adaptive according to the maximum and minimum of data. Number of bins was selected according to the Sturges' rule. The optimum number of bins is calculated from the Sturges' rule according to

$$
\mathrm{n}_{\mathrm{opt}}=\text { mean fluctuation } \cdot\left(1+\log _{2} \mathrm{~N}\right)
$$

The mean fluctuations refer to the average fluctuations of major groove width divided by their maximum value in the base pairs considered. We take $\Delta \mathrm{ri}(\mathrm{t})$ as the magnitude of the major groove width fluctuations at time $t$. After the estimation of the optimal number of bins and assuming that the trajectory of the system can be approximated by a stationary Markov process, the TE can be expressed as a summation of Shannon entropy terms:

$$
\mathrm{T}_{\mathrm{i} \rightarrow \mathrm{j}}(\tau)=\mathrm{H}\left(\Delta \mathrm{r}_{\mathrm{j}}(0), \Delta \mathrm{r}_{\mathrm{i}}(0)\right)-\mathrm{H}\left(\Delta \mathrm{r}_{\mathrm{j}}(\tau), \Delta \mathrm{r}_{\mathrm{j}}(0), \Delta \mathrm{r}_{\mathrm{i}}(0)\right)+\mathrm{H}\left(\Delta \mathrm{r}_{\mathrm{j}}(\tau), \Delta \mathrm{r}_{\mathrm{j}}(0)\right)-\mathrm{H}\left(\Delta \mathrm{r}_{\mathrm{j}}(0)\right)
$$

In general, $\mathrm{T}_{\mathrm{i} \rightarrow \mathrm{j}}(\tau) \neq \mathrm{T}_{\mathrm{j} \rightarrow \mathrm{i}}(\tau)$ and this will determine the net transfer of entropy from one event to another separated in time by $\tau$. In this study, we took $\tau=2 \mathrm{~ns}$ as the representative correlation time of cross correlations based on the characteristic decays depicted in Figure 3. The values of $\mathrm{T}_{\mathrm{i} \rightarrow \mathrm{j}}(\tau)$ can vary from zero when the fluctuations of time series i and j are independent, and a maximum of the entropy rate:

$$
h\left(\Delta r_{j}(\tau) \mid \Delta r_{j}(0)\right)=-\sum p\left(\Delta r_{j}(\tau), \Delta r_{j}(0) \log p\left(\Delta r_{j}(\tau) \mid \Delta r_{j}(0)\right)\right)
$$

when the fluctuations of i and j are completely coupled; this maximum is reached when $i=j$, for example. High values of $T_{i \rightarrow j}(\tau)$ indicate that the fluctuations of base pair i are strongly driving the fluctuations of base pair $j$, whereas low values indicate a smaller or null dependence. To quantify whether, on average, the motion of base pair $j$ drives the motion of base pair $i$, or whether the motion of base pair $i$ drives the motion of base pair $j$, we use the net entropy transferred from base pair i to base pair $\mathfrak{j}$, normalized by the entropy rate, with values between -1 and 1 :

$$
T_{i \rightarrow j}^{\text {Net }}=\frac{T_{i \rightarrow j}(\tau)}{\mathrm{h}\left(\Delta \mathrm{r}_{\mathrm{j}}(\tau) \mid \Delta \mathrm{r}_{\mathrm{j}}(0)\right)}-\frac{T_{j \rightarrow i}(\tau)}{\mathrm{h}\left(\Delta \mathrm{r}_{\mathrm{i}}(\tau) \mid \Delta \mathrm{r}_{\mathrm{i}}(0)\right)}
$$

This is the quantity represented in the color maps of Figure 7 in the main text. We also calculate the net entropy transferred from base pair i to all other base pair, which is obtained by summing over all $j$ as:

$$
T_{i}^{N e t}=\sum_{j=1}^{N}\left(T_{i \rightarrow j}(\tau)-T_{j \rightarrow i}(\tau)\right)
$$

Knowing the major groove width of base pair $i$ and $j$ at time $t$, we employ the model to evaluate to what extent the uncertainty of the future major groove widths values of atom j was reduced. From this point of view it is the correlation in the fluctuations of the two atoms that causes the decrease in entropy. When major groove width fluctuations are correlated, transfer entropy between residues i and j does not equal the transfer entropy between residues j and i . This explicit asymmetry in transfer entropy can be used to distinguish between the residues that drive the correlated motion (entropy sources) and the residues that respond (entropy sinks); i.e. between the cause and the effect of correlated motions. If $T_{i \rightarrow j}^{N e t}$ is greater than zero, we say that the fluctuations of atom idrive those of atom $j$, or $i$ is the source of correlations. Since $T_{i \rightarrow j}^{N e t}$ is based on mutual information, the measure includes all linear and nonlinear correlations between the two time series.

Free energy of binding calculation. To estimate the free energy of binding GRDBD on the DNA we follow the Confine-Convert-Release (CCR) method described by Roy et al. (16), which stems out from previous confinement methods of Tyka et al. and Cecchini et al. $(17,18)$. We follow the steps shown in the thermodynamic cycle of Figure S 8 to compute separately the free energy of binding GRDBD on the naked DNA and on the BAMHI-bound DNA. In order to obtain these estimations, we first calculate the energy of confining each structure to its energy minimum by thermodynamic integration with increasing restraints solute atoms from $5 \times 10^{-5}$ to 81.92 . The negative of this energy is the release term. In the convert step that completes the thermodynamic cycle, we calculate the energy difference of the DNA atoms between the two highly restrained complexes. Finally, the total binding energy is calculated from the sum of these individual contributions and $\Delta \Delta \mathrm{G}$ responsible for cooperative effects is estimated. CCR methods have been successfully used for calculating free energies related to conformational changes in proteins. However, in our particular case the free energy change calculated with CCR is highly overestimated because we apply the method to compute binding free energies where the number of atoms changes during the thermodynamic cycle. Even though we use only the DNA atoms to compute energy differences between the two confined states (with and without the GRDBD), the presence of the protein makes some differences and therefore we consider this agreement with experimental data to be only qualitative and we treat its importance and relevance in the text accordingly. It is beyond the scope of this paper to validate the CCR method for binding free energies.

## SUPPLEMENTARY TABLES

Table S1. Interaction free energy of a protonated methylamine probe (used to simulate the presence of a charged amino acid sidechain) at the secondary binding site.

|  | Interaction free energy (Electrostatics +vdW ) in kcal/mol |  |  |
| :---: | :---: | :---: | :---: |
|  | Free | Bound | Bound Conf |
| 7 bp Linker | $-7.1 \pm 0.3$ | $-7.1 \pm 0.4$ | $-7.1 \pm 0.4$ |
| 11 bp Linker | $-7.4 \pm 0.5$ | $-7.5 \pm 0.3$ | $-7.5 \pm 0.3$ |
| 15 bp Linker | $-7.1 \pm 0.5$ | $-6.9 \pm 0.5$ | $-6.9 \pm 0.5$ |

## SUPPLEMENTARY FIGURES

## Sequences of the studied systems

Linker of $4 \mathbf{b p}$ :<br>AT-GGATCC-ATAG-AGAACATGATGTTCT-CA<br>Linker of $\mathbf{7} \mathbf{b p}$ :<br>AT-GGATCC-ATAGACC-AGAACATGATGTTCT-CA<br>Linker of 11 bp :<br>AT-GGATCC-ACTGAACGACC-AGAACATGATGTTCT-CA<br>Linker of $15 \mathbf{~ b p}$ :<br>AT-GGATCC-ACTGATACTACGACC-AGAACATGATGTTCT-CA



Figure S1. Watson strand sequence of the simulated systems, from 5'to 3'end of duplex DNA containing the canonical BAMHI binding site (d(GGATCC)) and the canonical GRDBD binding site (d(AGAACATGATGTTCT), labeled as the "reverse" sequence in ref. 15 of the main text) separated by linkers of increasing length ( 4,7 , 11 and 15). In all cases four systems were simulated: the naked DNA, the BAMHIDNA complex, the GRDBD-DNA complex and the BAMHI-DNA- GRDBD trimer. The 4 x 4 systems were created using Nucleic Acid Builder and standard B-DNA geometrical parameters, except for the binding region where the geometries were transferred from the respective crystal structures (PDB codes 2BAM and 1R4R). Left top: naked DNA; right top: GRDBD-DNA; left bottom BAMHI-DNA; right bottom: BAMHI-DNA-GRDBD.


Figure S2. Average ( $0.2-1 \mu \mathrm{~s}$ ) inter and intra base-pair parameters (rotational in degrees, translational in $\AA$ ) for the DNA duplexes with linkers of different lengths. Values for free DNA (cyan) versus those for BAMHI-bound DNA (red).


Figure S3. A) Top: Average water density in the GRDBD binding region of a $2 \AA$ spaced grid over the last 30 ns of simulation, where both solute and ions/water are fully equilibrated. Isosurface of water densities of 1.5 times the bulk water density $(1 \mathrm{~g} / \mathrm{ml})$. The naked and the bound DNA structures were rms-fit to the average structure of naked DNA in the GRDBD binding region. The recognition site of the second protein is shown in magenta. Bottom: Cation distribution along the helical axis in curvilinear cylindrical coordinates; profiles shown for naked DNA (black), BAMHI-bound DNA (red) and the system with both proteins bound to the DNA (blue).B) CMIP calculation of the naked and BAMHI-bound DNA interaction at the secondary binding site with a protonated methylamine. Calculation performed using average structures obtained from the last 100 ns of the production simulations on a $0.5 \AA$ spaced grid.For the sake of comparison, the two averaged structures were aligned and the same isosurface of $-4 \mathrm{kcal} / \mathrm{mol}$ was computed (see Suppl Table S1 for quantitative results).


Figure S4. Major groove width correlation from the BAMHI binding site centre along the sequence for several time windows over the trajectory.Comparison between BAMHI-bound DNA and naked DNA. Increasing windows of time are chosen in order to capture the evolution over time of these correlations, since short simulations tend to overestimate correlation strengths due to insufficient sampling and equilibration artifacts. However, even when allowing for long equilibration times, the communication between the two binding sites is noticeable compared to the unbound DNA.


Figure S5.Time-delayed cross correlation of major groove widths between base pair 5 belonging to the BAMHI binding regions and all subsequent bases in all linker size system. The major groove width of the 15 bp linker naked DNA at base pair 5 has been gradually pulled open by harmonic restraints. The abscisa denotes the distance in base pairs from the perturbation source (bp 5). "Forward" correlations (5' to 3' on Watson strand, corresponding to cross-correlations from bp 5 to all other bases) are depicted in orange, whilst "reverse" correlations (3' to 5' direction, referring to cross-correlations from each bp to bp 5) appear in blue.


Figure S6.Correlations network analysis showing through space propagation of correlated motions in the DNA backbone above an R coefficient absolute value threshold of 0.4 for naked and BAMHI-bound DNA (case of 7bp linker) from the center of the BAMHI binding site along the sequence. To reduce the noise correlations between torsions at the same base pair have been removed. In the graph, each level represents a base pair, and the vertexes are ordered on the y-axis according to the backbone torsion they represent (both the Watson (W) and Crick (C) strand torsions are shown belonging to each base pair). Vertex size is proportional to their degree (the number of connections) and for each level, the vertex with the highest degree is colored in orange, all others in grey. Correlations between levels more than 4 base pairs apart are depicted as cyan arrows. From each level, the strongest correlation with a starting point on that level is shown as an
orange arrow, unless it is already colored in blue. Protein binding sites are highlighted in yellow and magenta.


Figure S7. Time evolution of major groove width correlation averages from the first binding site along the sequence after a protein clenching event. The first two curves represent correlations when the contact is active and propagate a long distance, up to the secondary binding site, while after "release" the BAMHI influence is contained within a few bases of its binding site.


Time [ns]
Figure S8. Entropy change upon GRDBD binding on the Naked $\Delta S(A)$, and on the bound $\Delta \mathrm{S}(\mathrm{B})$ DNA. Two alignment methods were used to define the average structure (Fit 1 and Fit 2), and estimates were obtained for different time-windows, showing a stable value of the entropy differences after 500ns irrespective of the procedure followed to transform oscillations into entropy measures (Schlitter or Andricioaiei/Karplus), or even of the extension of the trajectory.


Figure S9. Difference in effective temperature (computed from atomic oscillations) between full DNA duplex and GRDBD region for all 4 different stages of binding: naked DNA, BAMHI-bound, GRDBD-bound and both proteins bound to form the trimer complex. Results support the entropic mechanism behind the cooperative effect. The temperature decrease in the GRDBD region compared to the entire DNA (positive difference) is observed when the first protein binds to the double helix, but only in the cases of the two favorable (cooperative) linker sizes (7 and 15 bp ) and not for the 11 bp linker (anticooperative).

## Confine/Convert/Release Cycles



Figure S10. Thermodynamic cycles used for calculating of binding free energies using the Confine-Convert-Release method. The cooperative effect is estimated to increase stability for the binding of GRDBD in the presence of BAMHI by 46.8 $\mathrm{kcal} / \mathrm{mol}(\Delta \Delta \mathrm{G}=-46.8)$ for the linker of 7 bp , respect to the binding of GRDBD to naked DNA.Note that this result should be taken as qualitative. See further details and explanations in the Supplementary methods.


Figure S11. Map of entropy transfer from base pair $i$ to base pair $j$ in the naked (left) and BAMHI-DNA (right) systems. The normalized net entropy ( $T^{N E T}{ }_{i \rightarrow j}$ ) transferred from residue $i$ to residue $j$ is obtained as described in the Methods Section of Supplementary Data. Positive values ofT $\mathrm{T}_{\mathrm{i} \rightarrow \mathrm{j}}^{\mathrm{Net}}$ in blue indicate that the major groove fluctuations of $\mathrm{bp} i$ strongly drive the major groove fluctuations at bpj (in the $5^{\prime}-3^{\prime}$ direction), whereas low values (white) indicate a smaller or null dependence, and negative values (red) a correlation from $j$ to $i$.

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[^0]:    ${ }^{a}$ For each PDB entry we show the number of experimental restraints, the average deviation (A), the maximum deviation (A), and the number of restraint violations. In each cell NMR results are reported in italic, i.e., the values obtained when experimental restraints were enforced to solve the structure; while the MD results obtained using parmbsc1 simulations are reported with normal characters. ${ }^{\text {b }}$ Since the NOE deviations were larger than usual for this hairpin, calculations were repeated using parmbscO and CHARMM36 force-fields, finding 73 and 64 violations respectively.

[^1]:    ${ }^{\text {a }}$ Note that the comparisons are made between metrics obtained for the NMR ensemble (the set of structures refined by imposing NMR restraints) in italics, and those coming from the unbiased MD trajectory in roman. ${ }^{\text {b }}$ To define "number of violations" we used three criteria: i) the distances given by the flat well limits (left value in the cell), ii) the boundaries of the "contact" are extended by $\pm 0.2 \AA$ (middle value), and finally iii) the upper-limit is multiplied by 1.25 (right value in the cell). ${ }^{\text {c }}$ The global quality factor Rfactor ${ }_{2 \alpha}{ }^{1,2}$ take values around 0.6 and 0.7 for $B$ and A-DNA respectively. The sequences considered here are reported in Supplementary Table 1. ${ }^{\text {d }}$ 5 mC stands for 5 -methyl-cytosine. ${ }^{e} 5 \mathrm{hmC}$ stands for 5 -hydroxymethyl-cytosine.

[^2]:    ${ }^{1}$ Institute for Research in Biomedicine (IRB Barcelona), The Barcelona Institute of Science and Technology.BaldiriReixac 10-12, Barcelona 08028, Spain.
    ${ }^{2}$ Joint BSC-IRB Program in Computational Biology, Institute for Research in Biomedicine. BaldiriReixac 10-12, Barcelona 08028, Spain.
    ${ }^{3}$ MMSB, Univ. Lyon I/CNRS UMR 5086, Institut de Biologie et Chimie des Protéines, 7 Passage du Vercors, Lyon 69367, France.
    ${ }^{4}$ School of Pharmacy and Centre for Biomolecular Sciences, University of Nottingham, University Park NG7 2RD, UK.
    ${ }^{5}$ Department of Biochemistry and Biomedicine, Faculty of Biology, University of Barcelona. Diagonal 643, Barcelona 08028, Spain.
    \& Equally contributing authors.

    * Correspondence to: Prof. Richard Lavery (richard.lavery@ibcp.fr) or Prof. Modesto Orozco (modesto.orozco@irbbarcelona.org).

